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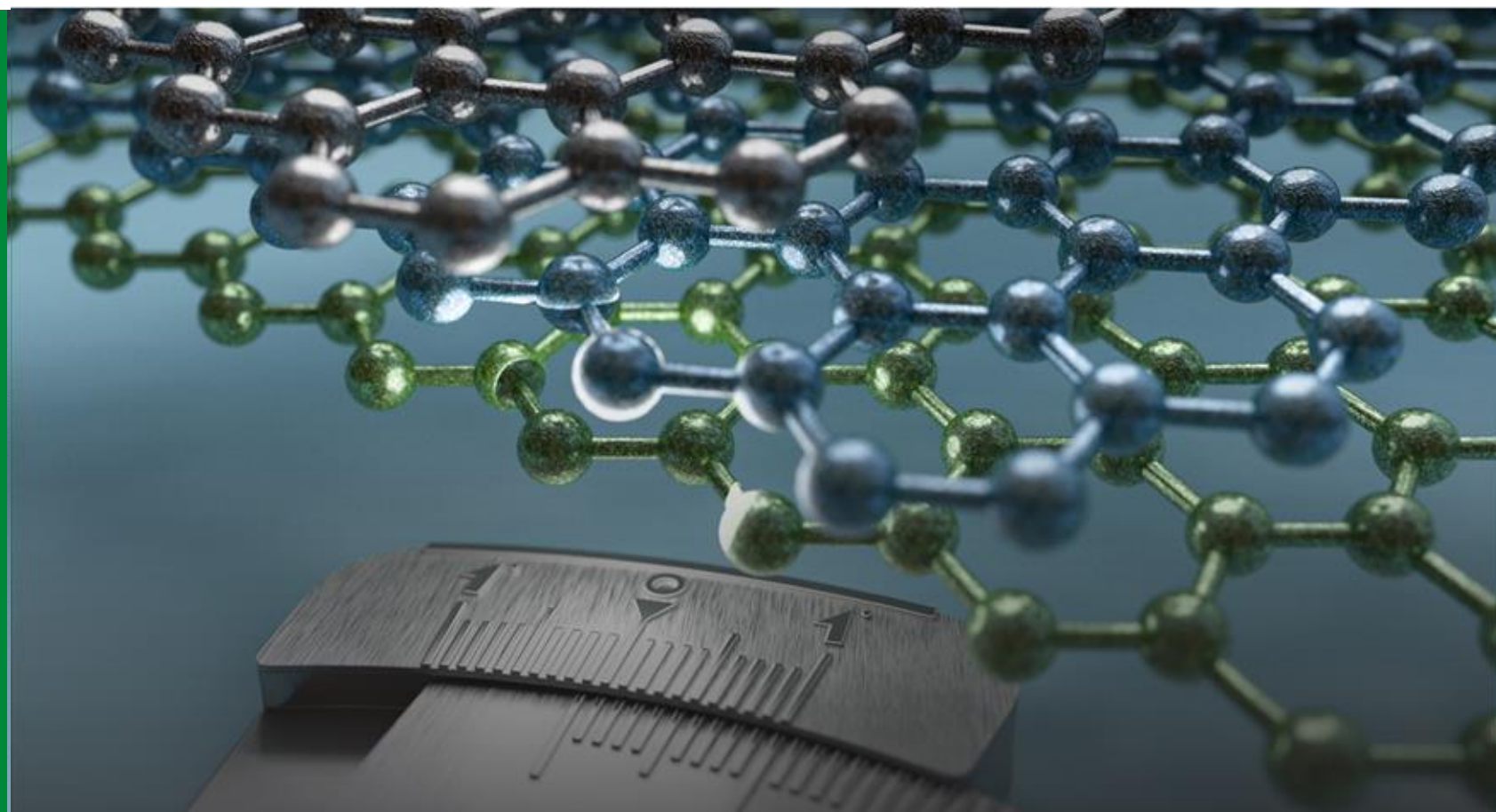


Klaus Tschira
Stiftung



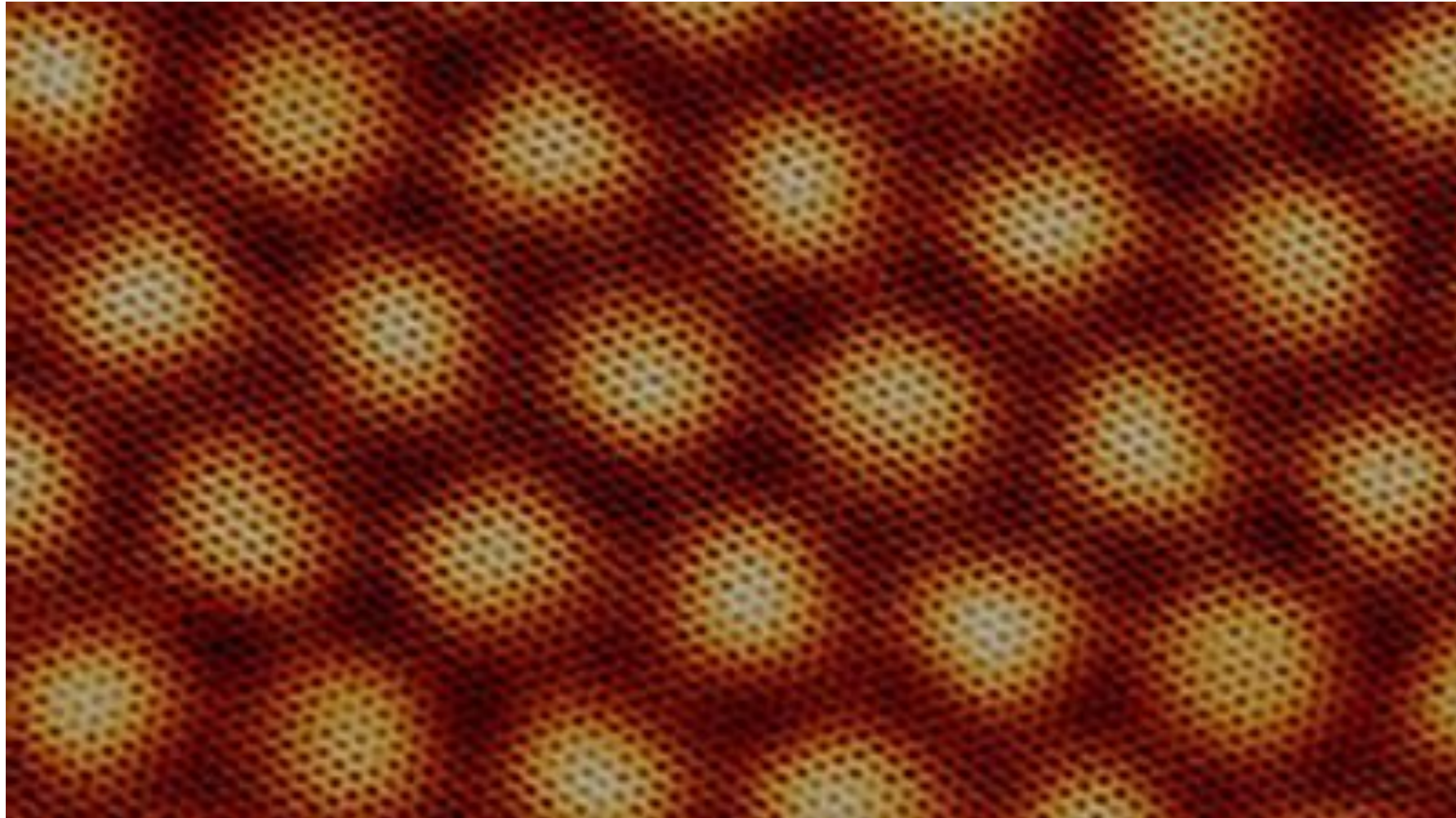
KEELE
FOUNDATION

College de France 13.05.2026

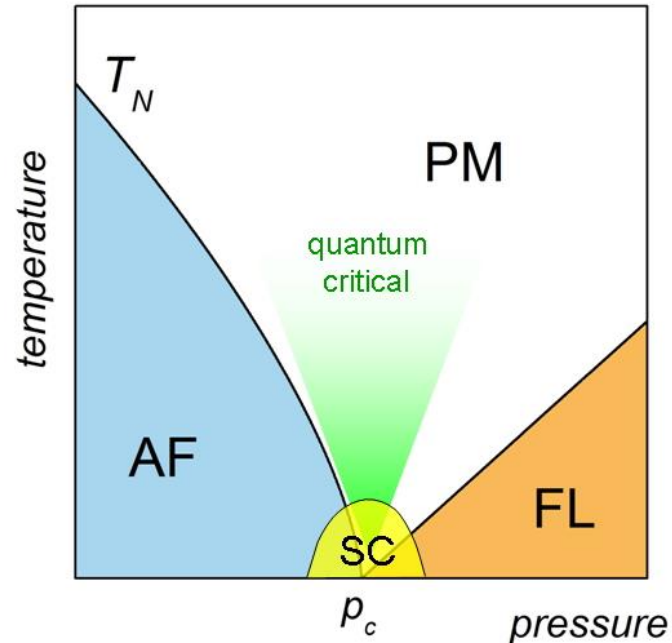


Engineering strongly interacting topological flat-band in magic angle twisted bilayer graphene

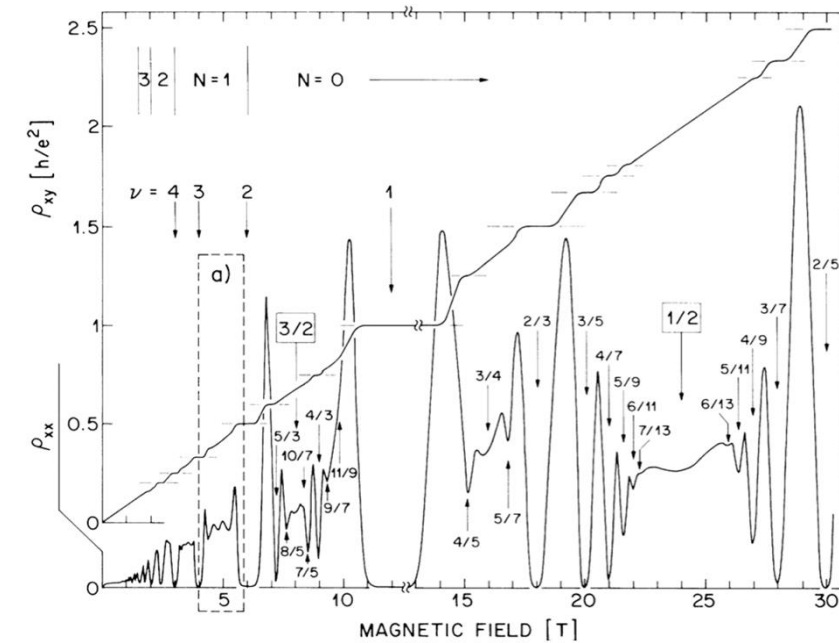
Twisting 2D materials - Moiré interference pattern



Phase diagram of heavy fermion compound:



Phase diagrams of fractional quantum Hall:



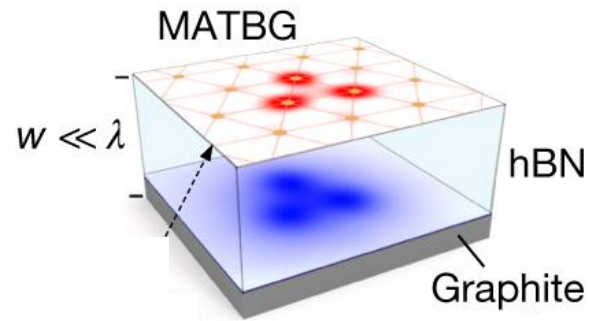
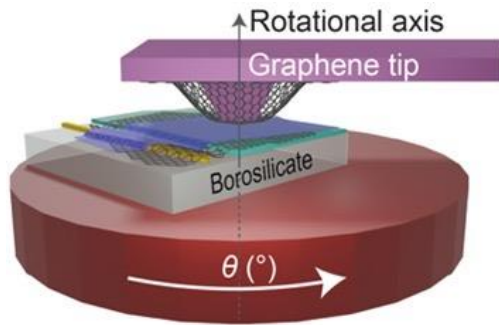
Main principles:

- Interactions between particles dominate.
- Emergence of novel phases (superconductivity, quantum spin liquids, topological states).
- Rich collective behavior and new quasiparticles.

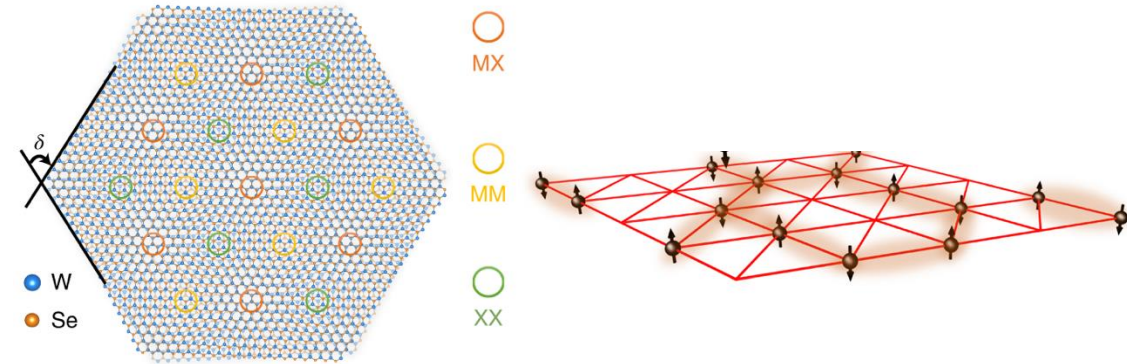
Big open questions:

- What drives high-temperature superconductivity?
- What is the nature of non-Fermi liquid behavior?
- How do entanglement and topology shape quantum matter?

