

Under the ‘macroscope’: the dynamics of very large earthquakes

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Meier *et al.*, *Science* **357**, 1277–1281 (2017) 22 September 2017

The hidden simplicity of subduct megathrust earthquakes

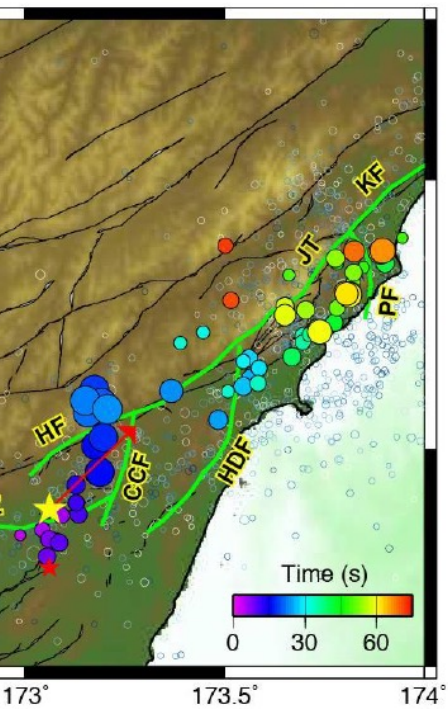
M.-A. Meier,* J. P. Ampuero, T. H. Heaton

Enabled by global earthquake source products from
Lingling Ye (Caltech), Martin Vallée (IPGP) and Gavin Hayes (USGS)

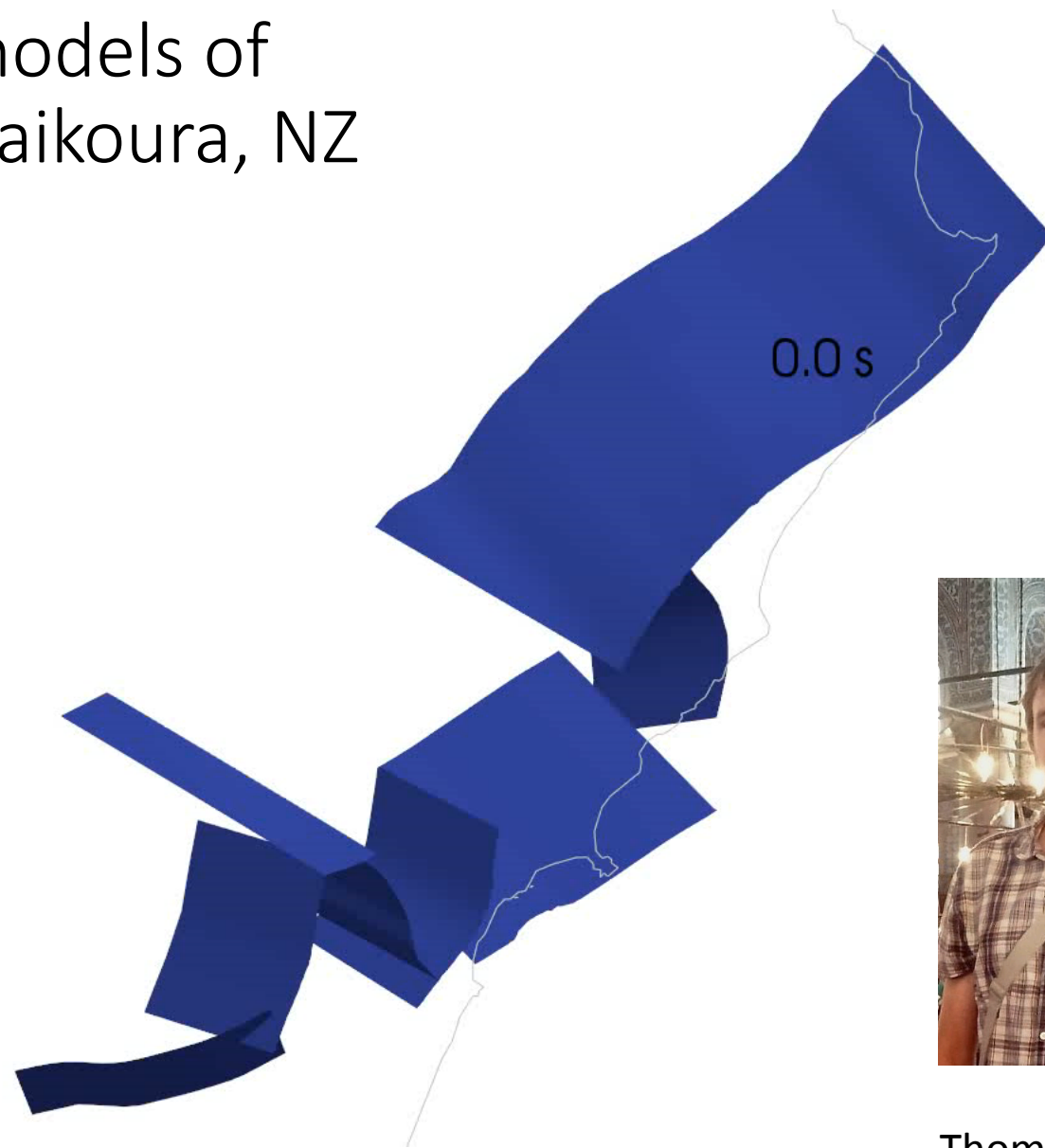
Caltech



Dynamic rupture models of the 2016 Mw 7.8 Kaikoura, NZ earthquake



Seismic back-projection
Gang Chen, Meng, UCLA)



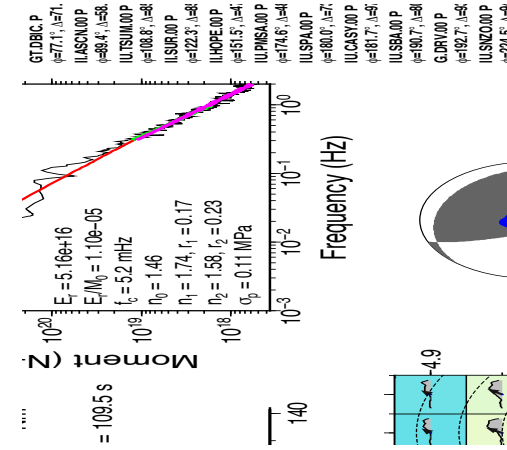
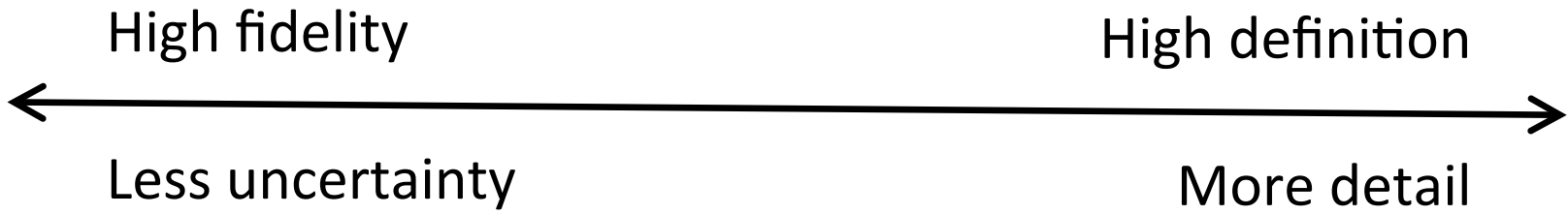
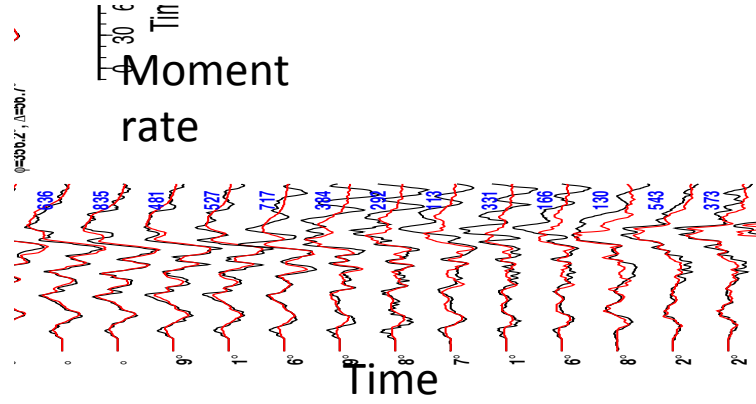
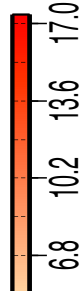
Thomas Ulrich and Alice Gassner
SeisSol Team (LMU, Munich)

Trade-offs in earthquake source studies



$\phi=531$
 IU.RS
 $\phi=336$
 IU.CC
 $\phi=343$
 IU.DW
 $\phi=350$
 IU.SSI
 $\phi=356$
 CN.SC

2.40 km/s, Var. = 0.1772
29.6 km, $H_c = 18.1$ km



Global source studies

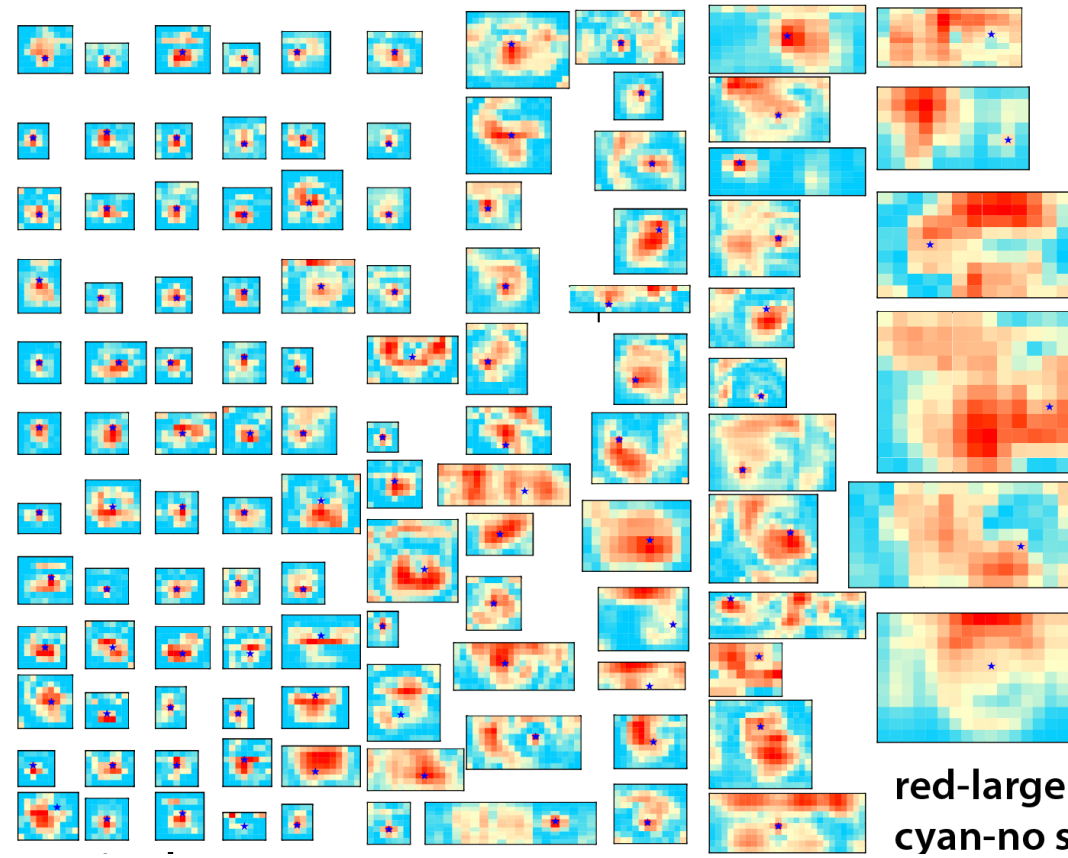
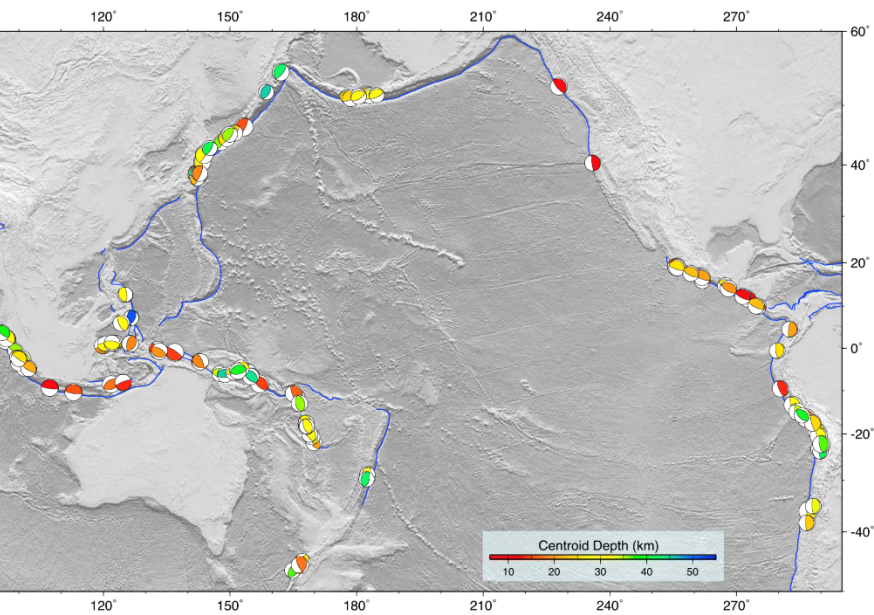
et al (JGR 2016)

