

# Recent insights on the normal state of Sr<sub>2</sub>RuO<sub>4</sub>

# High-resolution photoemission and Hall coefficient

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### Acknowledgments – Experiment / Theory collaboration





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High-resolution photoemission on Sr<sub>2</sub>RuO<sub>4</sub> reveals correlation-enhanced
effective spin-orbit coupling and dominantly local self-energies
A. Tamai, MZ, E. Rozbicki, E. Cappelli, S. Ricco, A. de la Torre, S. McKeown Walker,
F. Y. Bruno, P.D.C. King, W. Meevasana, M. Shi, M. Radovic, N.C. Plumb, A.S. Gibbs,
A.P. Mackenzie, C. Berthod, H. Strand, M. Kim, A. Georges, F. Baumberger
PRX 9, 021048 (2019)



# $Sr_2RuO_4$ – one of the best studied TMO

- huge high-quality crystals
- investigated with many experimental techniques

**Rich physics:** 

- Hund's physics, spin-orbit coupling
- van-Hove singularity close to  $E_{E}$
- Fermi liquid (T<sub>FI</sub> ~ 25 K)
- superconductor ( $T_c \sim 1.5$  K)

#### "Looks" simple:



Resistivity (m $\Omega$ cm)

1.2

1.0

0.8

0.6

0.4



high-T

'bad'-metal

Sr

 $k_{_{\rm F}}\ell = 1$ 

 $\ell = a$ 

### Fermi surface basics

- 4 electrons in Ru-t<sub>2g</sub> shell
- $d_{xy}$  yield a quasi 2D  $\gamma$ -sheet
- $d_{xz/yz}$  have directional hopping along x/y yielding the  $\alpha/\beta$  sheets



ΟN

A. Damascelli, PRL 85, 5194 (2000)



# **High-resolution laser-ARPES Fermi surface**





#### Fermi surface reveals enhancement of spin-orbit coupling (SOC)



Cannot be explained by tuning crystal-field splitting

Enhanced-SOC theoretically predicted Liu et al. PRL 101, 026408 (2008), Zhang et al. PRL 116, 106402 (2016), Kim et al. PRL 120, 126401 (2018)

Extract SOC from Fermi surface splitting:

$$\begin{split} \Delta k &= \lambda^{\rm eff} / v \\ \lambda^{\rm eff} &= \lambda_{\rm DFT} \Delta k^{\rm QP} / \Delta k^{\rm DFT + \lambda_{\rm DFT}} = 205(20) \ {\rm meV} \\ \lambda_{\rm DFT} &= 100 \ {\rm meV} \end{split}$$



Using energy splitting at F: C. N. Veenstra, et al., PRL 112, 127002 (2014)

#### Non-interacting reference Hamiltonian

- 1) DFT without SOC (Wien2k, GGA-PBE)
- 2) Construct Hamiltonian  $\hat{H}^{\rm DFT}$  from maximally-localized Wannier functions for the three-orbital t<sub>2g</sub> subspace

3) Add static SOC:  

$$\hat{H}_{\lambda}^{\text{SOC}} = \begin{pmatrix} \varepsilon_{xy} & 0 & 0 & 0 & \frac{\lambda_{xy}}{2} & \frac{i\lambda_{xy}}{2} \\ 0 & \varepsilon_{yz} & -\frac{i\lambda_z}{2} & -\frac{\lambda_{xy}}{2} & 0 & 0 \\ 0 & \frac{i\lambda_z}{2} & \varepsilon_{xz} & -\frac{i\lambda_{xy}}{2} & 0 & 0 \\ 0 & -\frac{\lambda_{xy}}{2} & \frac{i\lambda_{xy}}{2} & \varepsilon_{xy} & 0 & 0 \\ \frac{\lambda_{xy}}{2} & 0 & 0 & 0 & \varepsilon_{yz} & \frac{i\lambda_z}{2} \\ -\frac{i\lambda_{xy}}{2} & 0 & 0 & 0 & -\frac{i\lambda_z}{2} & \varepsilon_{xz} \end{pmatrix}$$

4) Use  $\lambda_{DFT}$  = 100 meV and  $\lambda_{DFT}$ + $\Delta\lambda$  = 200 meV

Software packages:







#### Quasiparticle dispersion along several angular cuts





### Self-energy in band basis ( $v = \{\alpha, \beta, \gamma\}$ )

$$G_{\nu\nu'}^{-1}(\omega, \boldsymbol{k}) = \left[\omega + \mu - \varepsilon_{\nu}\left(\boldsymbol{k}\right)\right] \delta_{\nu\nu'} - \Sigma_{\nu\nu'}(\omega, \boldsymbol{k})$$

Quasiparticle dispersion:

$$\det\left[\left(\omega-\varepsilon_{\nu}\left(\boldsymbol{k}\right)\right)\,\delta_{\nu\nu'}-\Sigma_{\nu\nu'}'(\omega,\boldsymbol{k})\right]\,=\,0$$