Novel control knobs:



Novel experimental possibilities::



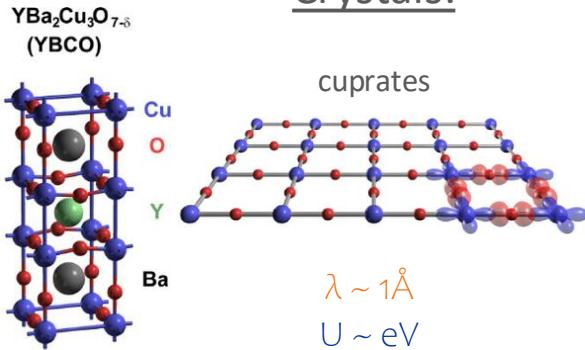
- Twist angle \rightarrow tunes bandwidth and topology of bands.
- Carrier density (gating/doping) \rightarrow controls filling and phase transitions.
- Displacement field (dual gates) \rightarrow modifies symmetry.
- Layer stacking / alignment \rightarrow changes symmetry, topology, and interactions.
- Dielectric environment \rightarrow screens interactions and modifies correlation strength.

- Realization of tunable Hubbard models in solid-state platforms.
- Access to flat bands \rightarrow enhanced correlations and emergent phases (SC, Mott, Chern insulators).
- Exploration of topological bands with strong interactions.
- Direct comparison between theory and experiment in a highly controllable setting.

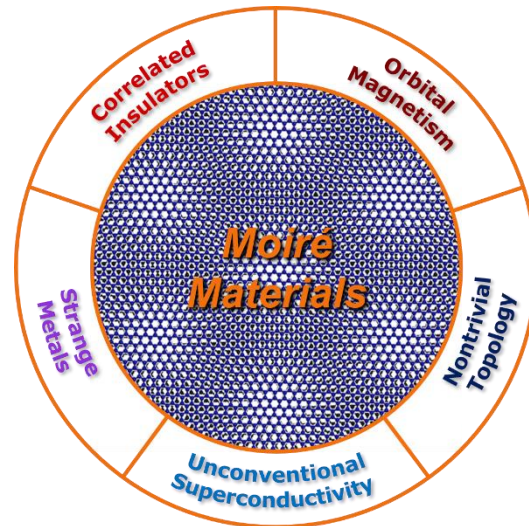
Moiré materials

New platform for strongly correlated electrons

Crystals:



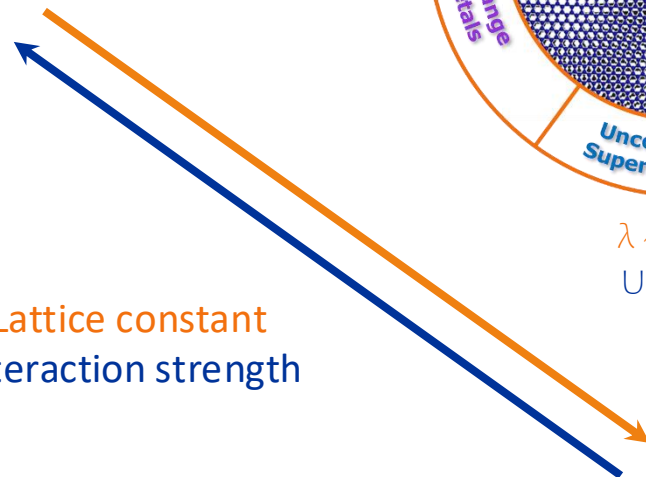
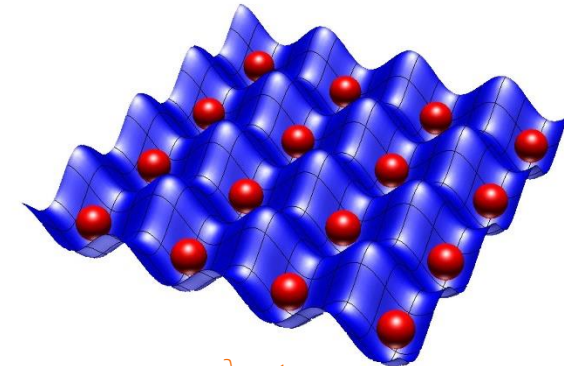
Magic-angle tBLG:



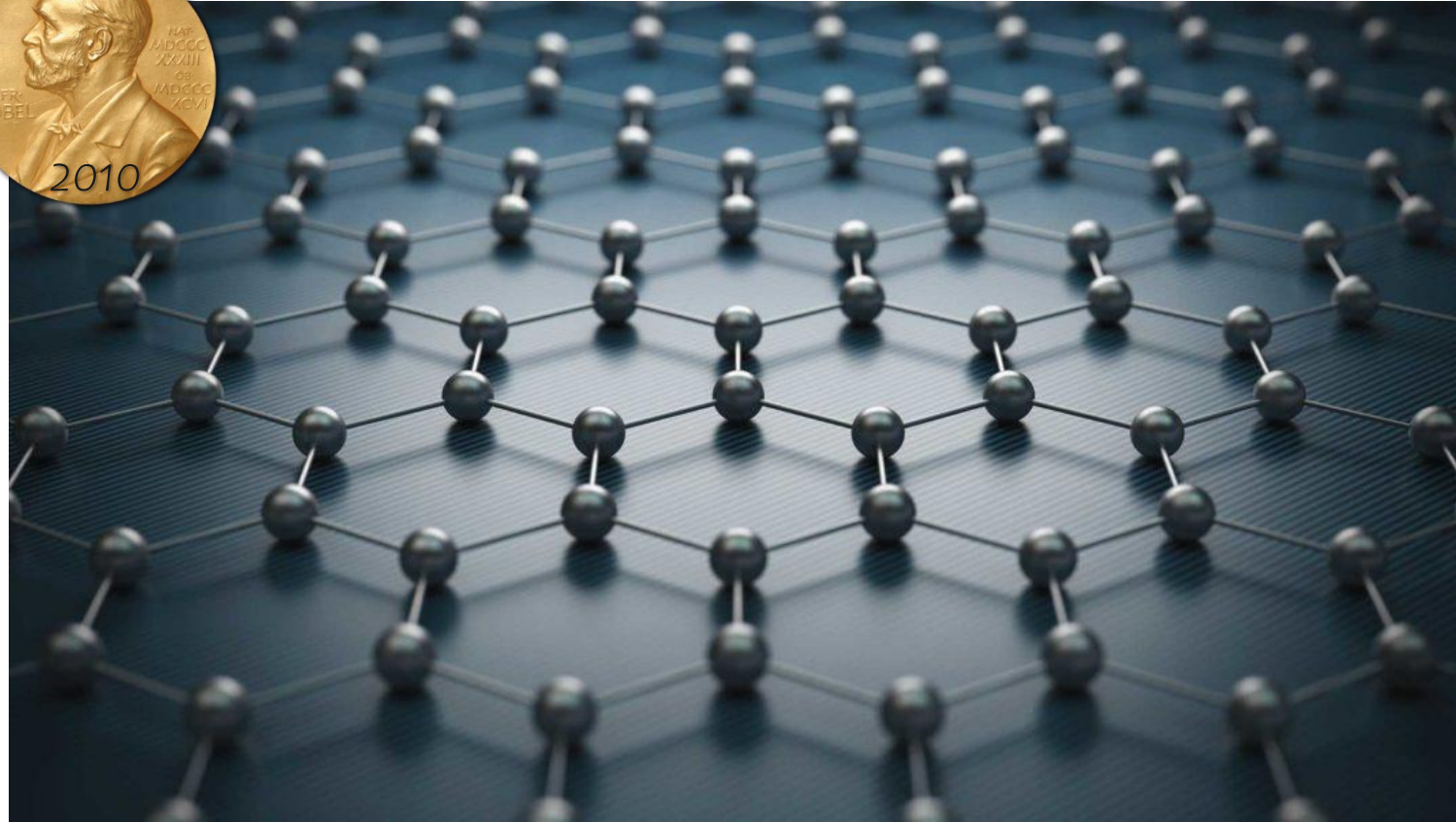
$\lambda \sim 10\text{nm}$
 $U \sim \text{meV}$

Lattice constant
Interaction strength

Optical lattices:



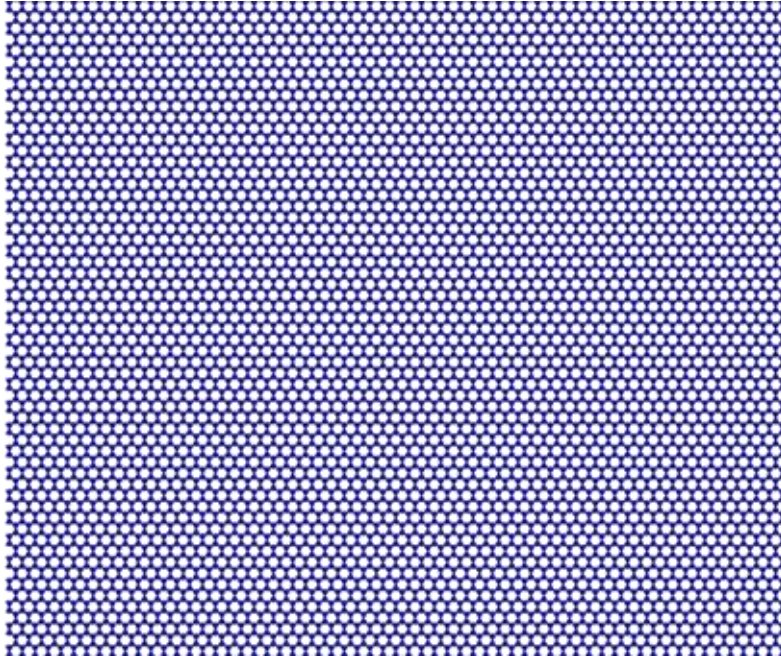
Graphene '04



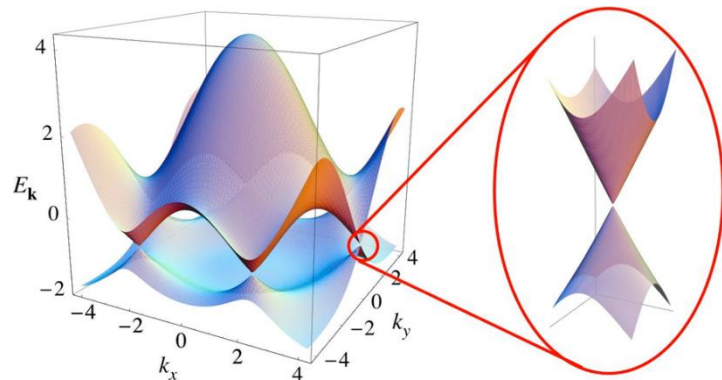
- One atomic layer of carbon atoms
 - True 2D material
 - Scotch tape

Advent of Graphene and 2D van der Waals materials

Graphene 2D lattice:



Graphene 2D band structure:



Dirac equation

$$\hat{H} = v_F \vec{\sigma} \cdot \hat{p}$$

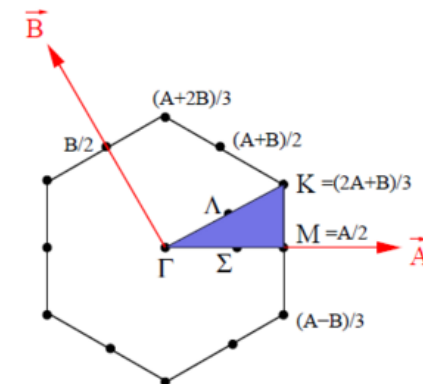
Effective mass

$$m^* = \pm \hbar \left(\frac{d^2 E_k}{dk^2} \right)^{-1}$$

Record properties of graphene:

- Thinnest imaginable material → one atom thick
- Highest surface area → 2630 m²/g
- Transparent to light → 97.7 %
- Ultra-broadband absorption → uV - THz
- Stiffest material → 1 TPa
- Strongest material → 130GPa
- Most stretchable material → 20%
- Record thermal conductivity → 6000 W/mK
- Highest current density at RT → 10⁶ > copper
- Highest intrinsic mobility → 100 > Si
- Lightest charge carrier → massless Dirac fermions
- Longest mean free path at room temp → microns
- Easily functionalized and process able
- Impervious to even He

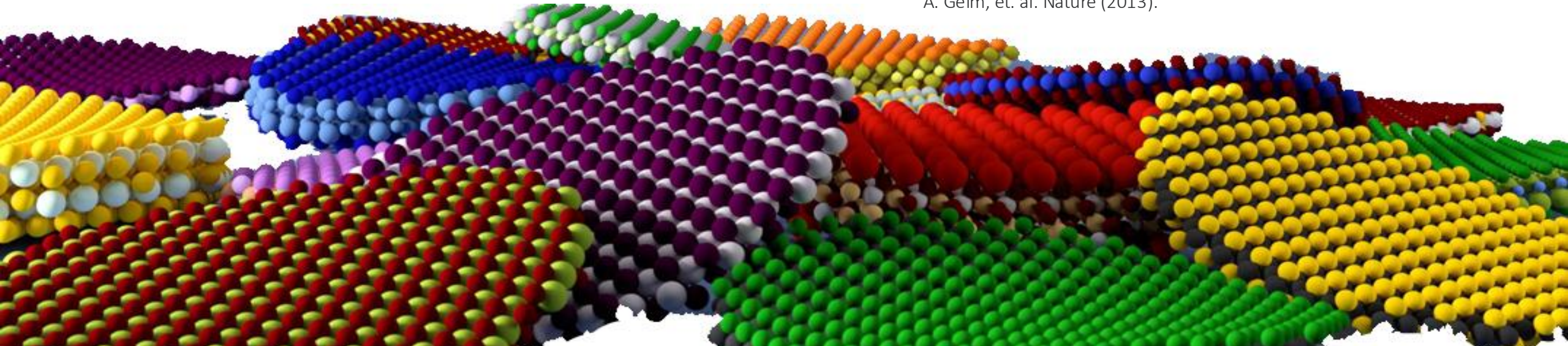
Graphene 2D Brillouin zone:



Graphene and 2D van der Waals materials

Graphene family	Graphene	hBN 'white graphene'	BCN	Fluorographene	Graphene oxide
2D chalcogenides	MoS ₂ , WS ₂ , MoSe ₂ , WSe ₂	Semiconducting dichalcogenides: MoTe ₂ , WTe ₂ , ZrS ₂ , ZrSe ₂ and so on	Metallic dichalcogenides: NbSe ₂ , NbS ₂ , TaS ₂ , TiS ₂ , NiSe ₂ and so on		
			Layered semiconductors: GaSe, GaTe, InSe, Bi ₂ Se ₃ and so on		
2D oxides	Micas, BSCCO	MoO ₃ , WO ₃	Perovskite-type: LaNb ₂ O ₇ , (Ca,Sr) ₂ Nb ₃ O ₁₀ , Bi ₄ Ti ₃ O ₁₂ , Ca ₂ Ta ₂ TiO ₁₀ and so on		Hydroxides: Ni(OH) ₂ , Eu(OH) ₂ and so on
	Layered Cu oxides	TiO ₂ , MnO ₂ , V ₂ O ₅ , TaO ₃ , RuO ₂ and so on			Others

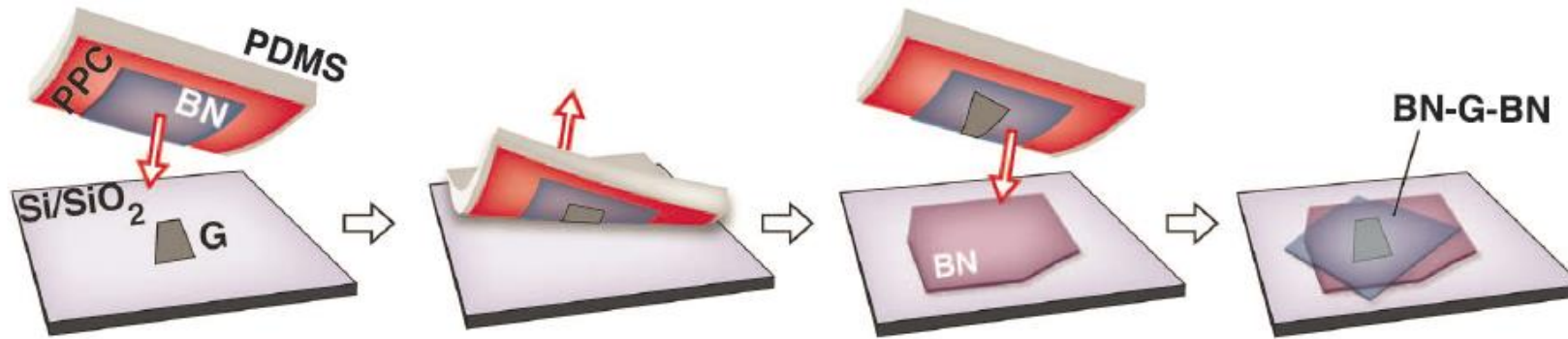
A. Geim, et. al. Nature (2013).



> 2500 vdW materials

VdW heterostructures – clean coupling over < 1nm

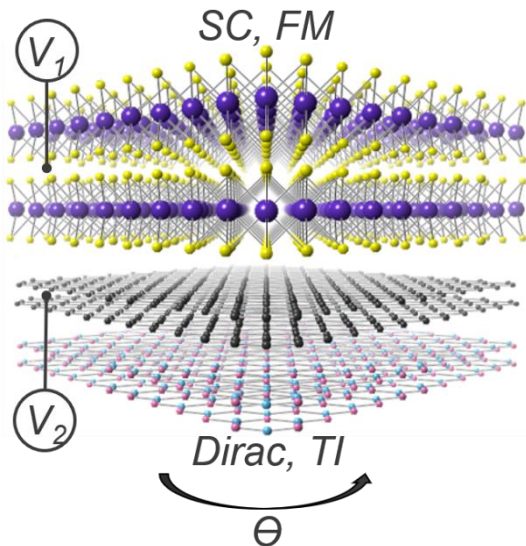
vdW co-lamination transfer technique:



A. Geim, et. al. Nature (2013).

C. Dean, P. Kim, J. Hone, et. al. Science (2013).

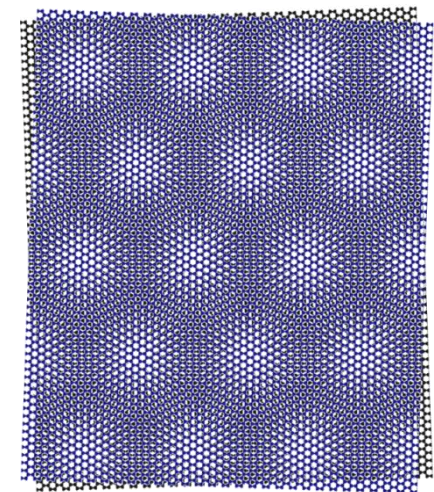
Designer vdW stack:



TEM cross-section:

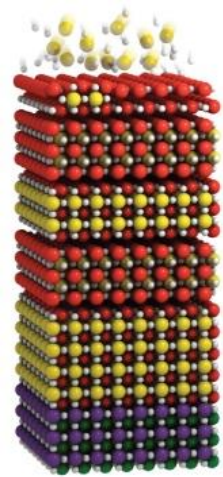


Moiré superlattice:

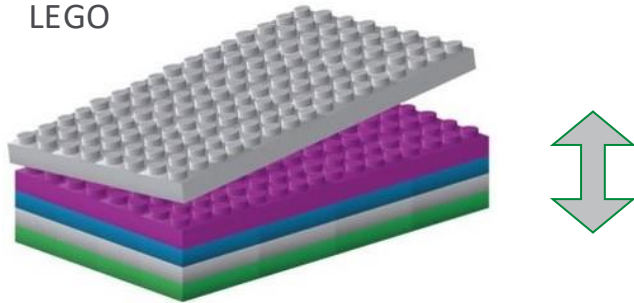


MBE (LEGO) vs. vdW (CARDS)

Molecular beam epitaxy:

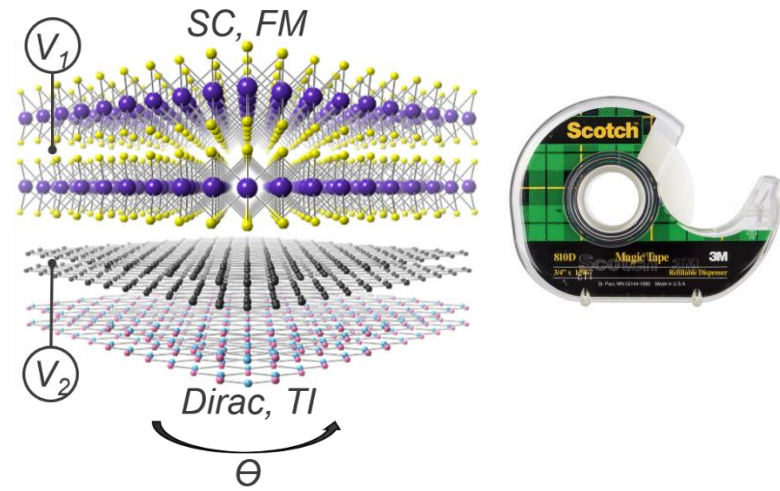


LEGO



Crystallographic orientation locked

Van der Waals assembly:



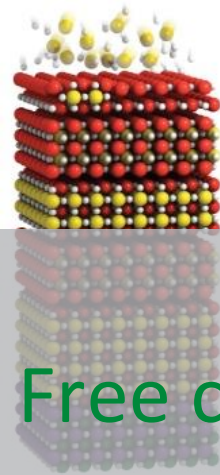
CARDS



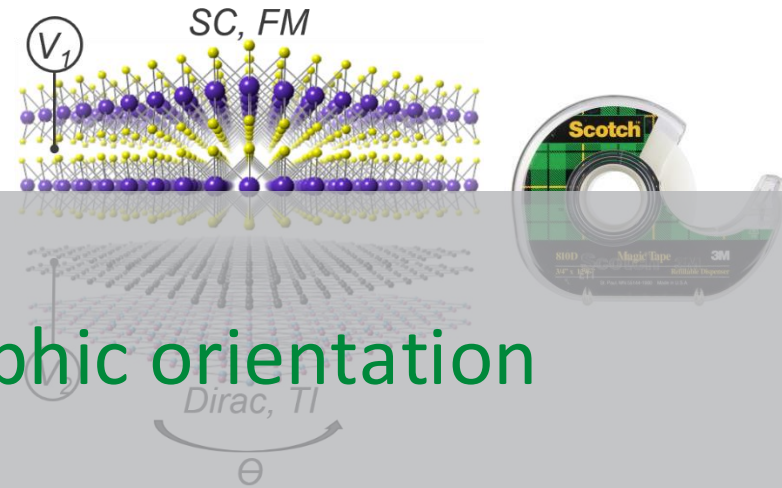
Crystallographic orientation free

MBE (LEGO) vs. vdW (CARDS)

Molecular beam epitaxy:

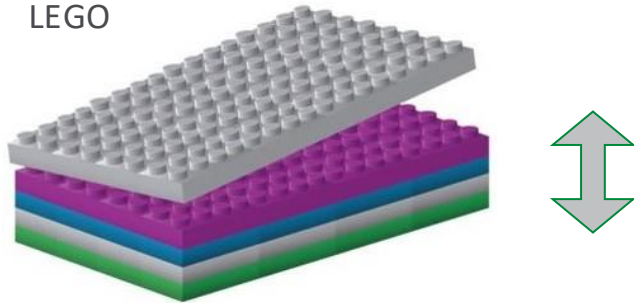


Van der Waals assembly:



New → Free crystallographic orientation

LEGO



Crystallographic orientation locked



CARDS



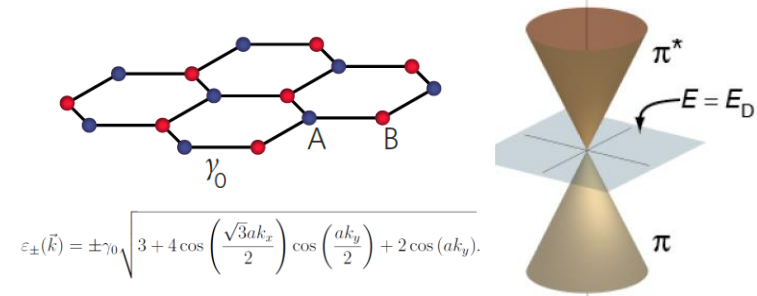
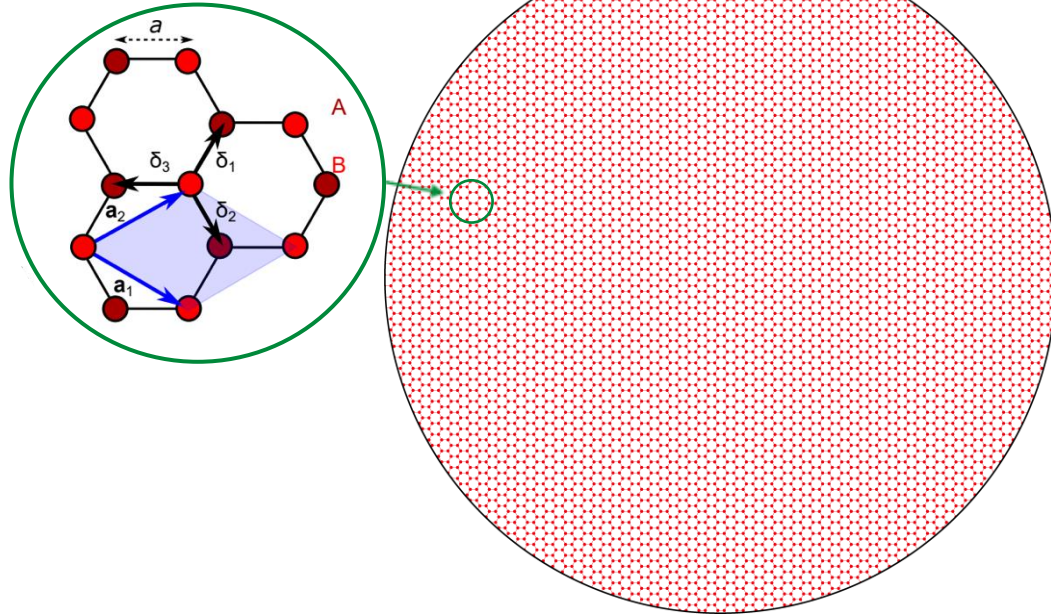
Crystallographic orientation free

Moiré super-potential in twisted bilayer graphene

Twisted bilayer graphene:

Single layer graphene:

Graphene cell, $a \sim 0.14$ nm



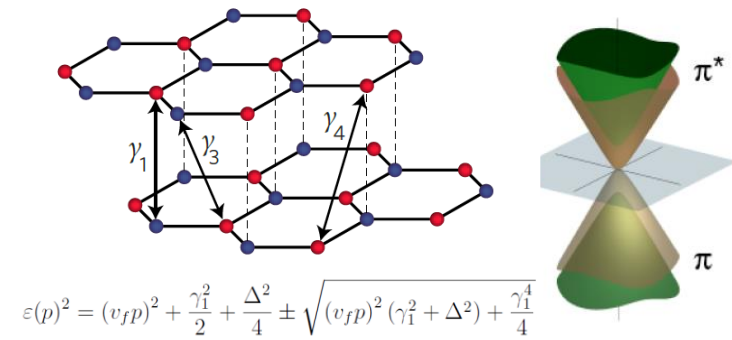
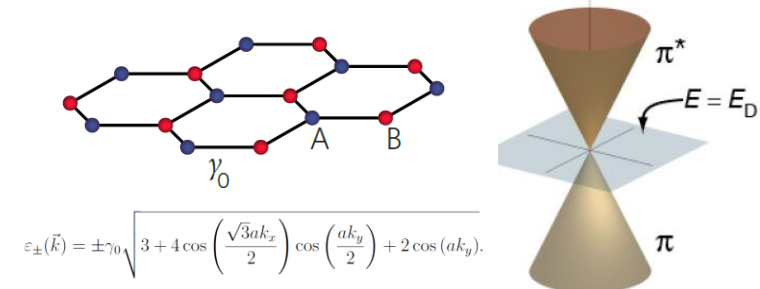
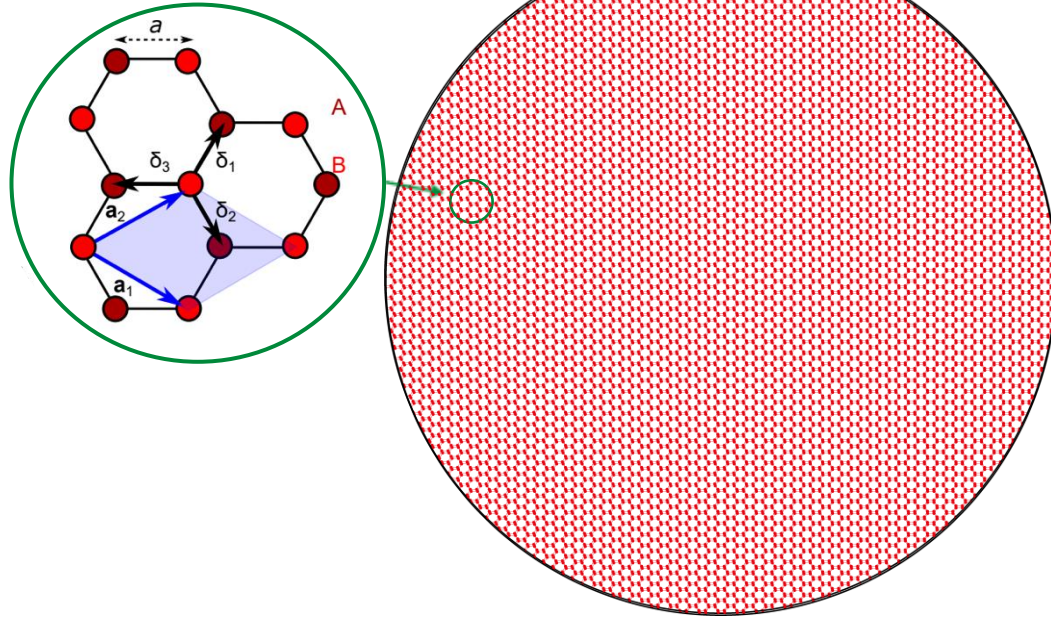
Moiré super-potential in twisted bilayer graphene

Twisted bilayer graphene:

Single layer graphene:

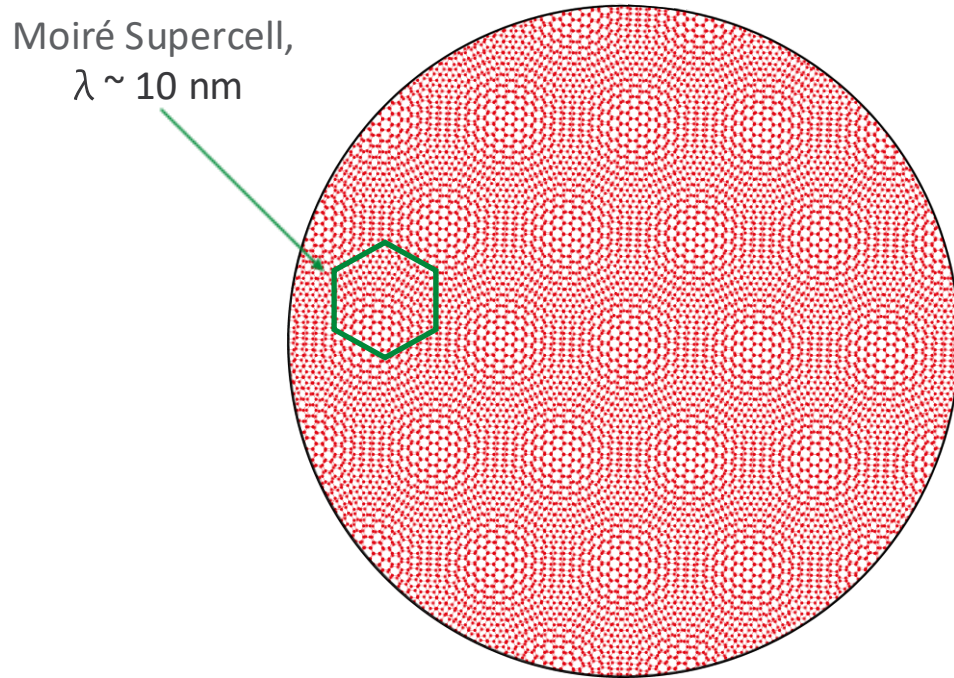
AB bilayer graphene:

Graphene cell, $a \sim 0.14$ nm

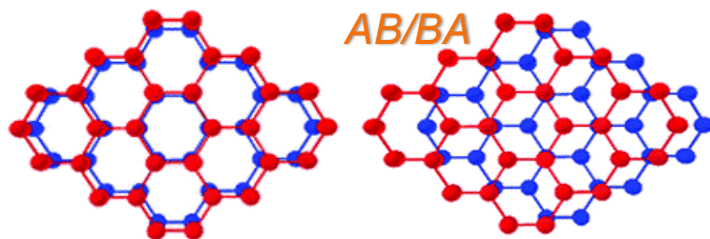


Moiré super-potential in twisted bilayer graphene

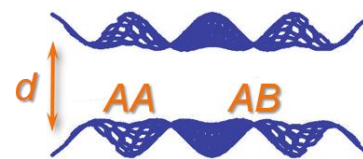
Twisted bilayer graphene:



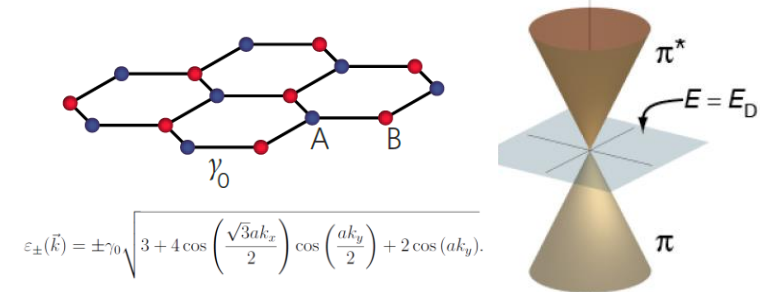
Atomic arrangement:



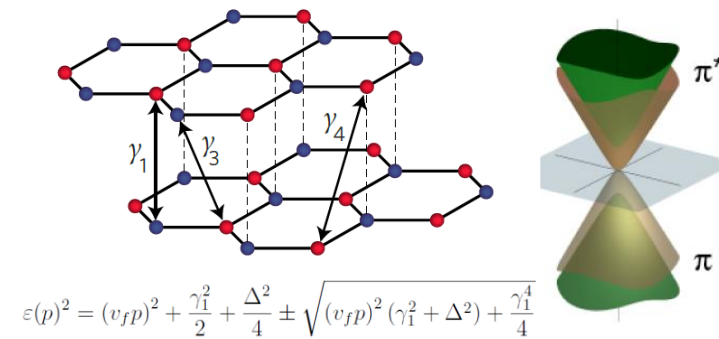
Height profile:



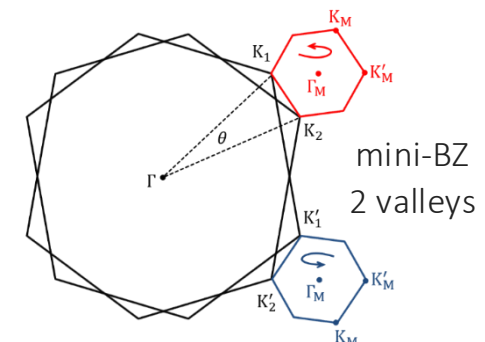
Single layer graphene:



AB bilayer graphene:

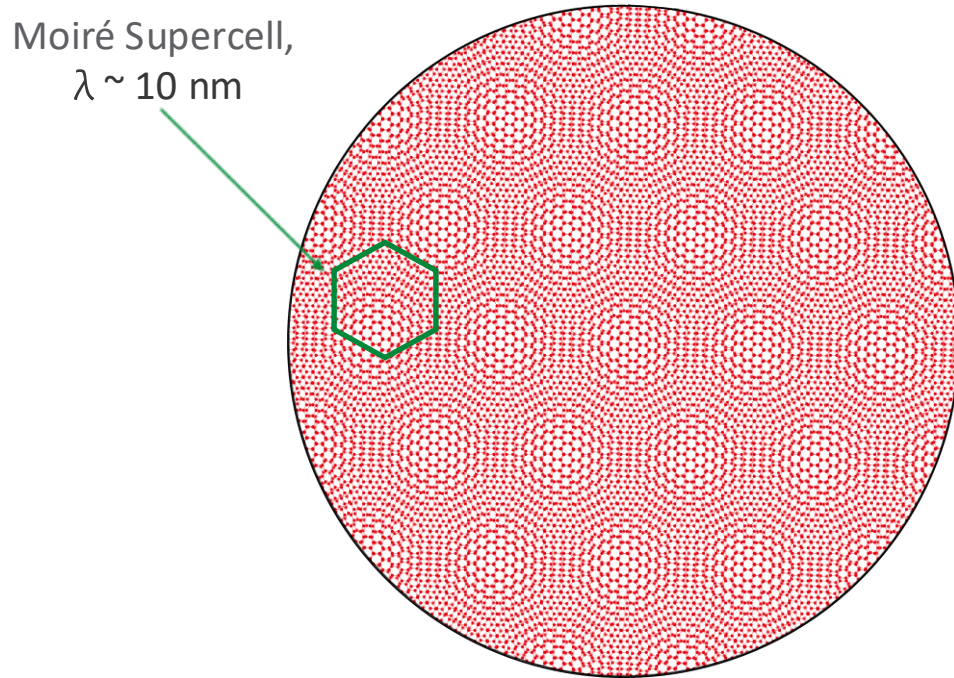


Brillouin zone:



Bistritzer-MacDonald continuum model & the magic angle

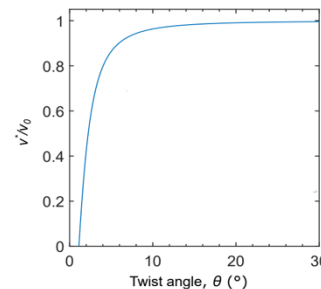
Twisted bilayer graphene:



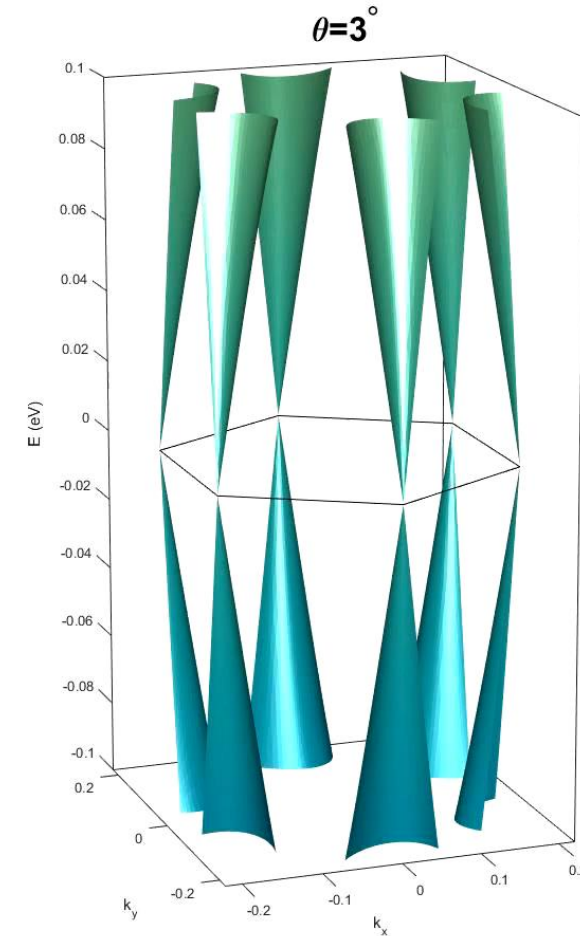
Bistritzer R. and MacDonald A.H., PNAS, **108**, (2011)

$$H_K = \begin{pmatrix} v_F \boldsymbol{\sigma} \cdot \mathbf{p}_1 & T(\mathbf{r}) \\ T^\dagger(\mathbf{r}) & v_F \boldsymbol{\sigma} \cdot \mathbf{p}_2 \end{pmatrix}$$

$$T(\mathbf{r}) = \sum_{n=0}^2 T_{n+1} e^{-i\mathbf{q}_{n+1} \cdot \mathbf{r}}$$

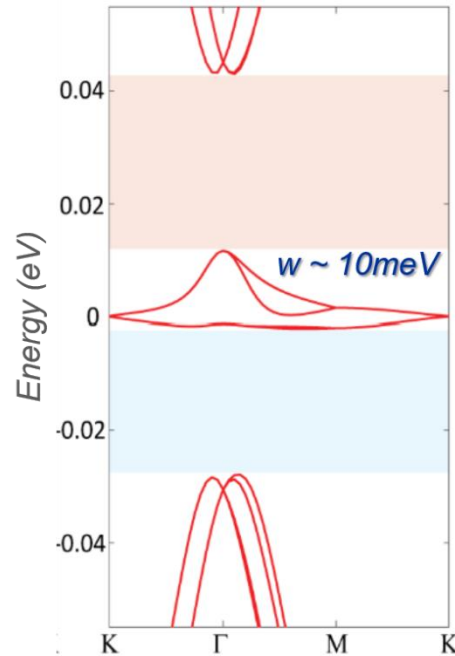


Band-structure vs. θ in TBG:



Cao Y. et al., Nature **556**, 80 (2018)

Spin/valley degenerate flat bands:

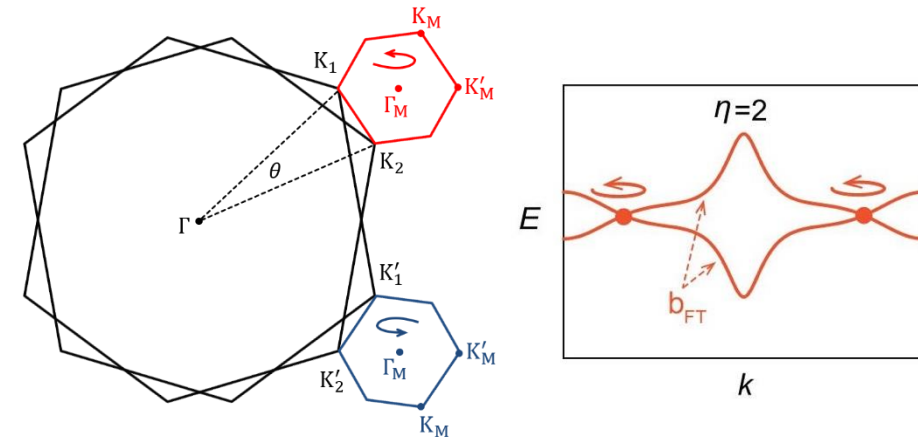


Continuum model calculations
(Bistritzer/MacDonald) + corrugations/strain

H. Yoo, ... , E. Kaxiras, P. Kim, Nature Materials 18, 448 (2019).

and many many others.