16 **M7+** shallow **subduction zone** thrust earthquakes

finite source **inversions with teleseismic data**, 0.005-0.9 Hz

Robust source time functions (STF, **moment rate**)

Uniform method and careful manual analysis



Global source studies

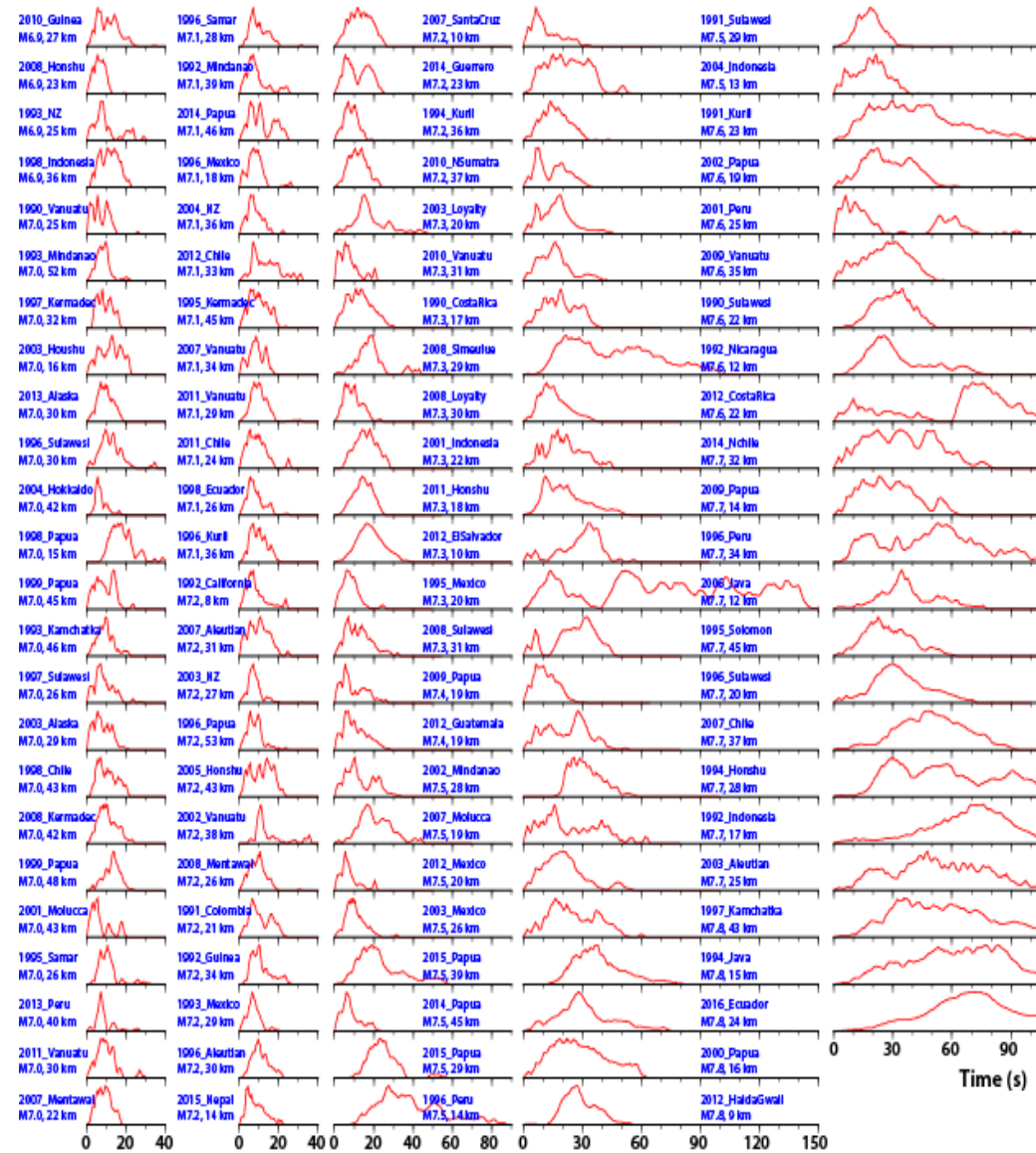
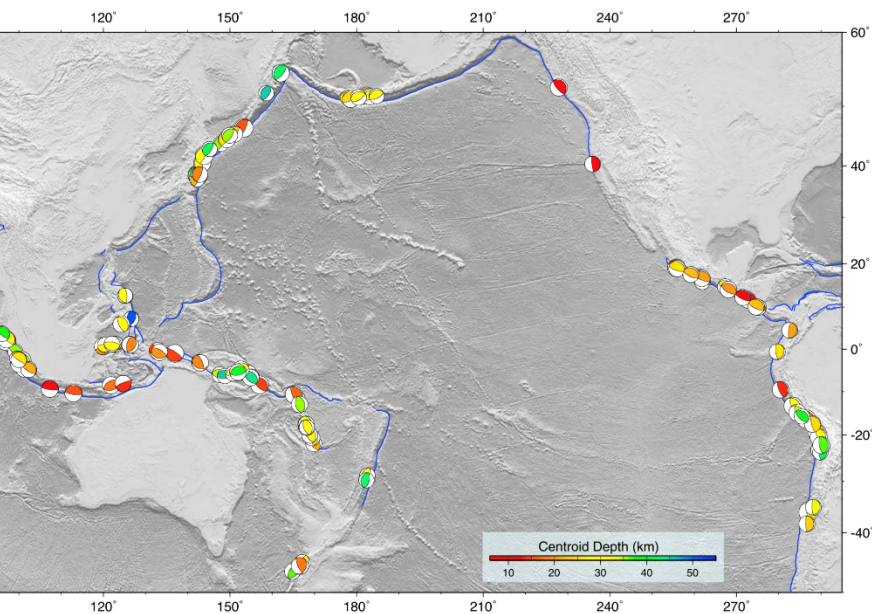
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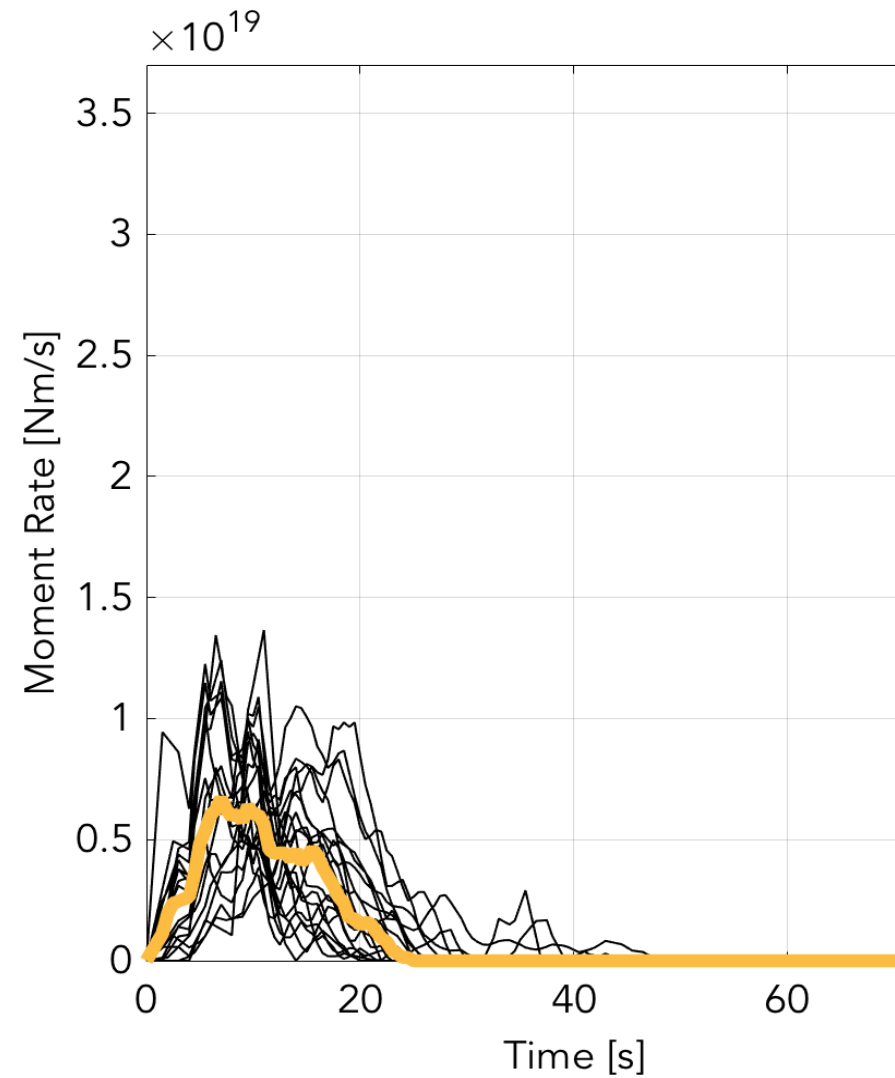
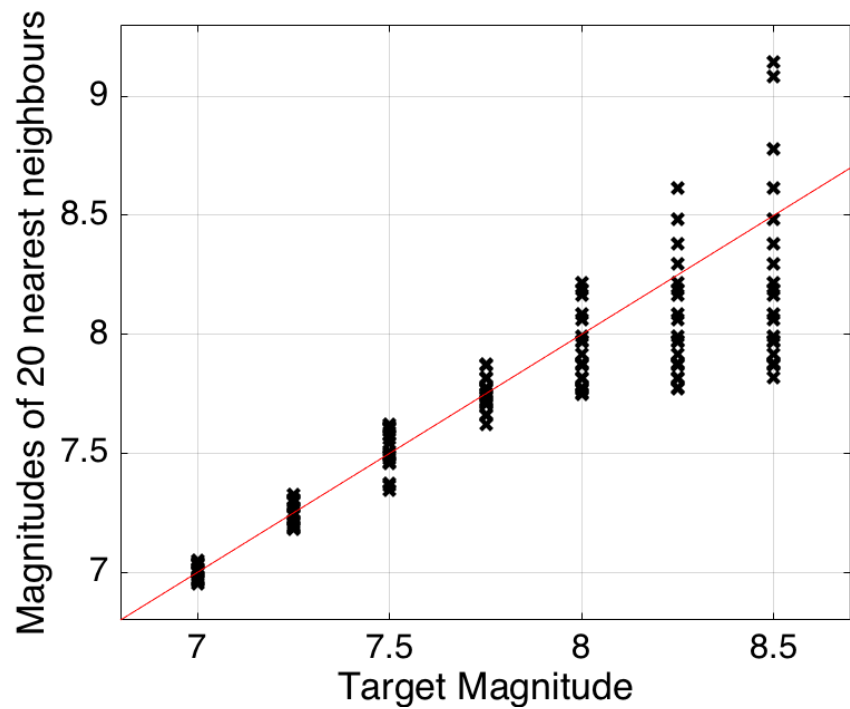