Assume diagonal self-energy:  $\omega - \varepsilon_{\nu} \left( \boldsymbol{k}_{\max}^{\nu}(\omega) \right) = \Sigma_{\nu}'(\omega, \theta) \qquad \boldsymbol{k}_{\max}^{\nu}(\omega) \dots$  maximum of dispersion



#### Self-energy in orbital basis (m = {xy, xz, yz})

Work in orbital basis  $|\chi_{m}\left(m{k}
ight)
angle$  ( i.e. Wannier functions )

Extract self-energy with:  $\det \left[ (\omega - \Sigma'_m(\omega, \theta_k)) \delta_{mm'} - \hat{H}^0_{mm'}(k) \right] = 0$ 



Collapse of self-energies

Direct experimental justification of "locality ansatz" à la DMFT



#### Angular dependence of orbital content of quasiparticles



Orbital-content of quasiparticle states is strongly angular dependent (SOC)

### **Comparison to DMFT**





#### Other successes of DMFT for Sr<sub>2</sub>RuO<sub>4</sub>

#### **Overview**

- High-resolution laser-ARPES reveals quasiparticle physics of Sr<sub>2</sub>RuO<sub>4</sub> with unprecedented accuracy
- Enhancement (by factor of ~ 2) of spin-orbit coupling by electronic correlations confirmed
- Momentum independent ansatz (DMFT) for self-energy of each orbital works well
- Angular dependence of quasiparticle properties largely explained by angular dependence of orbital content (controlled by spin-orbit)



# Hall coefficient signals orbital differentiation in the Hund's metal Sr<sub>2</sub>RuO<sub>4</sub> MZ, J. Mravlje, M. Aichhorn, O. Parcollet, A. Georges

arXiv:1902.05503





#### Hall coefficient R<sub>H</sub>



1<sup>st</sup> sign-change

 $\rightarrow$  signature of multi band/orbital nature

- $\rightarrow$  interplay of electron and hole-like Fermi surface sheets
- $\rightarrow$  scattering rates strongly T and Fermi surface sheet dependent

<u>Experiments:</u> N. Shirakawa et al., JPSJ 64, 1072-1075 (1995),
 A. P. Mackenzie et al., PRB 54, 7425, (1996), L. M. Galvin et al., PRB 63, 161102 (2001)
 <u>Earlier theoretical works:</u> C. Noce, et al. PRB 59, 2659 (1999),
 I. Mazin, et al., PRB 61, 5223 (2000), C. Noce, et al. PRB 62, 9884 (2000)



#### Scattering rate ratios

Boltzmann transport theory:

• constant isotropic scattering time approx.  $\sigma_{xx} = \sigma_{vv} \sim \tau = 1/\eta$  and  $\sigma_{xv} \sim \tau^2$ 

$$ightarrow R_{H} = rac{\sigma_{xy}}{\sigma_{xx}\sigma_{yy}} \;\; {
m does \; not \; depend \; on \; \eta}$$

- orbital-dependent scattering rates  $\eta_{xy}$  and  $\eta_{xz} = \eta_{yz}$  $\rightarrow R_H$  depends on ratio  $\xi = \eta_{xy} / \eta_{xz/yz}$
- R<sub>H</sub> monotonically increases ratios
- SOC essential for R<sub>H</sub> > 0
- T-dependence of scattering rate ratios to explain the experiments?

$$\eta_{\nu}(\mathbf{k}) = \sum_{m} |\langle \chi_{m}(\mathbf{k}) | \psi_{\nu}(\mathbf{k}) \rangle|^{2} \eta_{m}$$





G. K. Madsen et al., CPC 175, 67 (2006) G. K. Madsen et al., CPC 231, 140 (2018)





#### Inelastic electron-electron scattering

DFT+DMFT:

- $\eta_{xy} > \eta_{xz/yz}$
- orbital-differentiated coherence-incoherence crossover
- $\xi$  strongly T-dependent

#### Crossover from incoherent electrons to coherent Fermi liquid

J. Mravlje, et al., PRL 106, 096401 (2011), X. Deng, et al., PRL, 116, 256401 (2016)





 $\rightarrow$  turns  $\mathsf{R}_{\mathsf{H}}$  positive with zero crossing at 120 K

#### In FL ratio $\xi$ is independent of T: Why does $R_H$ turn negative again at low T?





Sign-changes are signature of 2 cross-overs:

- coherent-to-incoherent regime
- inelastic-to-elastic scattering

Well separated temperature scales in clean samples.

Experiment: L.M. Galvin et al., PRB 63, 161102 (2001)



## Ingredients for T-dependence of R<sub>H</sub>

- Fermi surface sheets of different or mixed orbital character
- T and orbital dependent scattering rates
- Balanced electron/hole contributions  $\rightarrow$  sign-changes can emerge



R. Perry, et al., Phys. B 284, 1469 (2000); J. P. Sun, et al., PRL 118, 147004 (2017); O. Heyer, et al., PRB 84, 064512 (2011)