Berry curvature in mini-BZs add up:



- Spin/valley degeneracy $4e/uc$
- Mini-BZs decoupled
- No localized Wannier functions \rightarrow Chern bands
- Interactions can break C_2T symmetries

Bernevig group (2018).

MacDonald group (2019).

Fu group (2018).

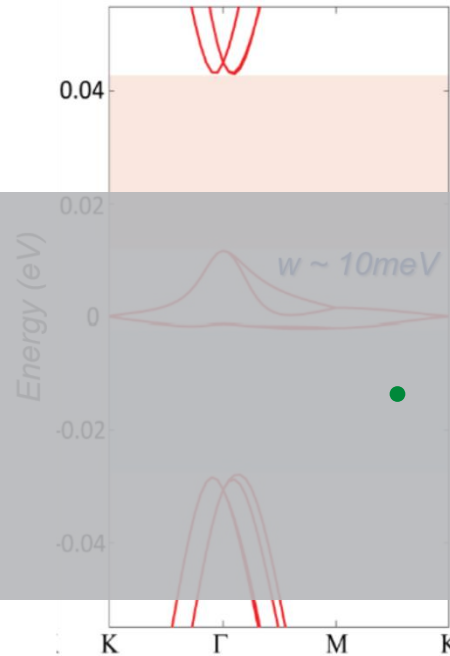
Vishnawanth group (2018).

Zaletel group (2018).

Todadri group (2019).

Topological flat-bands in MATBG

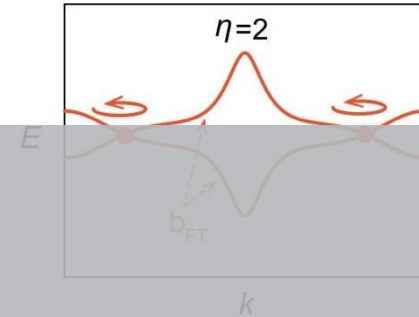
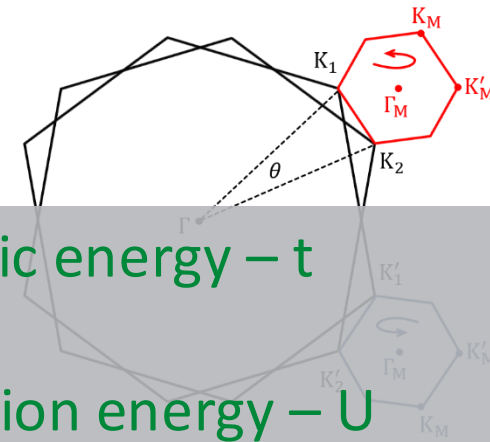
Spin/valley degenerate flat bands:



Continuum model calculations
(Bistritzer/MacDonald) + corrugations/strain

- quenched kinetic energy – t
- dominant interaction energy – U
- bands are topological

Berry curvature in mini-BZs add up:



- Spin/valley degeneracy $4e/uc$
- BZs decoupled

- No localized Wannier functions → Chern bands
- Interactions can break C_2T symmetries

H. Yoo, ... , E. Kaxiras, P. Kim, Nature Materials 18, 448 (2019).

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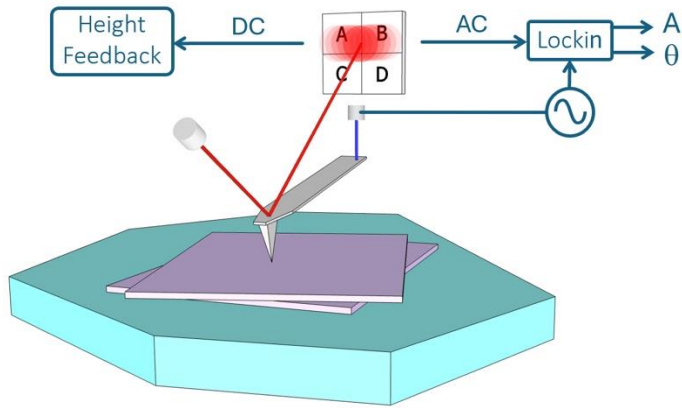
Fu group (2018).

Vishnawanth group (2018).

Zaletel group (2018).

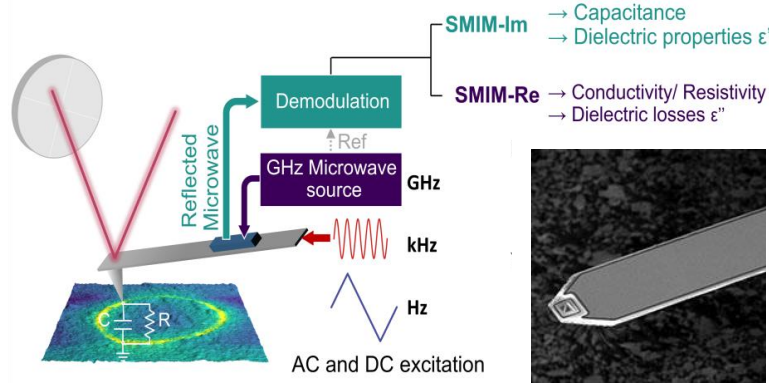
Todadri group (2019).

Torsional force microscopy (TFM):



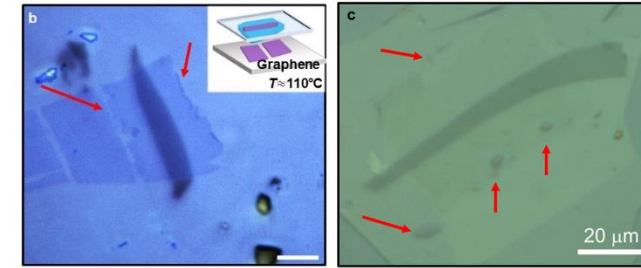
Pendharkar, M., PNAS 10 (2024).

Scanning Microwave Impedance Microscopy (sMIM):

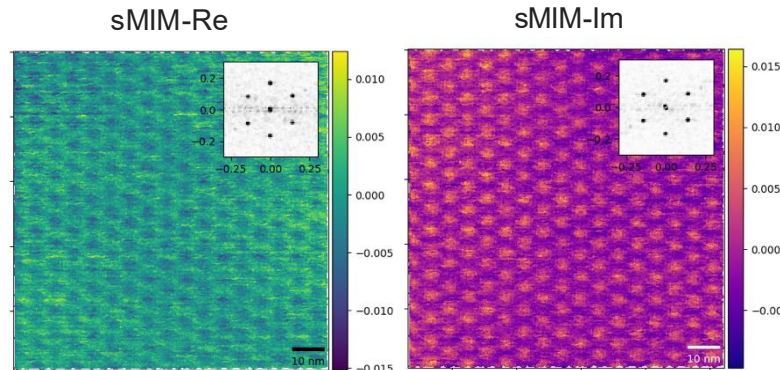
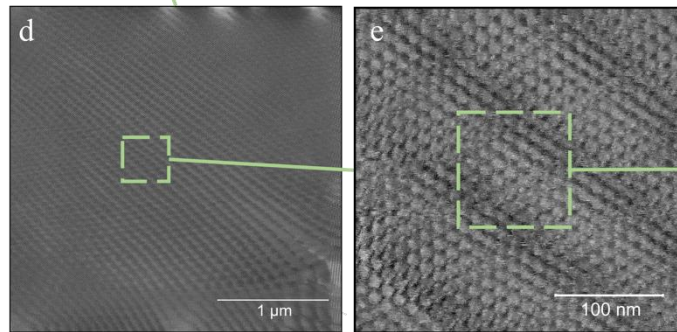
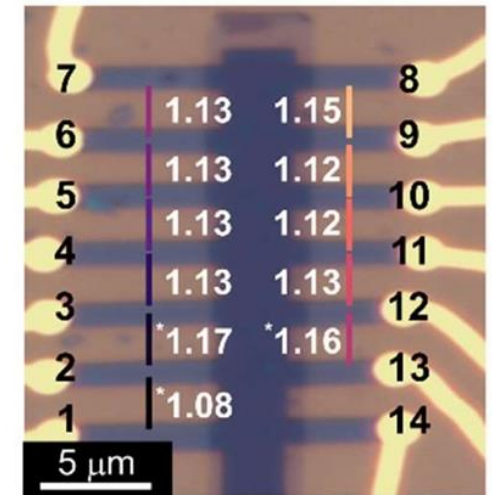


Bargas G., Phys. Stat. Sol. B, (2024).

Deterministic edge clamping and bubble removal:



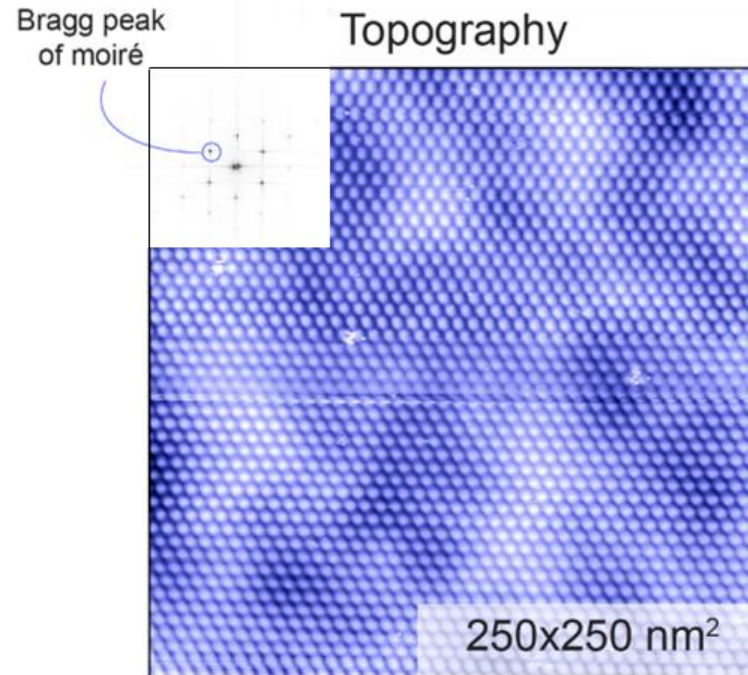
Optimized device design:



- Production of ultra-homogeneous MATBG devices.
- Production of MATBG devices with well defined strain profiles.
- Twist angle variation $\Delta\theta \leq 0.02^\circ$, with homogenous regions up to $\sim 36 \mu\text{m}^2$.

Moiré super-lattice and flat bands in tBLG

STM - Moiré topography:



T. Benschop, ... , DKE, M. Allan, PRR 3, 013153 (2021).

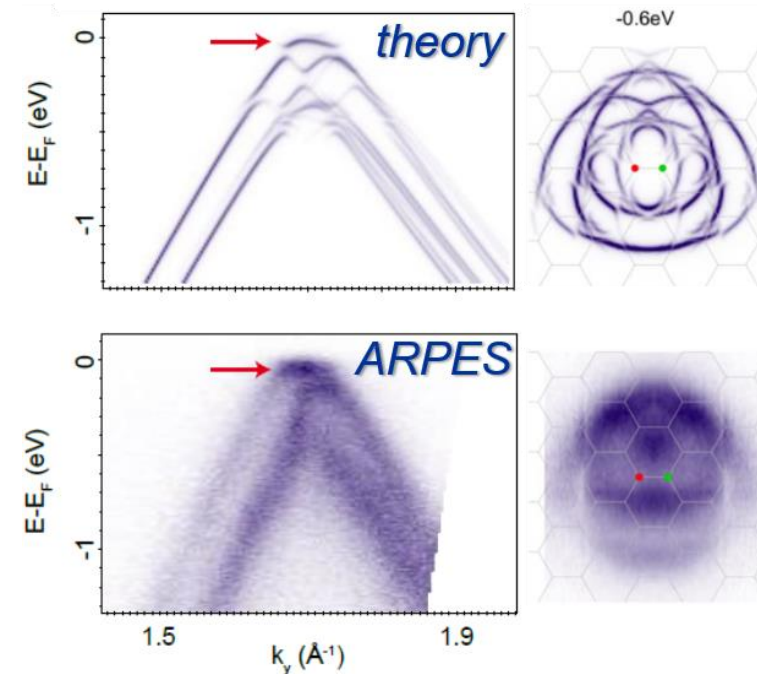
Nadj-Perge group, Nature Physics (2019).