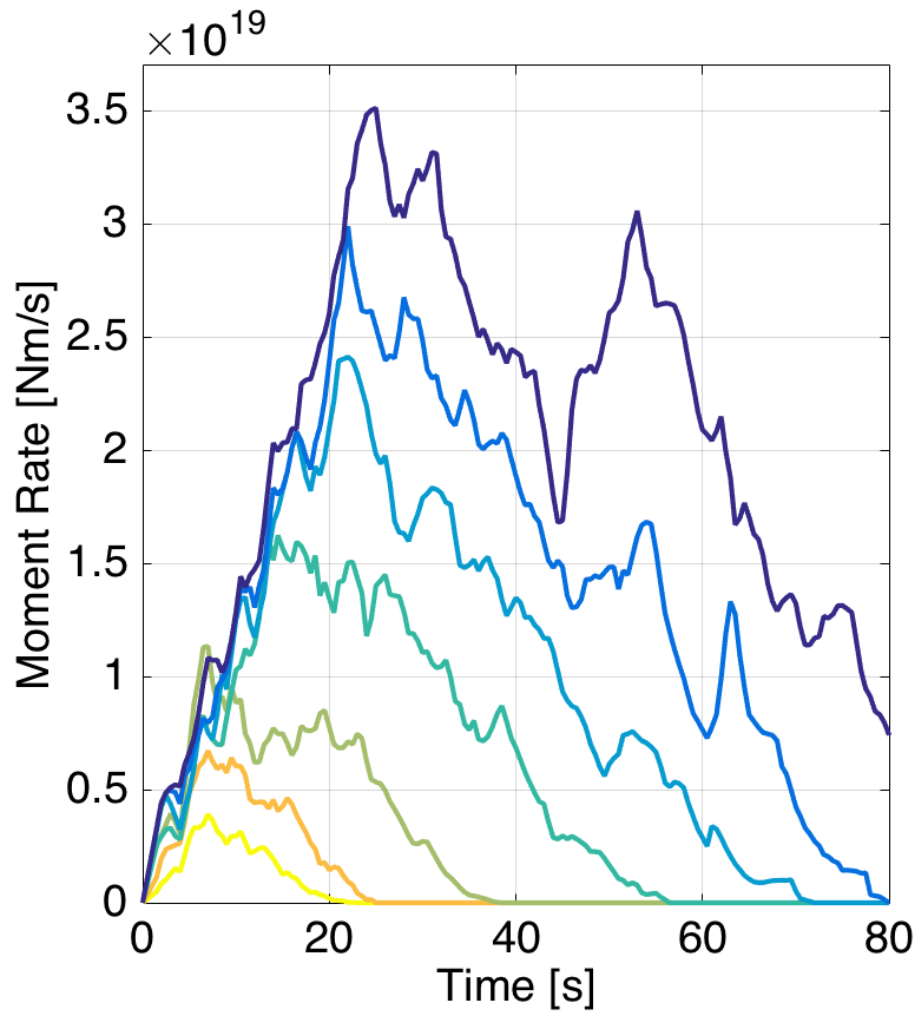
Questions to address under the microscope

- What are the common features of earthquakes?
 - Do small and large earthquakes start equal?
 - Are earthquakes self-similar at all magnitudes?
- How are earthquakes different from each other?
 - Is there such a thing as a freak event?
- What do those similarities and differences tell us about earthquake dynamics?

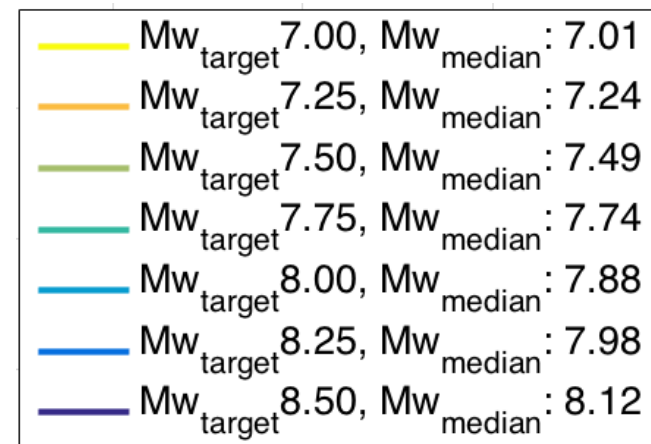
What **general patterns** do the STF follow?

- Bin STFs by magnitude, 20 **nearest neighbours**
- In each bin, at each point in time, compute **median STF**



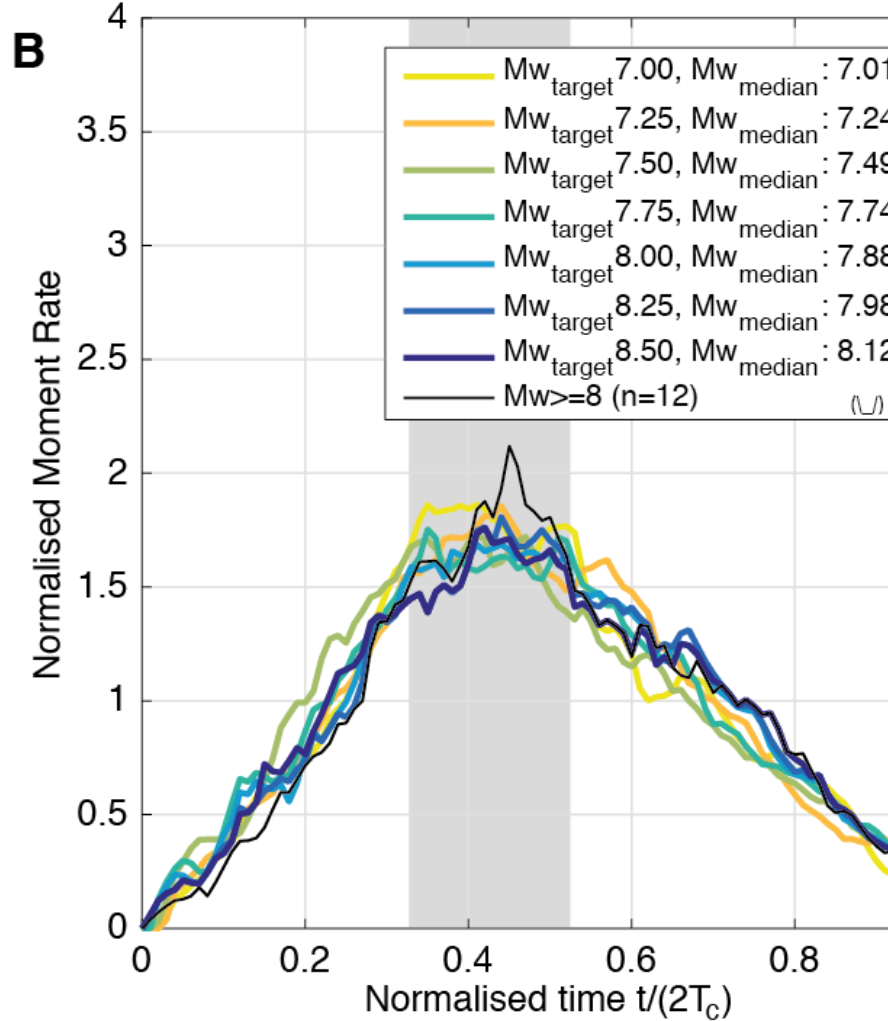


Median STFs have **linear onset same** for all magnitudes $M_w > 7$

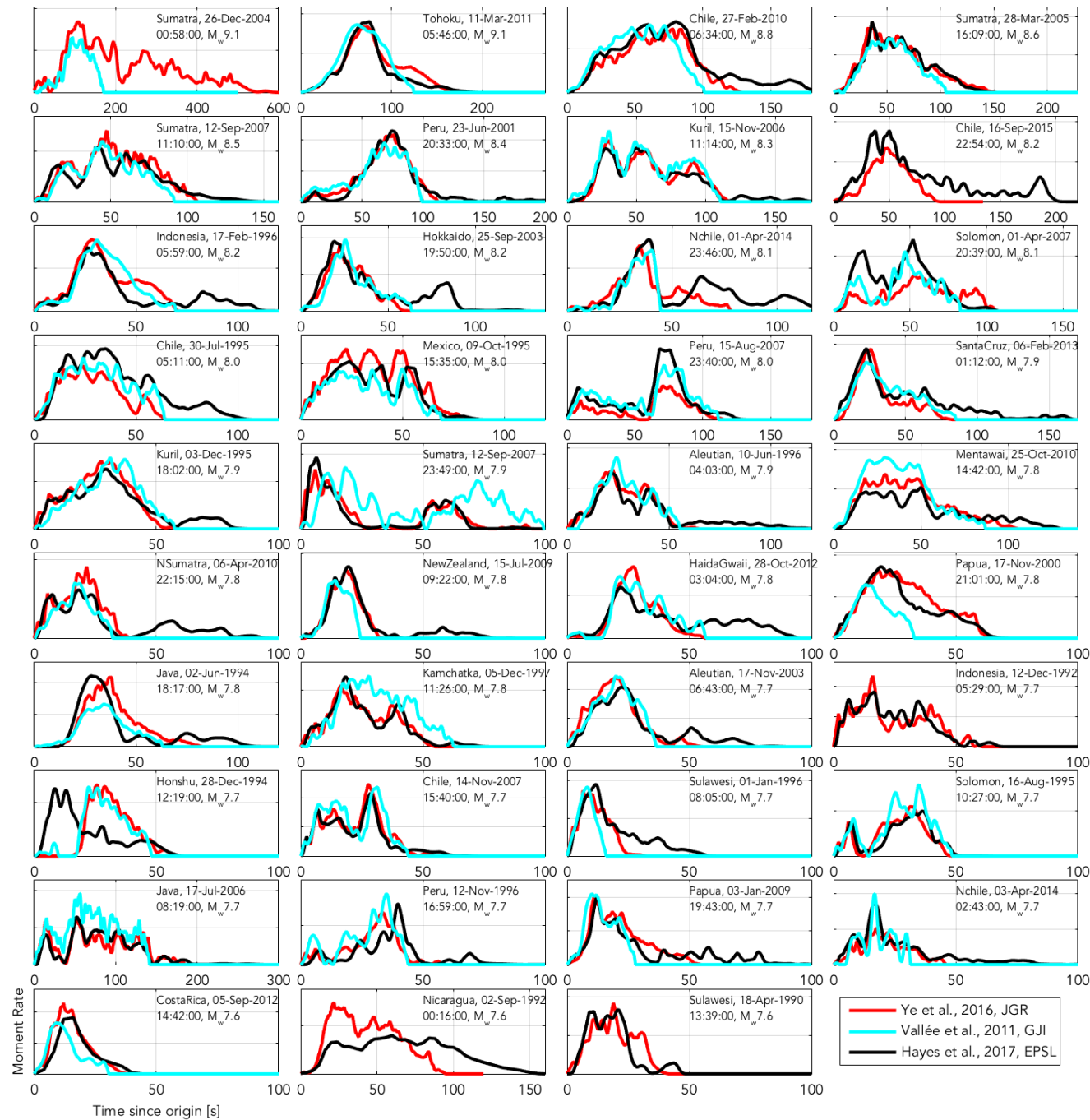


Normalize each STF by its duration
Scale them such that they integrate to 1
Compute median of normalized STF