Yazdani group, Nature (2019).

Pasupathy group, Nature (2019).

Andrei group, Nature (2019).

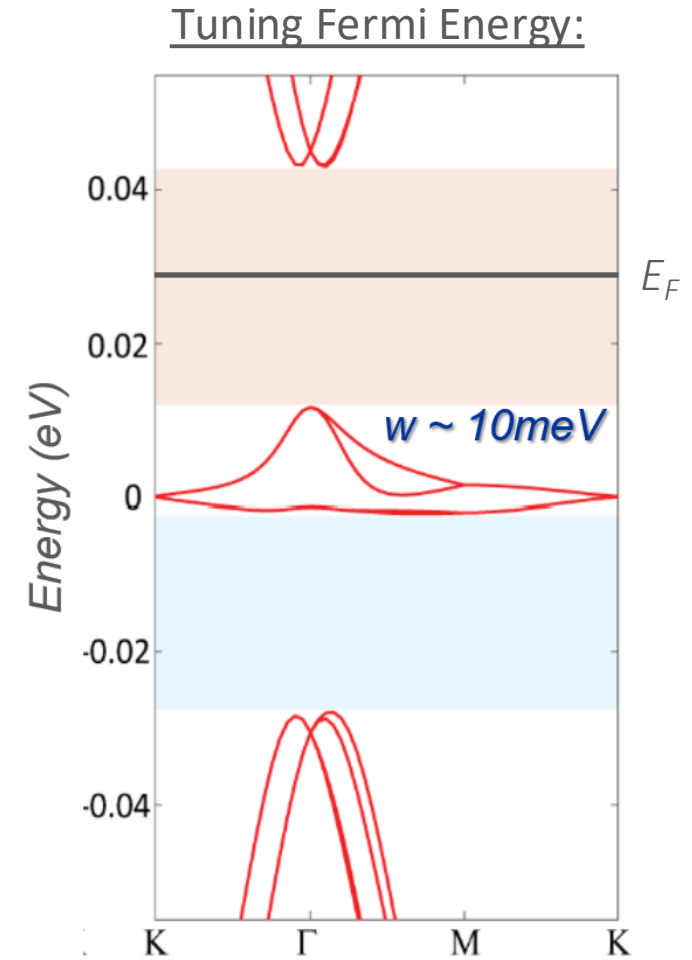
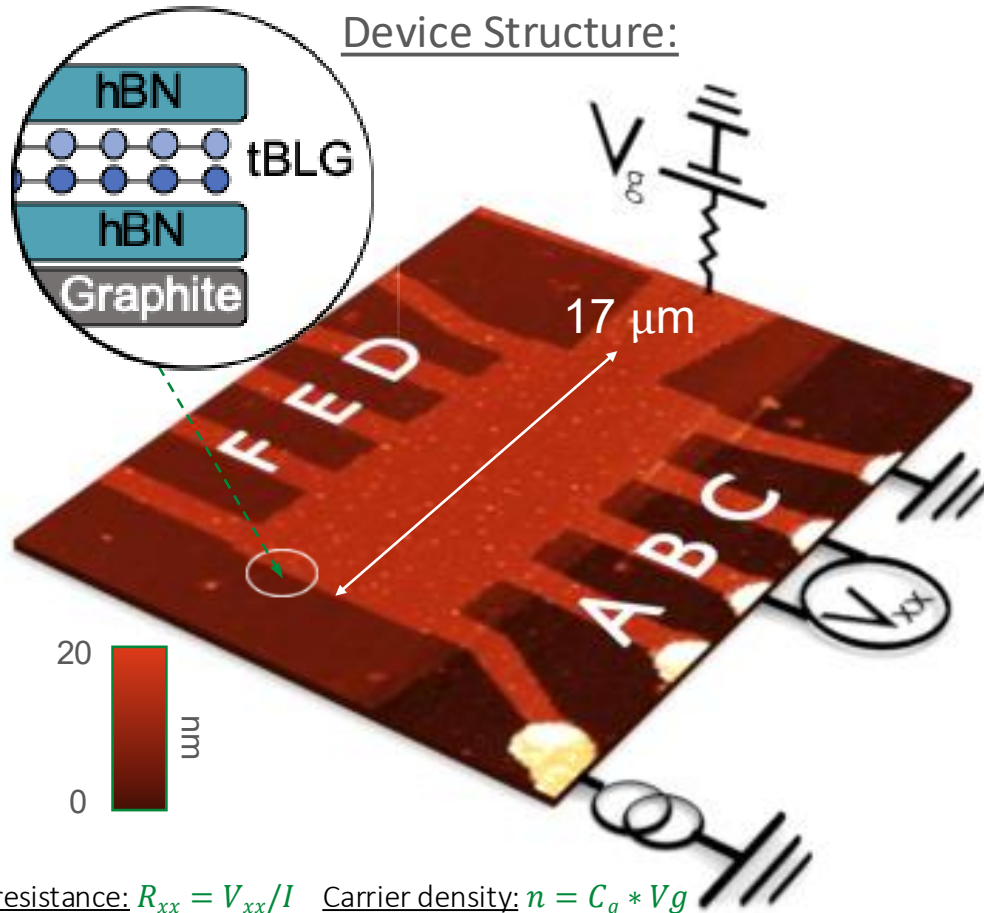
Nano-ARPES for $\theta \sim 1.3^\circ$:



S. Lisi, ... , DKE, F. Baumberger, Nature Physics 17, 189 (2021).

Also:

M. Utama, ... , F. Wang, Nature Physics (2020).



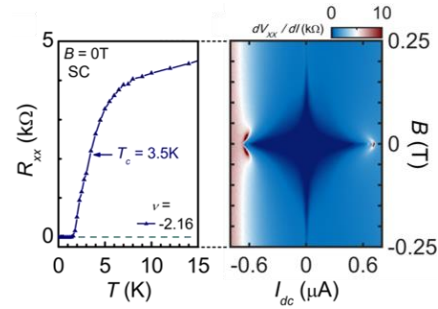
Longitudinal resistance: $R_{xx} = V_{xx}/I$ Carrier density: $n = C_g * V_g$

Hall resistance: $R_{xy} = V_{xy}/I$ Hall density: $n = n_H = -B/eR_{xy}$

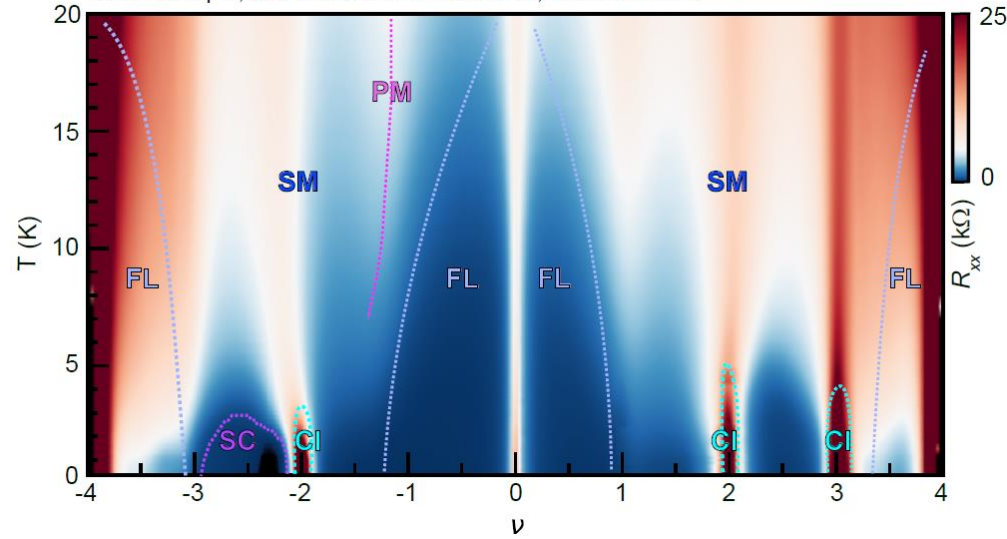
MATBG – temperature and filling dependent phase diagram

CI: correlated insulator, SC: superconductor, PM: Pomeranchuk-effect, SM: strange metal, FL: Fermi liquid, CCI: Correlated Chern insulator, C: Chern number

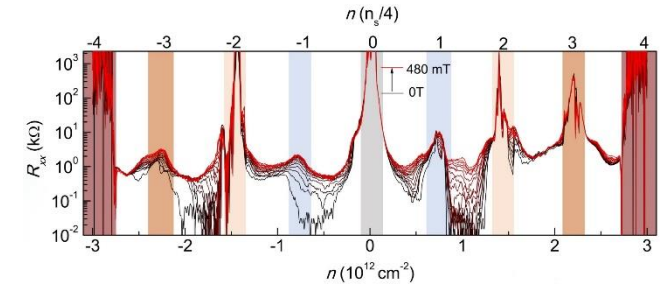
Superconductivity:



P. Stepanov, I. Das, X. Lu, ... , DKE, Nature 583, 375 (2020).

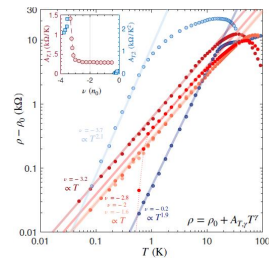


Correlated Insulators:

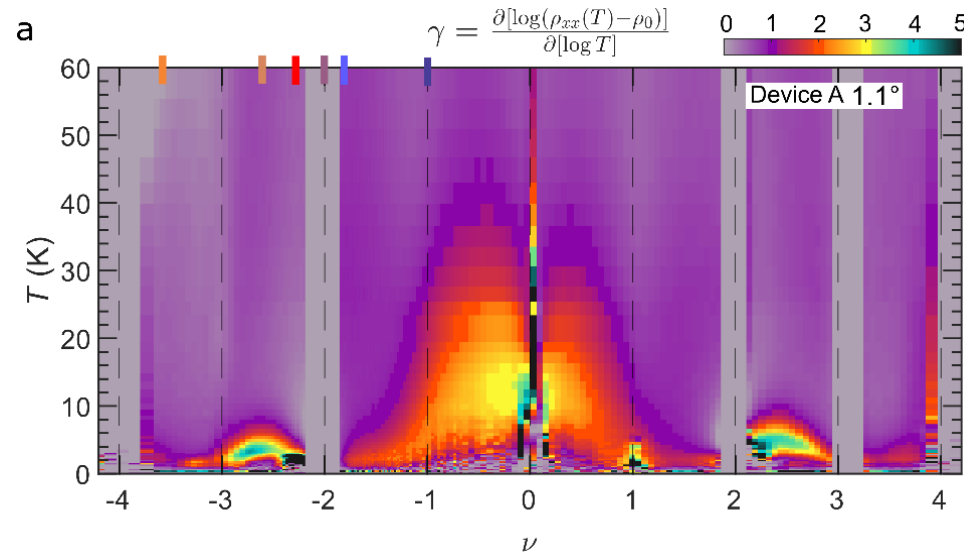


X. Lu, ... , DKE, Nature 574, 653 (2019).

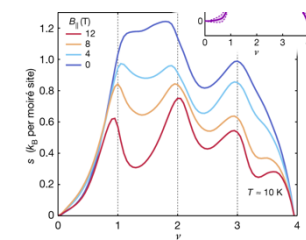
Strange metal:



A. Jaoui, ... , DKE, Nature Physics 18, 633 (2022).



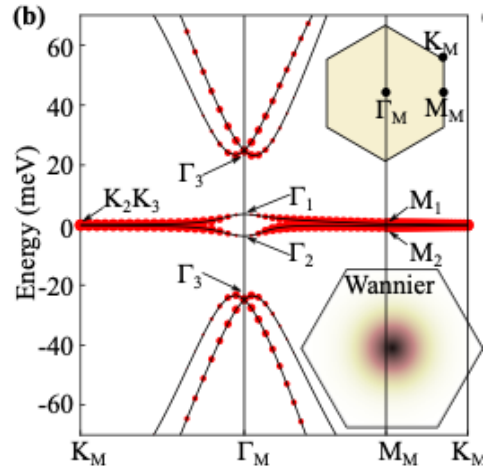
Pomeranchuk effect:



A. Rozen, ... , S. Ilani, Nature 592, 214 (2021).

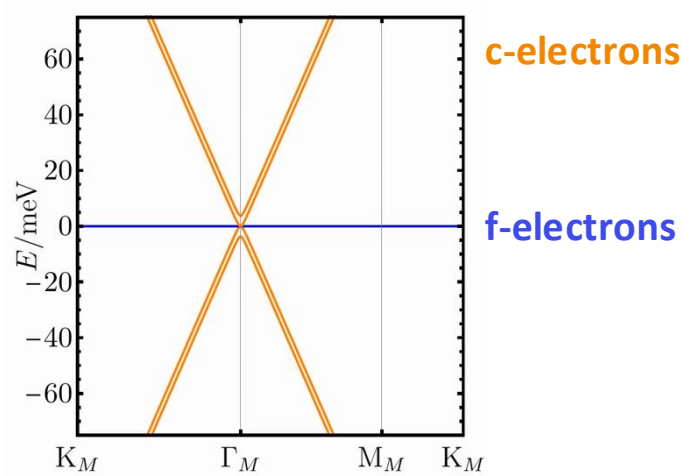
Topological heavy fermion model (THF)

BM model:



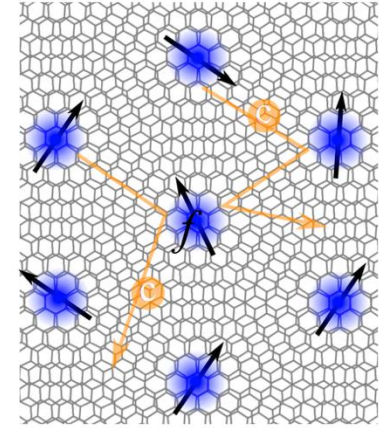
- Flat-band regions host slow and heavy electrons.
- Dispersive band regions prevail in the Γ -point due to topological obstruction.