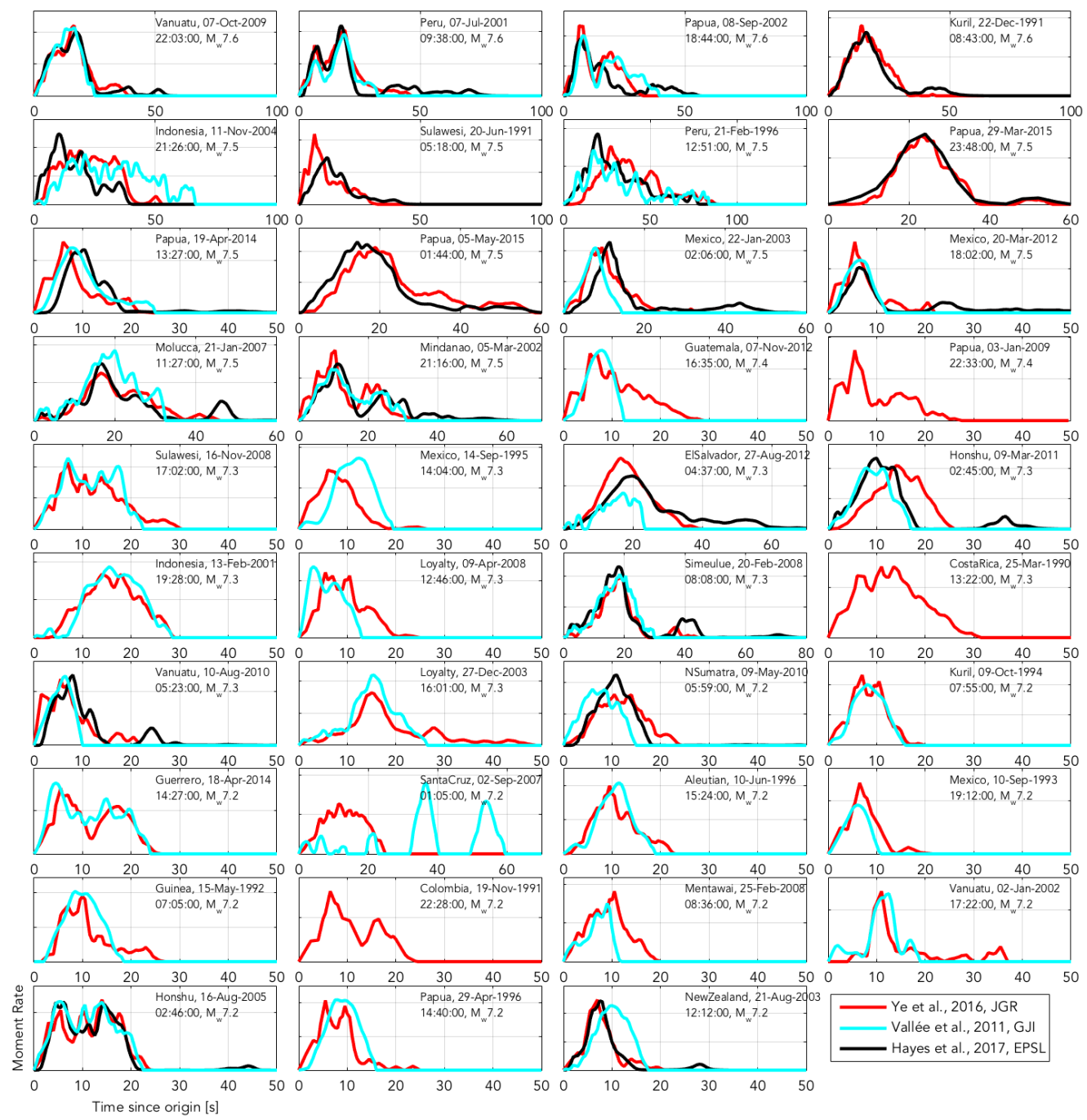
On average, all STFs
can be scaled to a very simple,
quasi-triangular shape



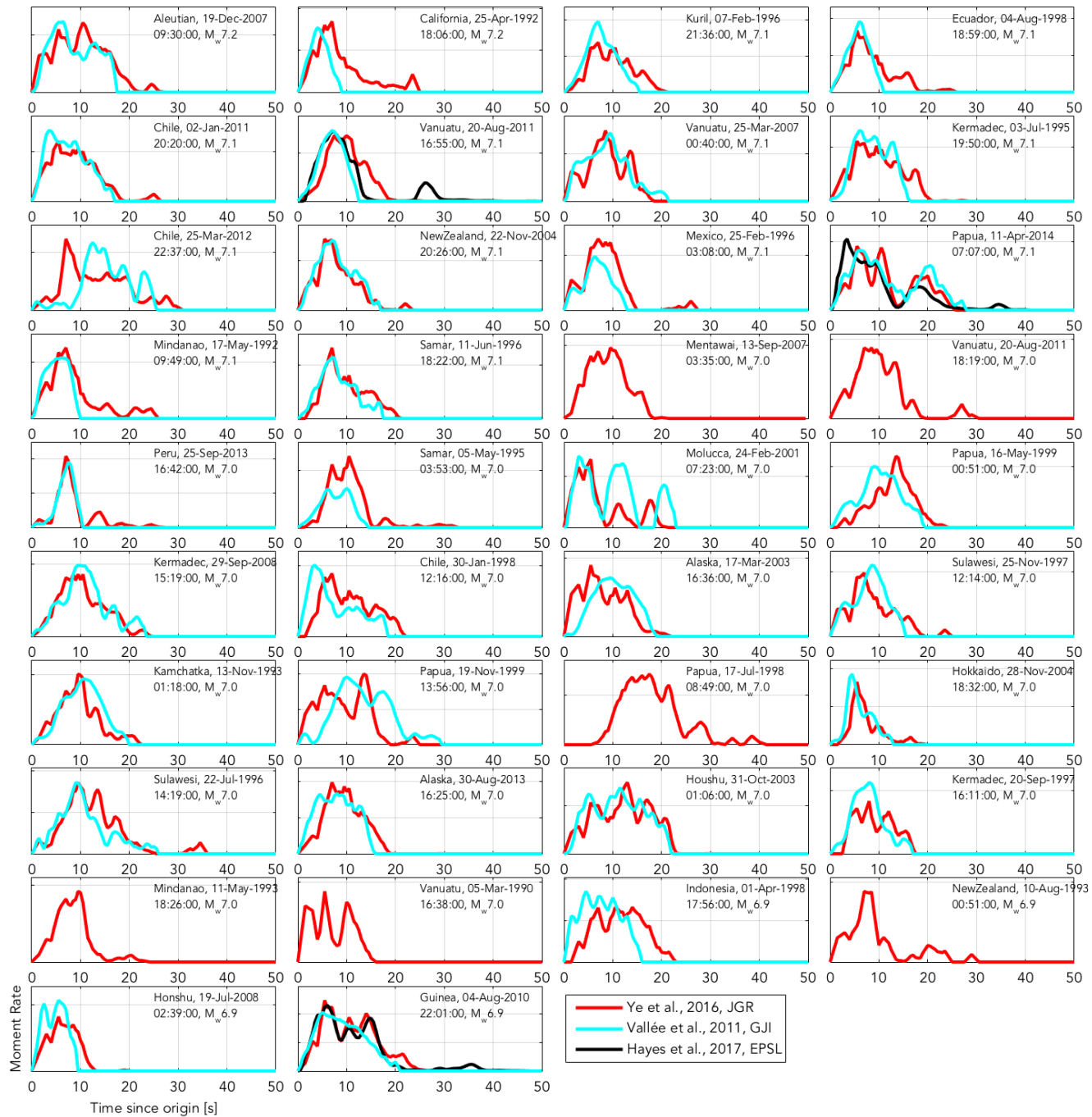
— Ye et al., 2016, JGR
— Vallée et al., 2011, GJI
— Hayes et al., 2017, EPSL

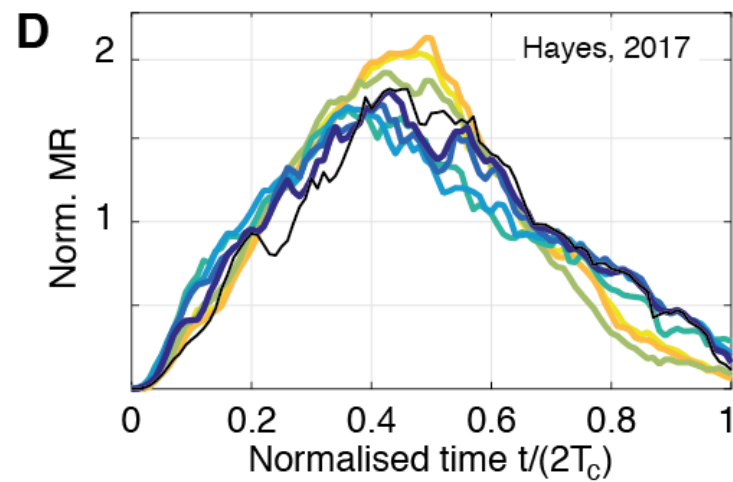
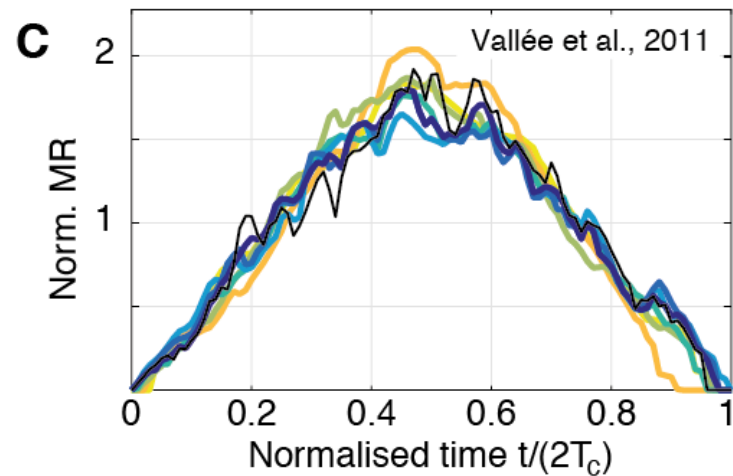
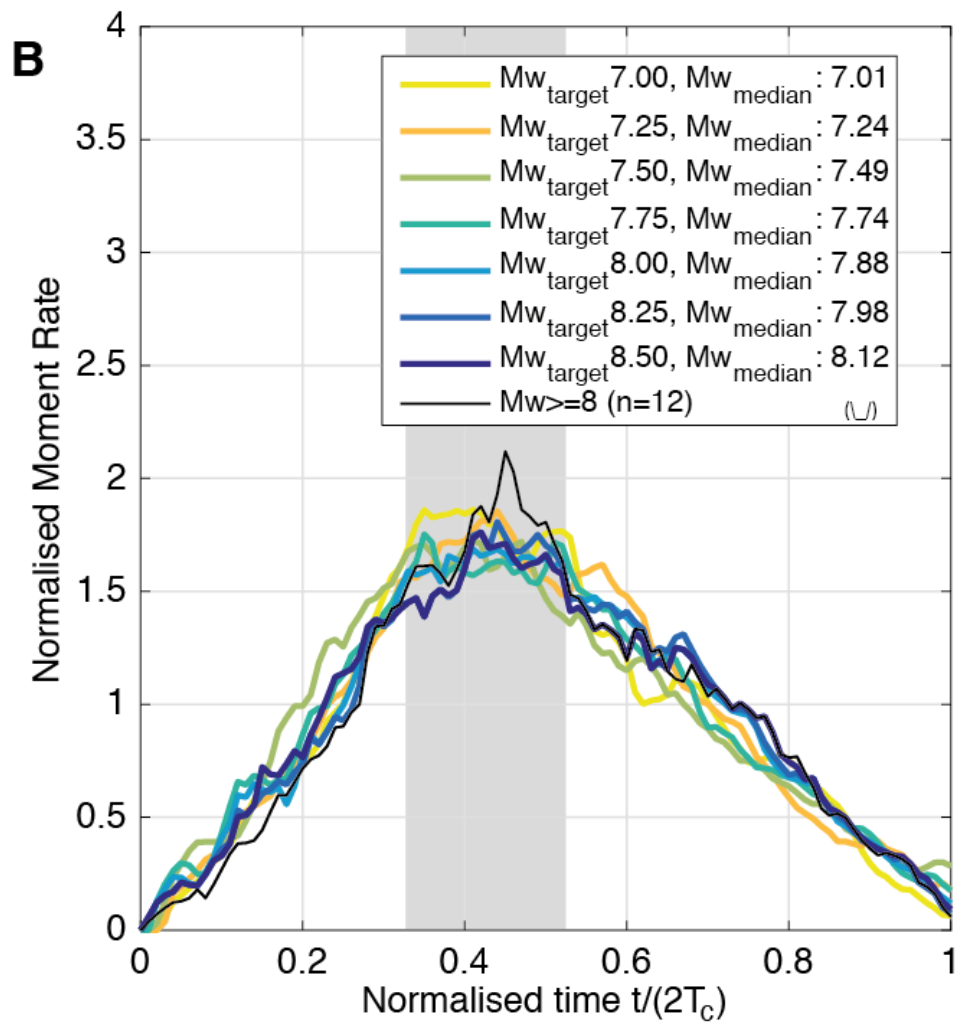