Mapping of BM onto THF model:



- Basis transformation allows to decompose flat-band regions (f-bands) and dispersive band regions (c-bands).
- Hybridisation of f and c bands leads to a direct mapping onto the BM model.

THF picture:



- Lattice of strongly-interacting, localized (heavy) **f-electrons** \rightarrow carry flatness.
- Nearly-free background of itinerant (light) **c-electrons** \rightarrow carry topology.

- \rightarrow Direct mapping of BM onto the THF model.
- \rightarrow Localized f- and topological c-bands.
- \rightarrow DMFT calculations possible.

Z.D. Song et. al. PRL 103, 205414 (2022).

Also: Bascones, Berg, Kalaf, Vishnavanth, Glazman, Valenti, Wehling, SanGiovanni

Mott phase of topological bands in THF picture

Effective Hamiltonian Including Coulomb and Exchange:

$$\hat{H}_{THF} = \hat{H}_0 + \hat{H}_U + \hat{H}_V + \hat{H}_W + \hat{H}_J$$

$$H_U = \frac{U}{2} \sum \hat{f}^\dagger \hat{f} \hat{f}^\dagger \hat{f}$$

Coulomb repulsion
between f
 $U \sim 60$ meV

$$H_V = V \sum \hat{c}^\dagger \hat{c} \hat{c}^\dagger \hat{c}$$

Coulomb repulsion
between c
 $V \sim 40$ meV

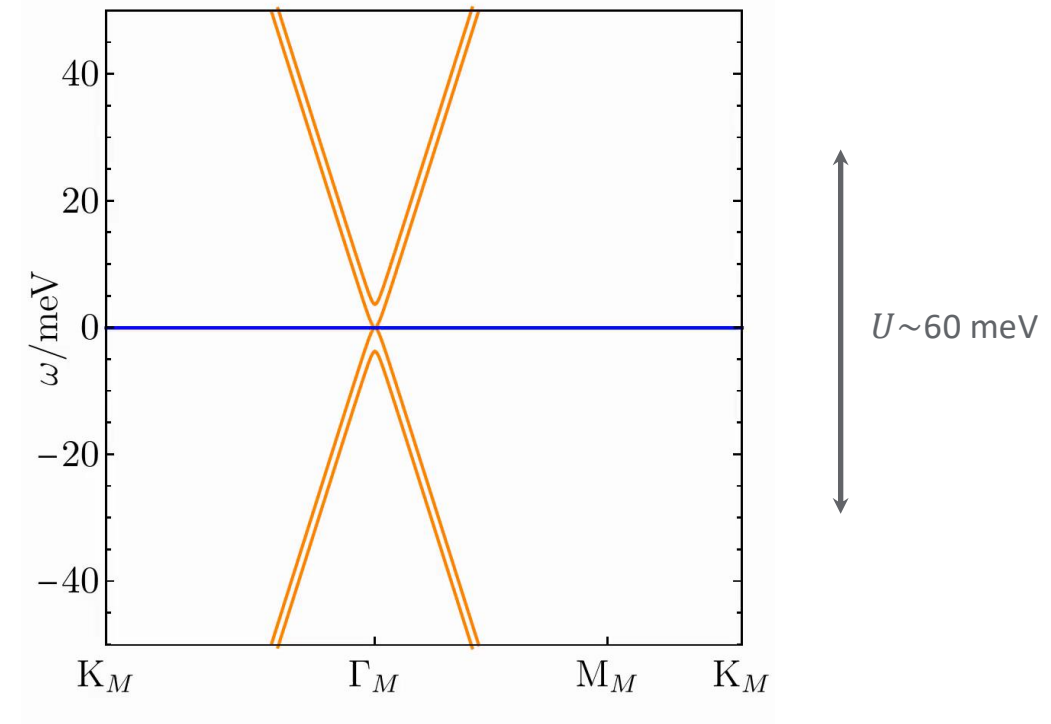
$$H_W = W \sum \hat{c}^\dagger \hat{c} \hat{f}^\dagger \hat{f}$$

Coulomb repulsion
between c and f
 $W \sim 40$ meV

$$H_J = -J \sum S_f S_c$$

Exchange between
c and f electrons
 $J \sim 15$ meV

Unhybridized spectral function at $\nu = 0$ (including U):



Mott phase of topological bands in THF picture

Effective Hamiltonian Including Coulomb and Exchange:

$$\hat{H}_{THF} = \hat{H}_0 + \hat{H}_U + \hat{H}_V + \hat{H}_W + \hat{H}_J$$

$$H_U = \frac{U}{2} \sum \hat{f}^\dagger \hat{f} \hat{f}^\dagger \hat{f}$$

Coulomb repulsion
between f
 $U \sim 60$ meV

$$H_V = V \sum \hat{c}^\dagger \hat{c} \hat{c}^\dagger \hat{c}$$

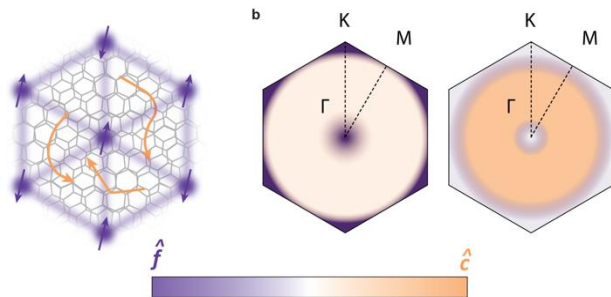
Coulomb repulsion
between c
 $V \sim 40$ meV

$$H_W = W \sum \hat{c}^\dagger \hat{c} \hat{f}^\dagger \hat{f}$$

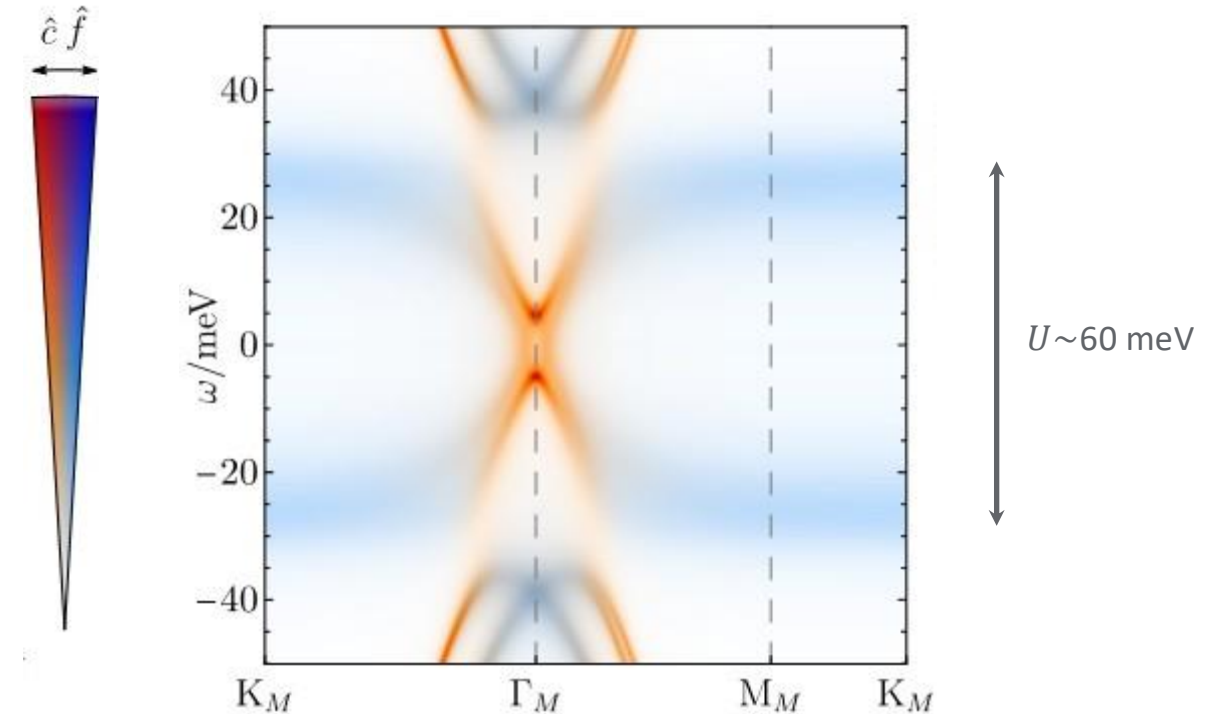
Coulomb repulsion
between c and f
 $W \sim 40$ meV

$$H_J = -J \sum S_f S_c$$

Exchange between
c and f electrons
 $J \sim 15$ meV



Hybridized DMFT spectral function at $v = 0$ (including U):



$\Sigma(w)$ $\begin{cases} \mathbb{R}[\Sigma(w)] & \text{Energy of quasiparticle} \\ \mathbb{I}[\Sigma(w)] & \text{Lifetime of quasiparticle} \end{cases}$

→ DMFT provides energy and lifetime of quasi-particles.

J. Xiao, et al., arXiv:2506.20738 (2025).

D. Călugăru, et al., arXiv:2509.18256 (2025).

Mott phase of topological bands in THF picture

f-electrons produce:

- Spectrally broadened Hubbard bands
- Fluctuating local moments

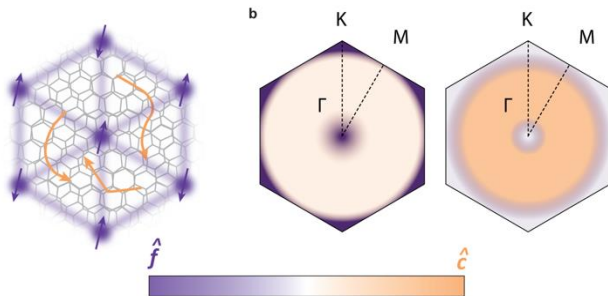
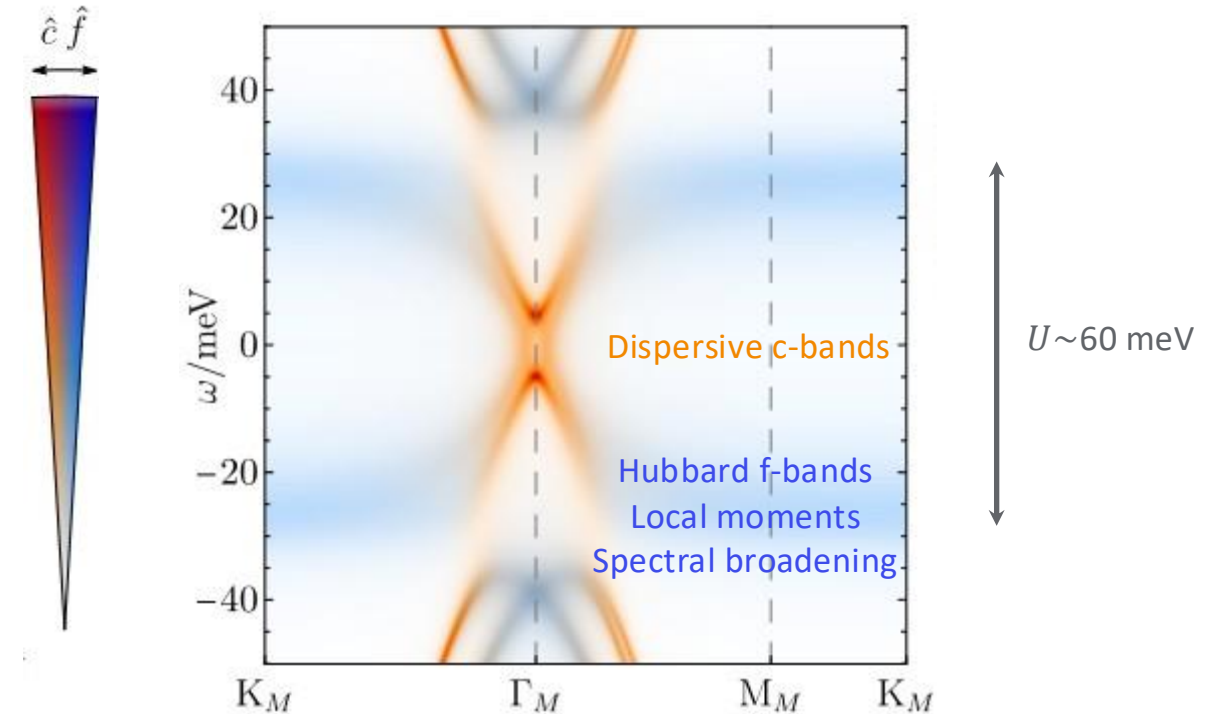
c-electrons produce:

- Gapless – Mott semimetal.

Interaction between c and f:

- Scatter efficiently
- Kondo interaction
- Not yet including ordering of f through J.

Hybridized DMFT spectral function at $v = 0$ (including U):



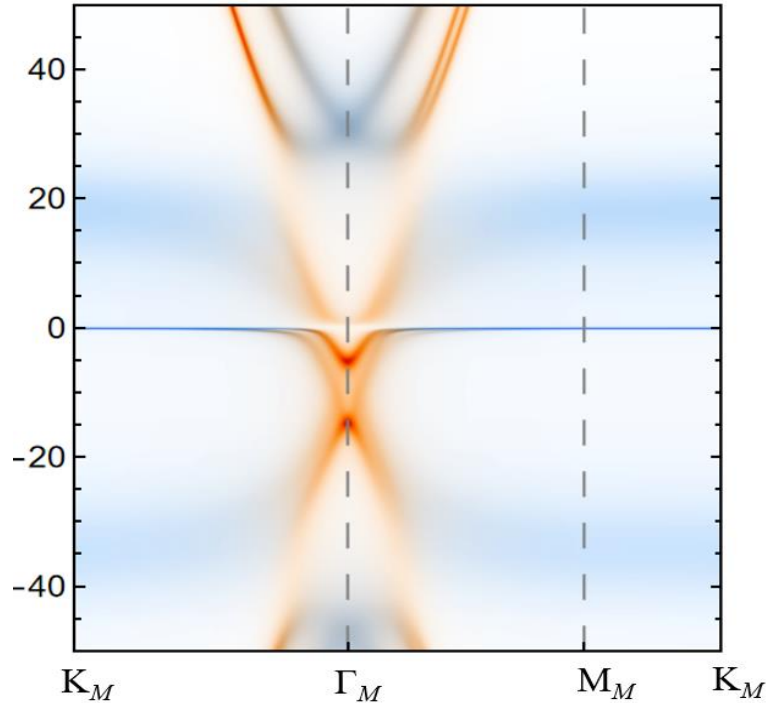
$$\Sigma(\omega) \begin{cases} \mathbb{R}[\Sigma(\omega)] & \text{Energy of quasiparticle} \\ \mathbb{I}[\Sigma(\omega)] & \text{Lifetime of quasiparticle} \end{cases}$$

→ DMFT provides energy and lifetime of quasi-particles.