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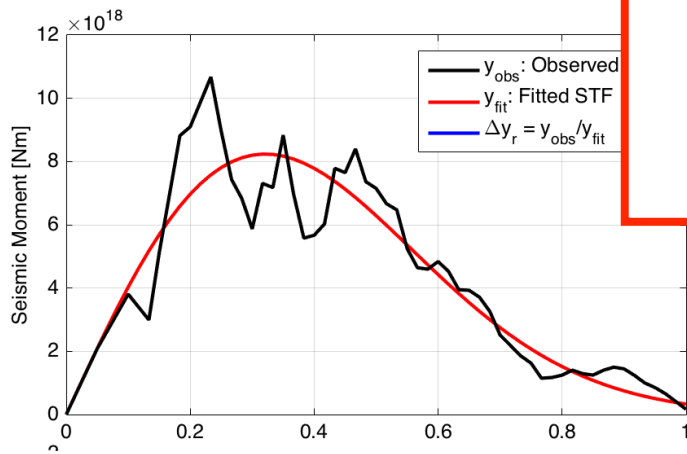




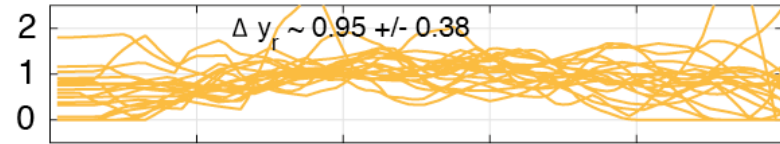
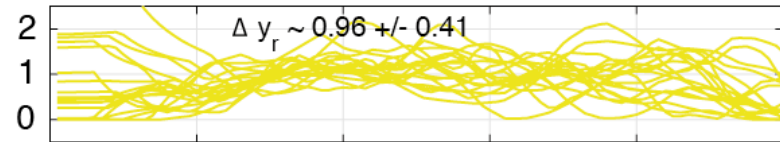
Fluctuations around the median STF

Fit a function to STFs:

$$y = \mu t \exp[-1/2 * (\lambda * t)^\eta]$$

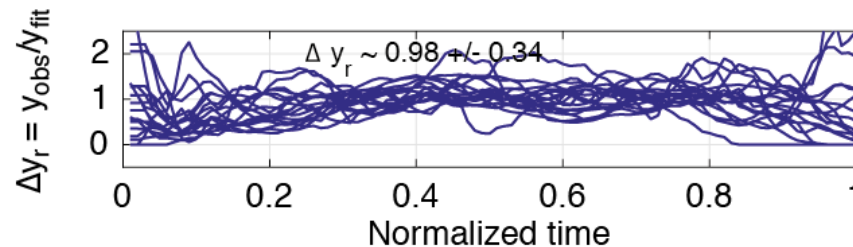
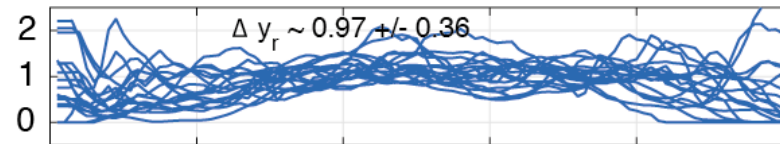


Residuals



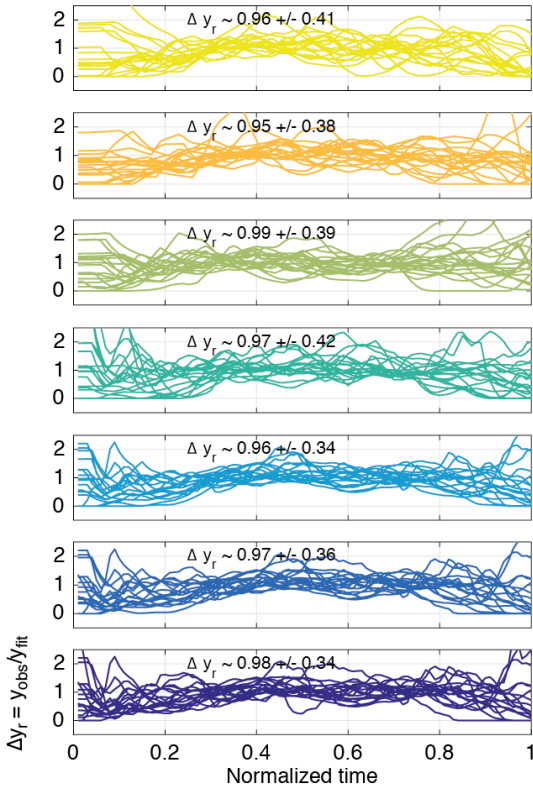
Multiplicative noise

$$y_{obs}(t') = y_{fit}(t') \times [1 + \epsilon(t')]$$

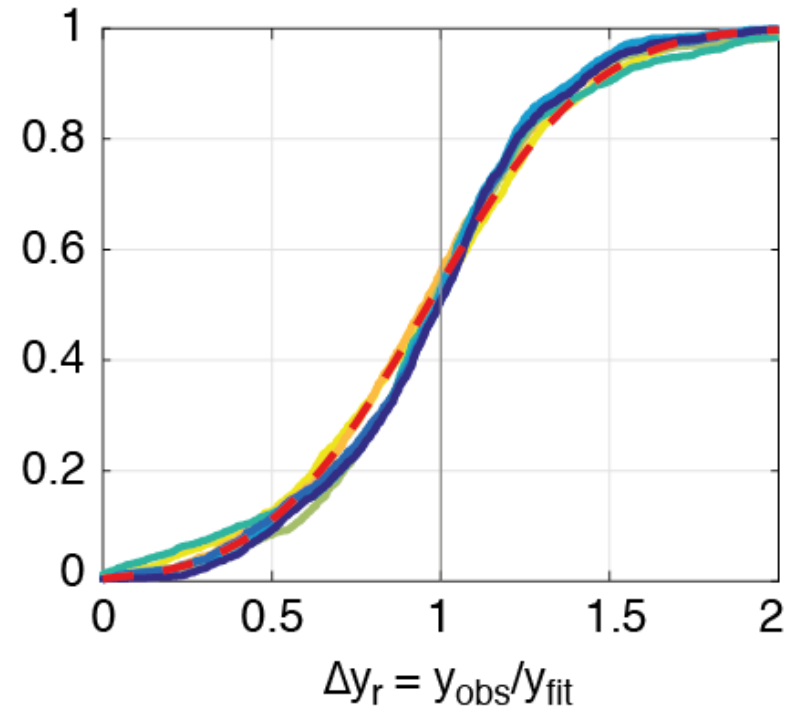
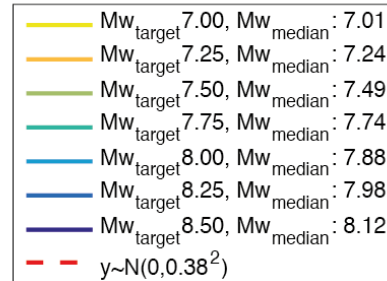


- Mw_target 7.0
- Mw_target 7.2
- Mw_target 7.5
- Mw_target 7.7
- Mw_target 8.0
- Mw_target 8.2
- Mw_target 8.5
- y ~ N(0, 0.38)

STF fluctuations are multiplicative and Gaussian

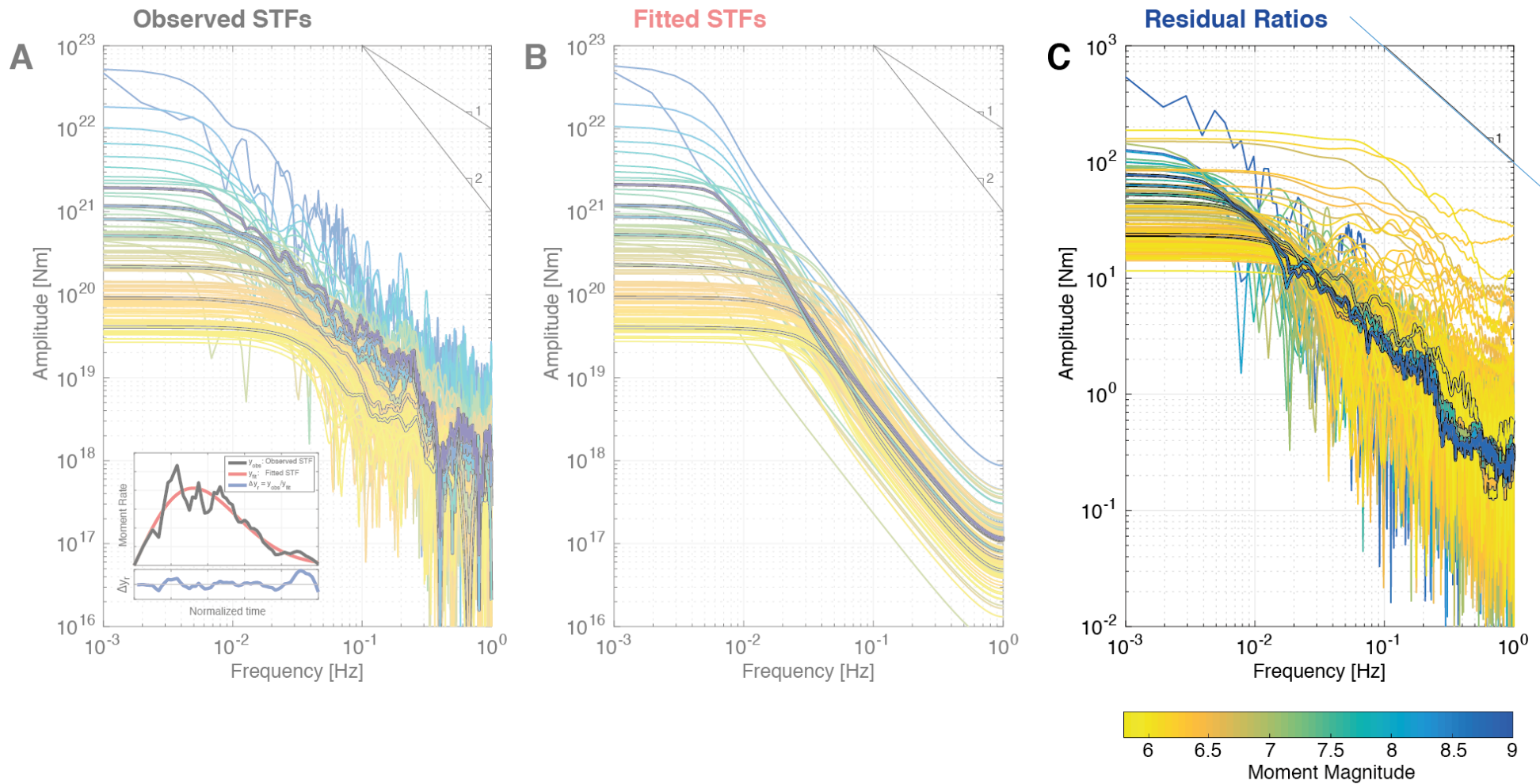


Empirical cumulative distribution of STF residuals



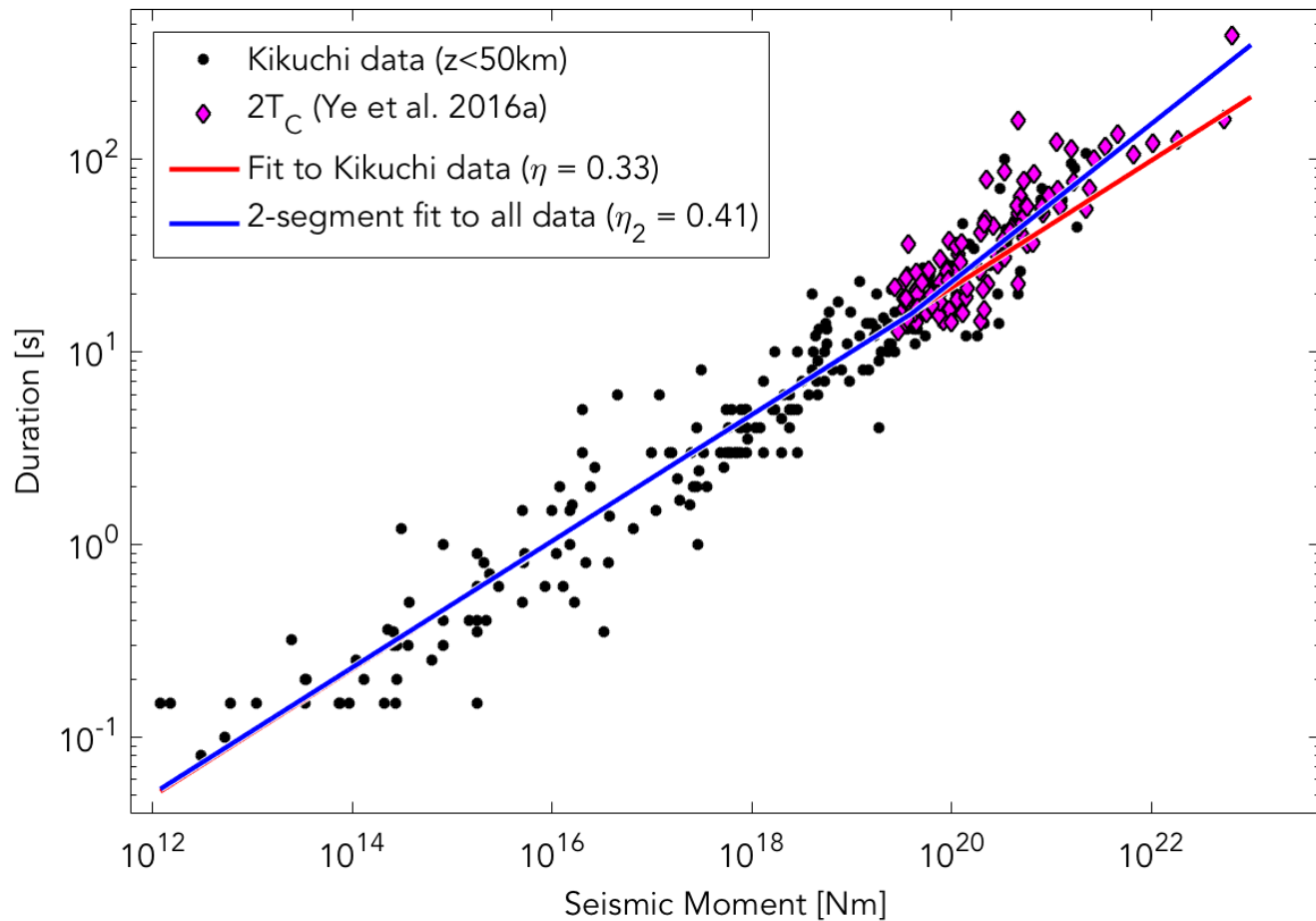
$$y_{\text{obs}}(t') = y_{\text{fit}}(t') \times [1 + \varepsilon(t')], \text{ where } \varepsilon \sim N(0, 0.38^2)$$

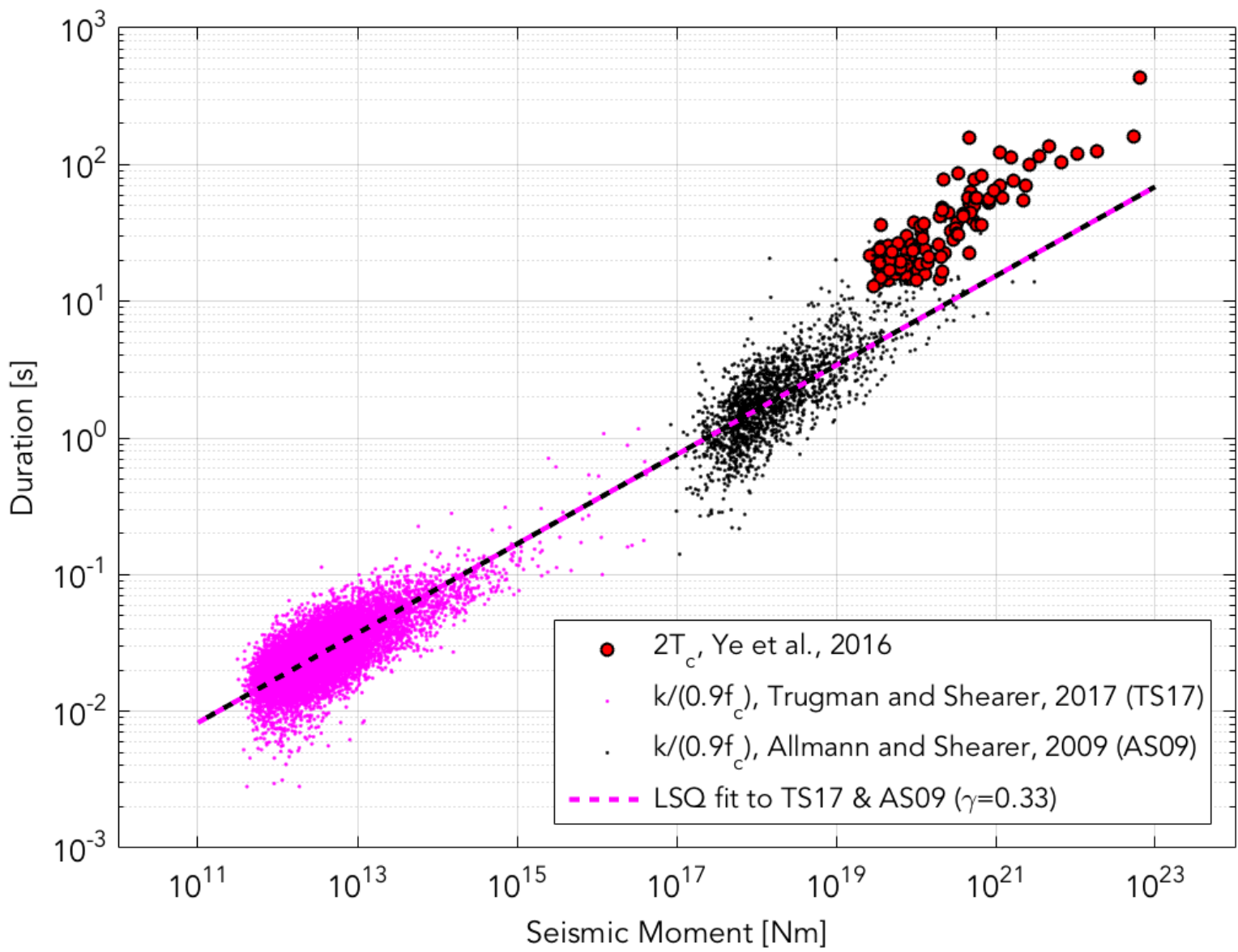
STF fluctuations are multiplicative, Gaussian and Brownian

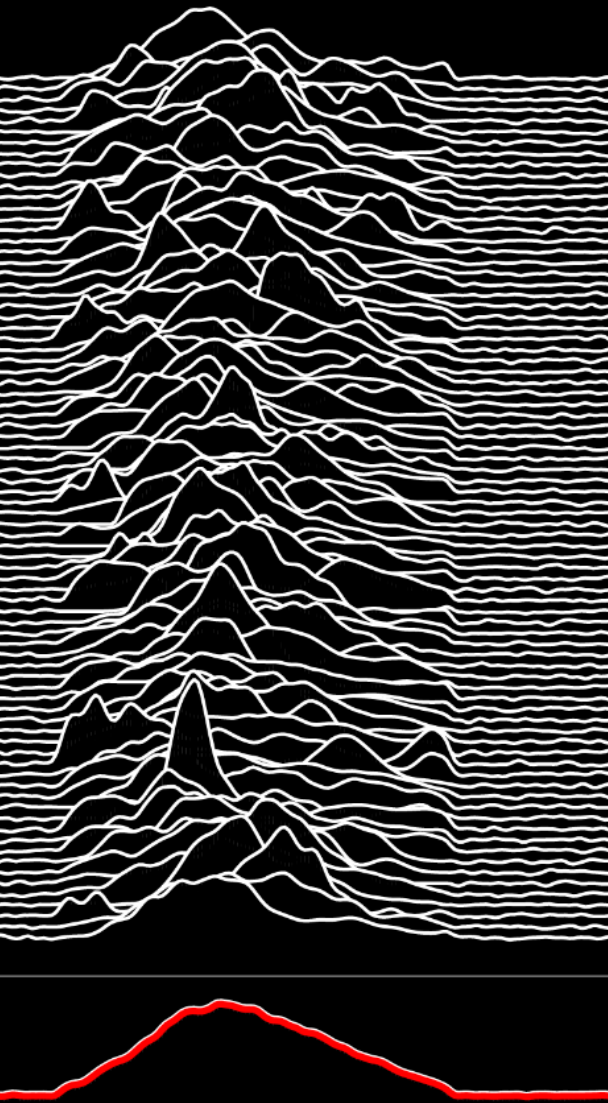


Implications for moment / duration scaling

- Linear growth suggests $M_0 \sim T^2$ scaling
- In contrast to the widely reported $M_0 \sim T^3$ scaling
→ scaling break?







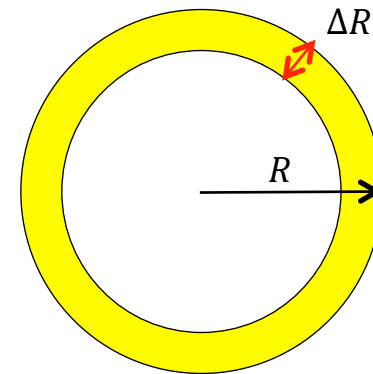
Summary of observed STF characteristics, $M_w > 7$

- All STFs can be scaled to a common, quasi-triangular shape
- Onsets are linear and the same for all
- Fluctuations are multiplicative, Gaussian and Brownian

Why is linear moment rate growth surprising?

Self-similar model for small earthquakes:
Circular rupture with constant stress drop and
constant rupture speed

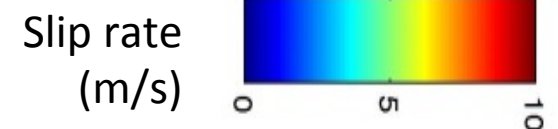
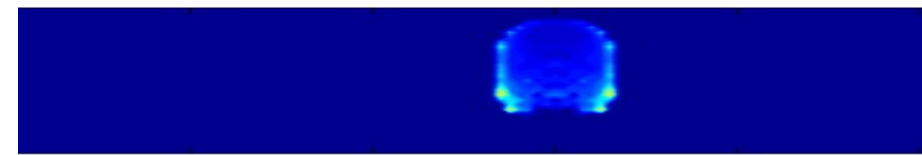
$$\dot{M}_0 \propto t^2$$



Very large earthquakes: **elongated rupture**
since **seismogenic width is saturated**:
moment grows slower than quadratic

But linear trend is observed
after 5-10 s,
before rupture saturates the
seismogenic width

Seismogenic
width



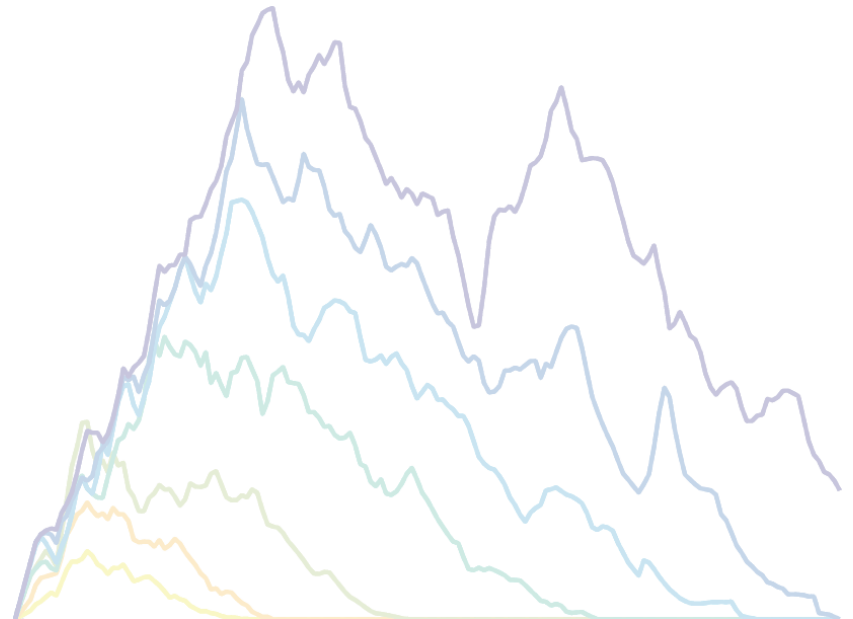
Implications for Rupture Growth Scaling

- Observed **STF growth is linear** $STF \propto t^1$
- If rupturing **area** grows as $A(t) \propto t^\alpha$
- ... and **average slip** grows as $D(t) \propto t^\beta$
- Seismic **moment** $M_0(t) \propto A(t)D(t) \propto t^{\alpha+\beta}$
- Moment rate **exponent** $\eta = \alpha + \beta - 1$
- Since we observe linear growth $\eta^{obs} \sim 1 \rightarrow \alpha + \beta \sim \mathbf{2}$

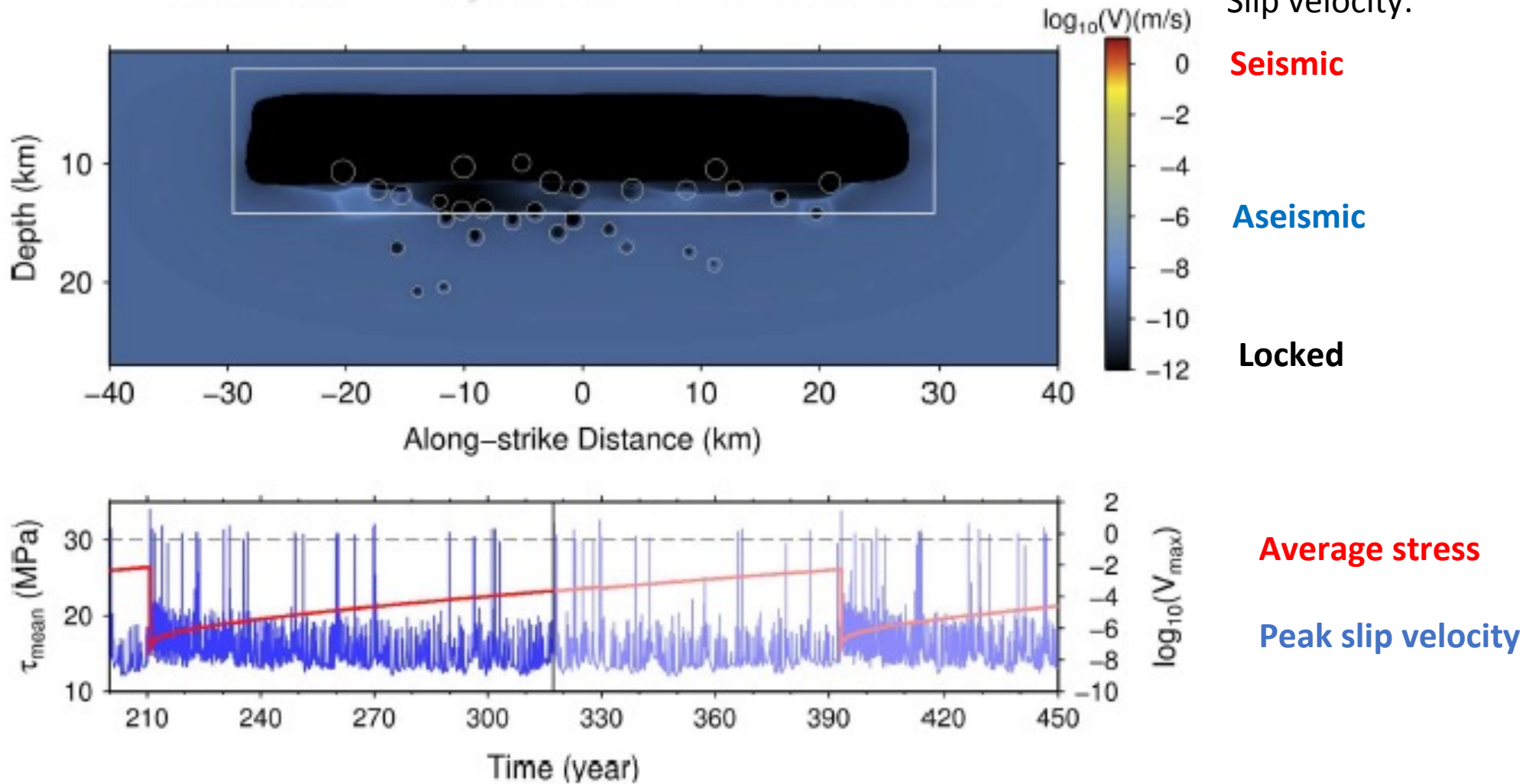
- Self-similar pulse or crack $\eta^{ss} = 2 + 1 = 3$

→ **How can we lower the moment rate growth?**

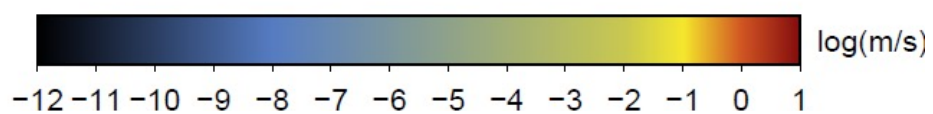
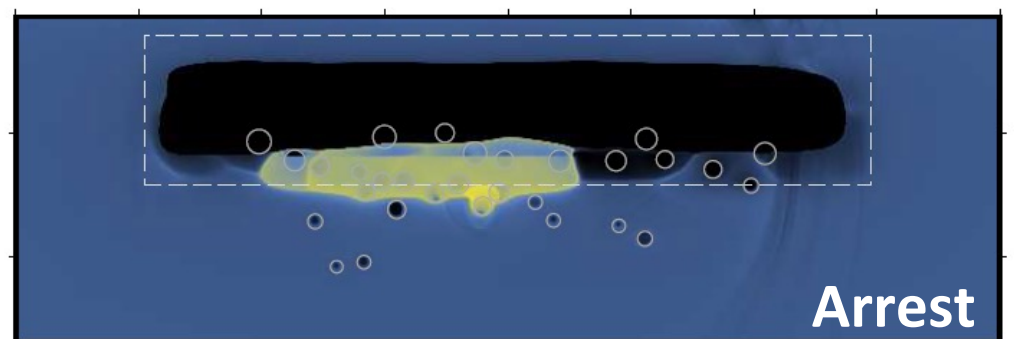
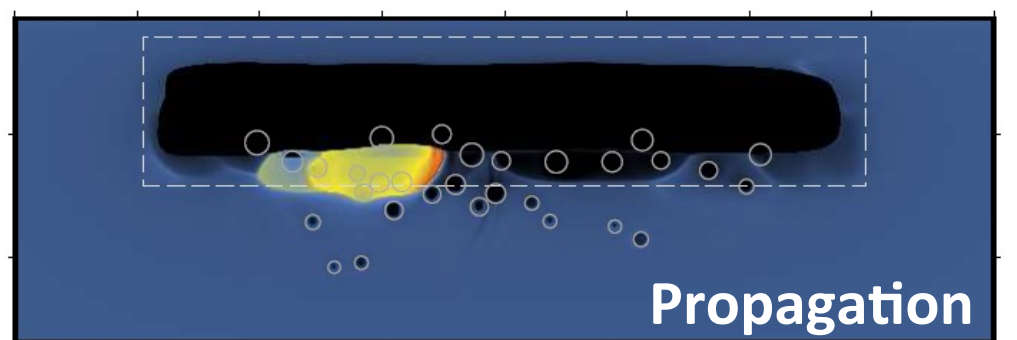
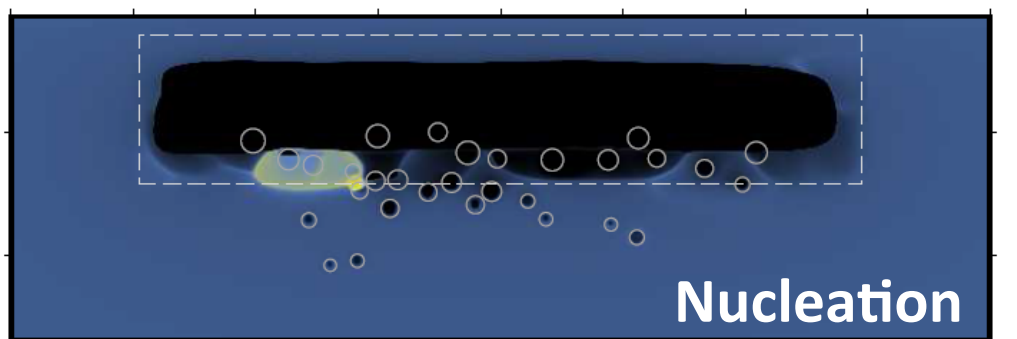
- Lower alpha, lower beta, or combination of both?
- Pulse-like rupture with areas of systematic slip deficits?



Years: 316 Days: 363 Seconds: 54878.7

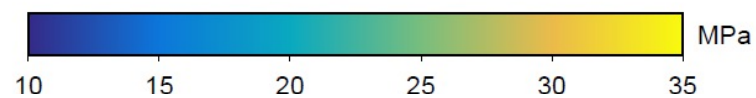
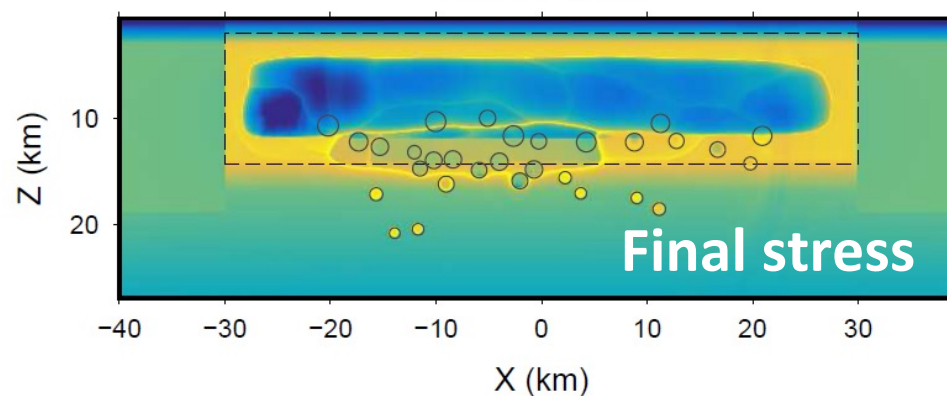
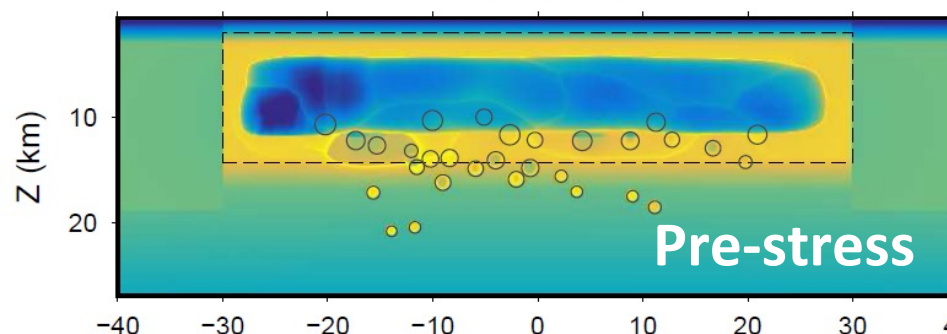


Extracted from Junle Jiang and Nadia Lapusta's dynamic earthquake cycle simulations.



Intermediate-size event unzipping part of the lower edge of the coupled zone

(Junle Jiang, Caltech)



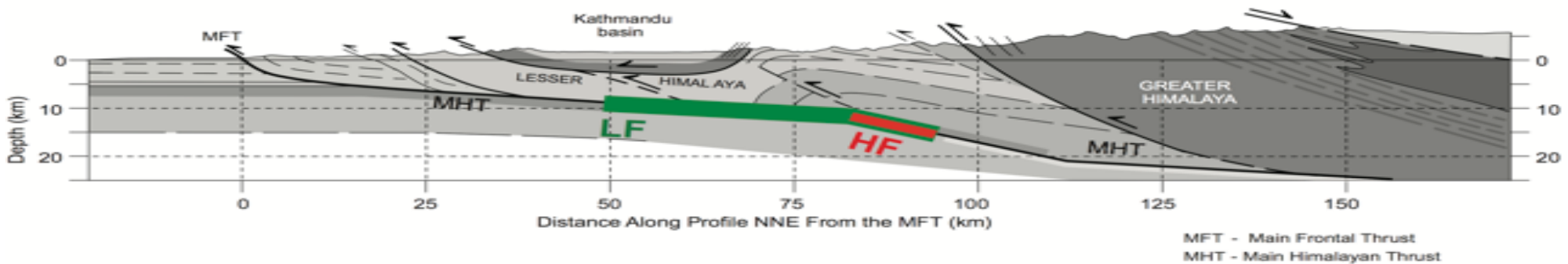
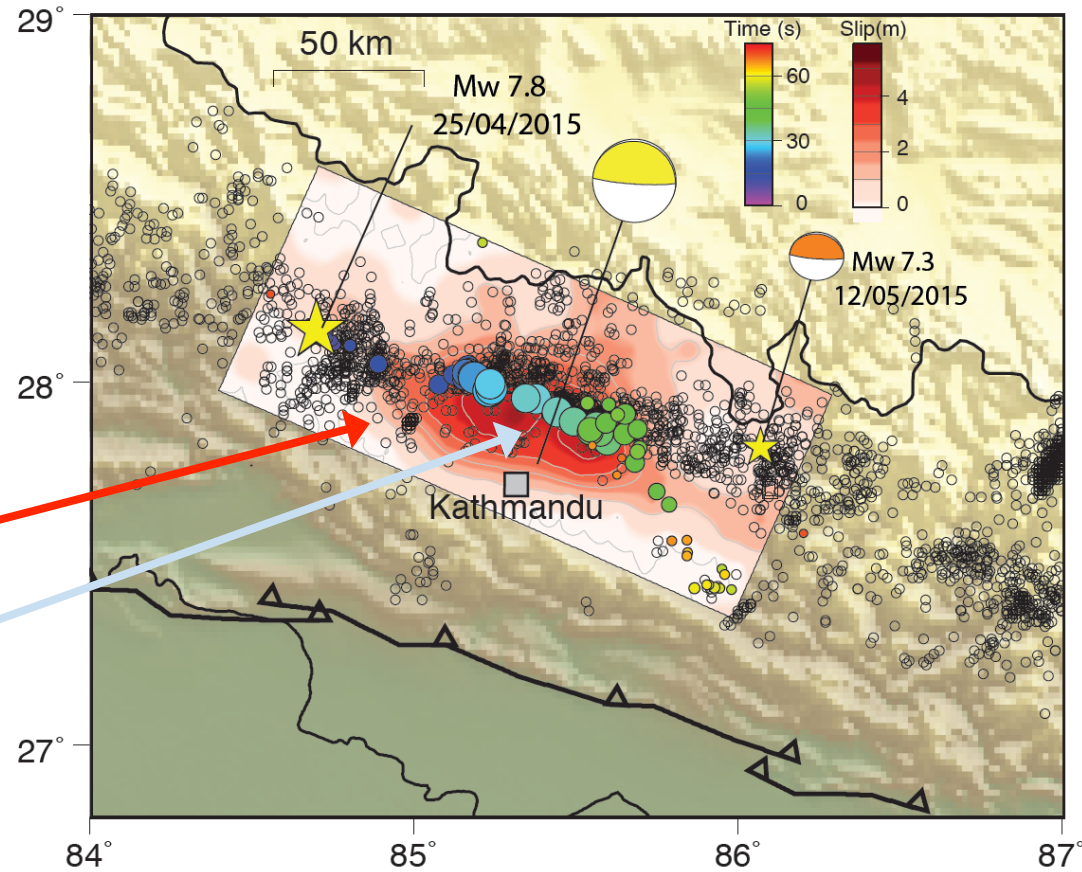
April 25 2015, Mw 7.8 Gorkha, Nepal earthquake

Rupture confined in depth
 High-frequency deeper than low-frequency slip, concentrated along the deep edge of the locked zone

Red contours: slip (frequencies < 0.1 Hz)

Red circles: High-frequency radiation (1 Hz)

Mac et al (Nature Geoscience, 2015)



CONCLUSIONS

Today we have **enough data** to uncover **general patterns** of earthquake rupture
Focusing on **temporal evolution** facilitates testing of conceptual rupture models

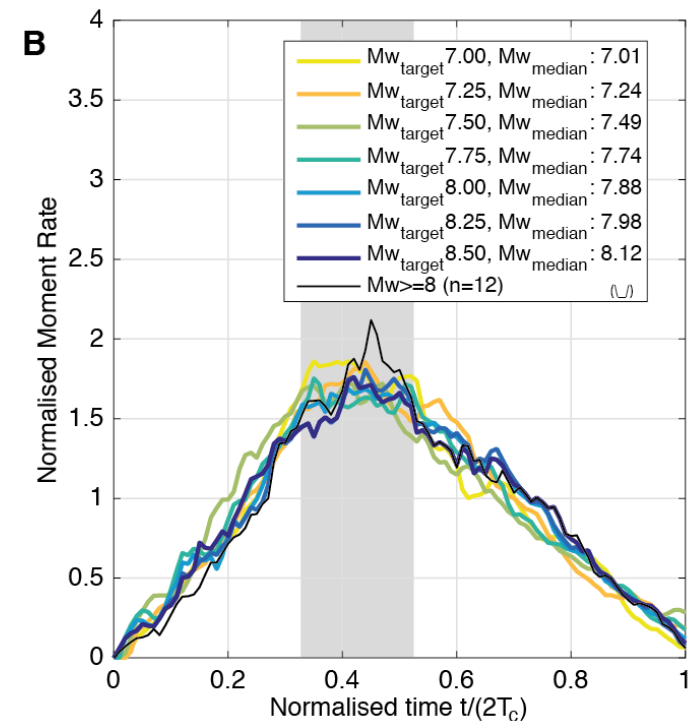
A few things are certain ...

- Large earthquakes are small earthquakes that did not stop
- Individual earthquakes have large variability, but on average they follow a **remarkably simple pattern**
- Observed pattern systematically **deviates from standard models after few seconds**
- Pattern makes rupture evolution **weakly predictable**

More questions than answers ...

- **Physical origin** of the pattern?
- What **dynamical models** can explain the linear STF growth?
- What causes **break of self-similarity** at $\sim 1s$?

**F o o d f o r
thought!**



What's next?

Analysis of strike-slip ruptures

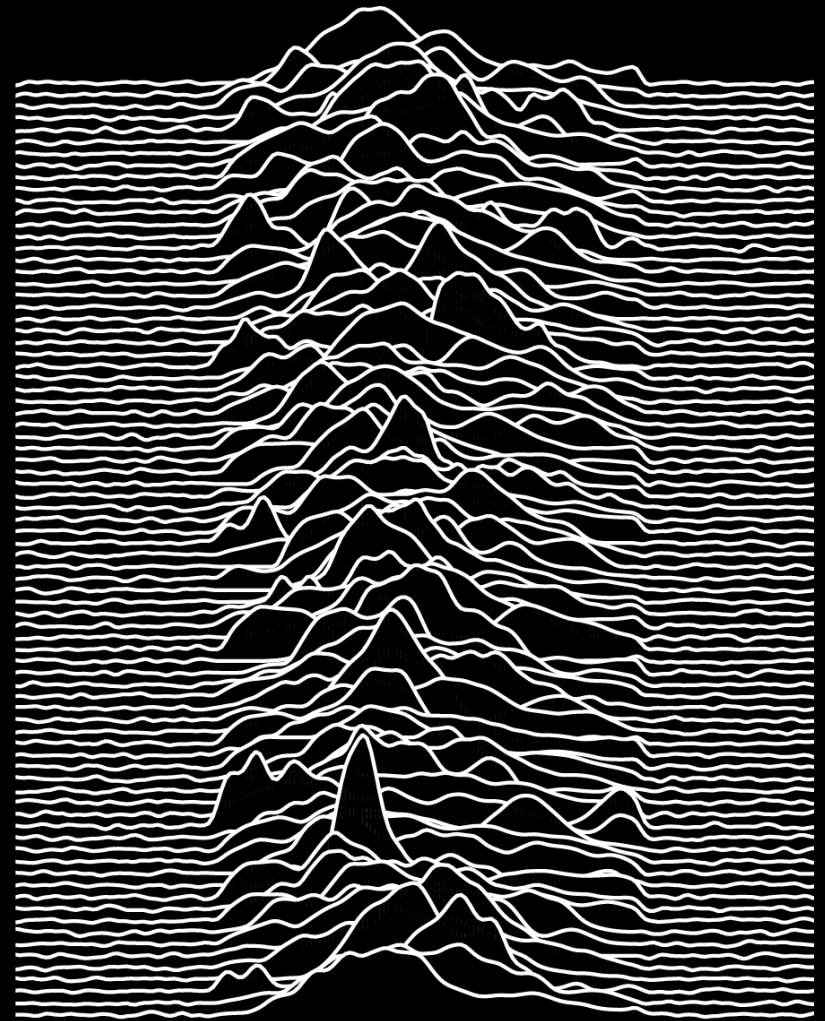
Source studies with uncertainty quantification

Develop methods for systematic analysis across the magnitude range of scaling transition from M6 to M8+

→ break of self-similarity, scaling of rupture aspect ratio

Develop dynamic rupture models consistent with these observations

thank you



Pulses?