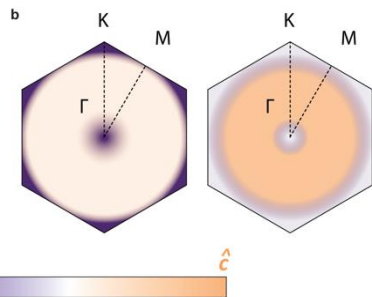
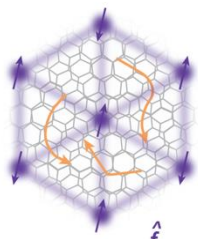
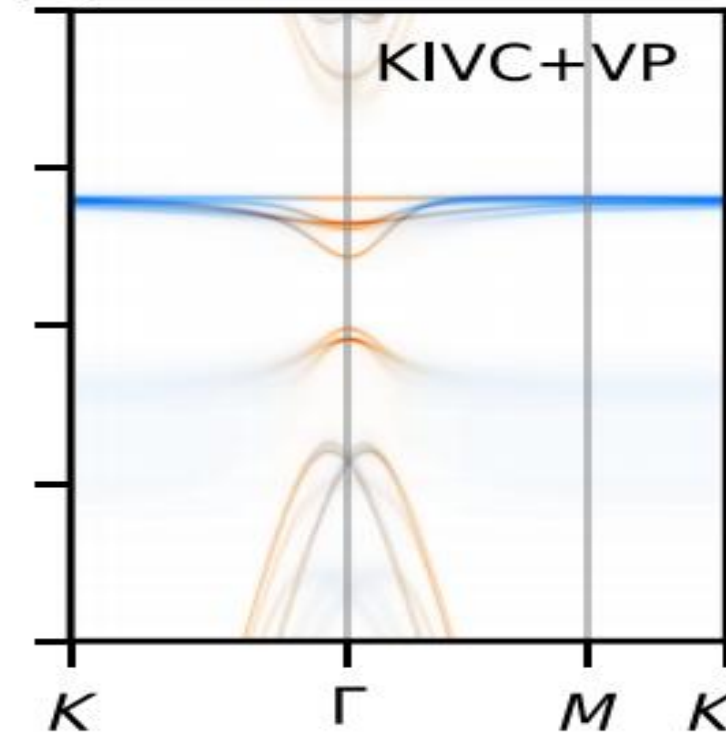
J. Xiao, et al., arXiv:2506.20738 (2025).

D. Călugăru, et al., arXiv:2509.18256 (2025).

Kondo bands from hybridized f and c:



Ordering of f-electrons can increase coherence:



$\Sigma(w)$ $\begin{cases} \mathbb{R}[\Sigma(w)] & \text{Energy of quasiparticle} \\ \mathbb{I}[\Sigma(w)] & \text{Lifetime of quasiparticle} \end{cases}$

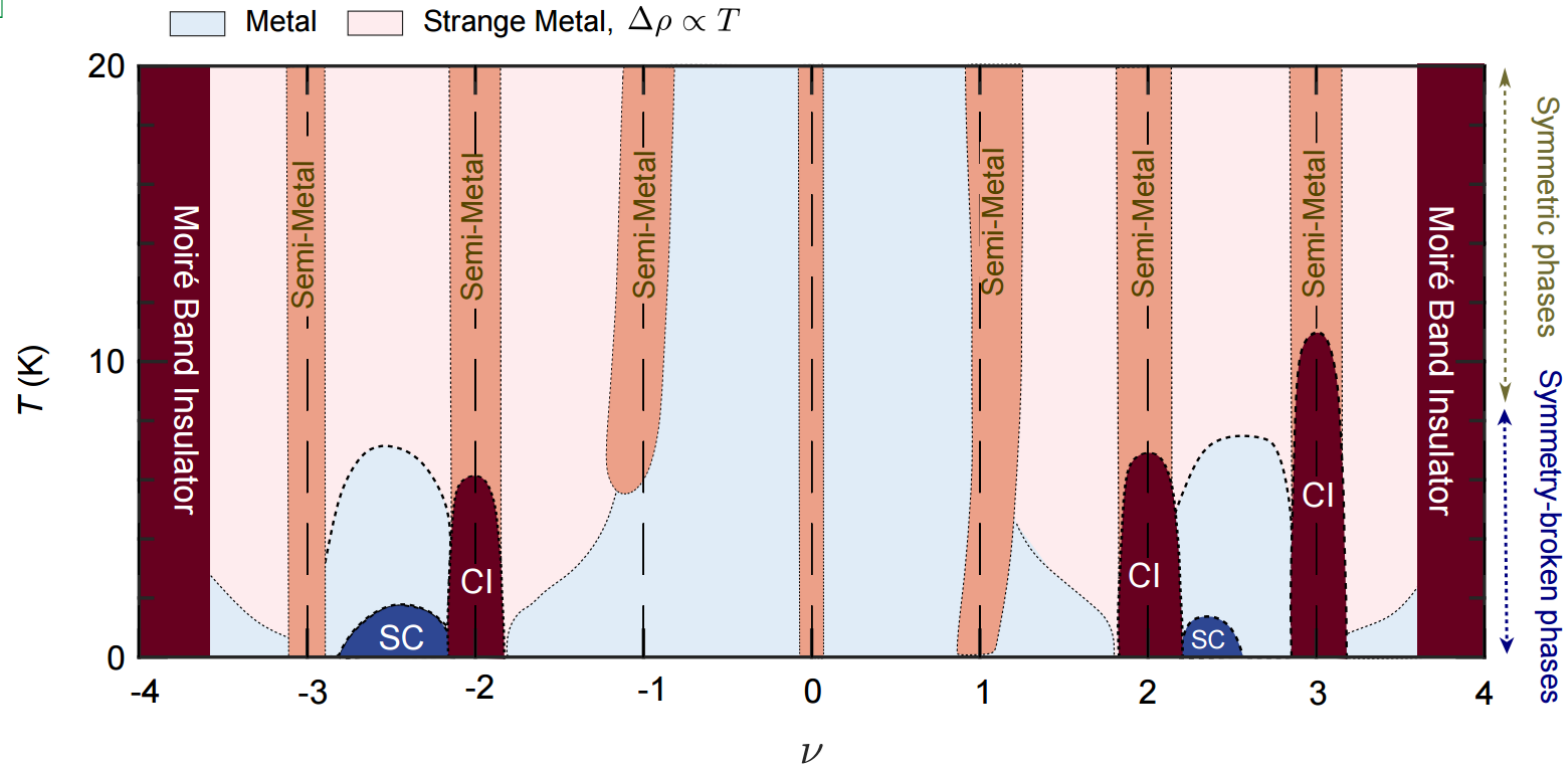
→ DMFT provides energy and lifetime of quasi-particles.

J. Xiao, et al., arXiv:2506.20738 (2025).

D. Călugăru, et al., arXiv:2509.18256 (2025).

Most reproducible MATBG phase diagram

Open questions?



States at integer filling $\nu = 0, \pm 1, \pm 2, \pm 3$:

- $T > 10K \rightarrow$ all show semi-metallic resistance peaks.
- $T < 10K \rightarrow$ distinct behaviour of $\nu = -1, -2$ etc. Clear signatures of symmetry breaking set-in (Hall resets).

Superconductivity:

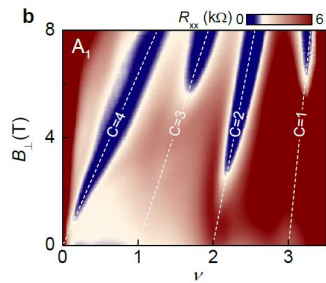
- By far most common and strongest for $\nu = -2 - \delta$ and less common for $\nu = 2 + \delta$. All other regions rare.

Metallic states:

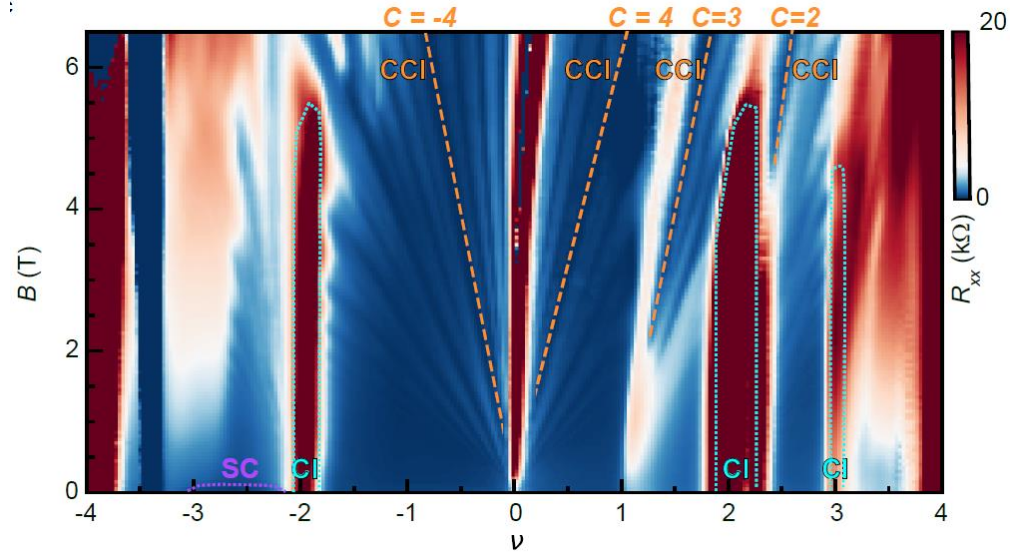
- $T > 10K \rightarrow$ broad range of $R \sim T$ strange metal.
- $T < 10K \rightarrow$ many region become good metals.
- New \rightarrow between $\nu = \pm 2 - \pm 3$, a previously overlooked metallic dome, which can be associated with the pseudo-gap and IVC order. SC originates predominantly in this metallic state.

Magic angle twisted bilayer graphene - Phase diagram

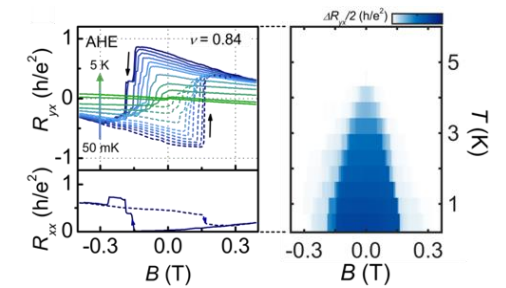
Chern Insulators:



I. Das, X. Lu. ... , DKE, Nature Physics 17, 710 (2021).

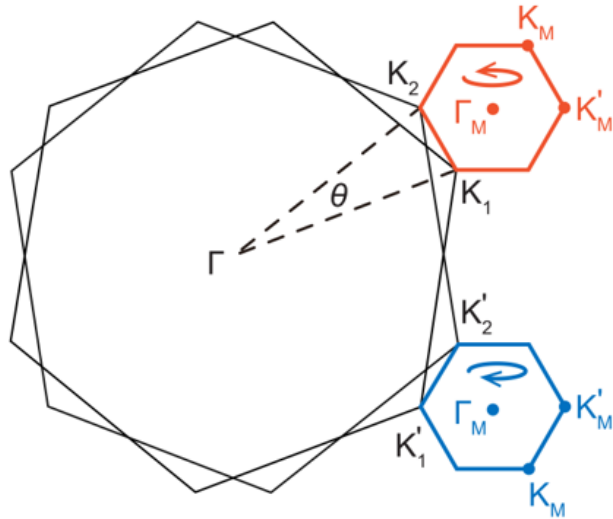


Orbital Magnetism:



P. Stepanov, ... , A. Bernevig, DKE, PRL 127, 197701 (2021).

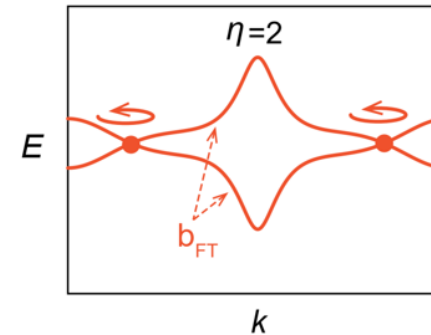
Topological flat-bands in tBLG



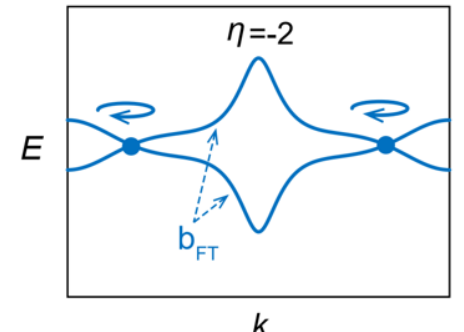
- Mini-BZs decoupled
- No localized Wannier functions \rightarrow Chern bands
- C_2T - symmetry



Mini-BZ with helicity $\eta = \pm 2$:



$$H_K \sim \hbar v_F \sigma k$$



$$H_{K'} \sim -\hbar v_F \sigma^* k$$

Spin \uparrow, \downarrow ; Valley K, K' ; Sublattice A, B ;

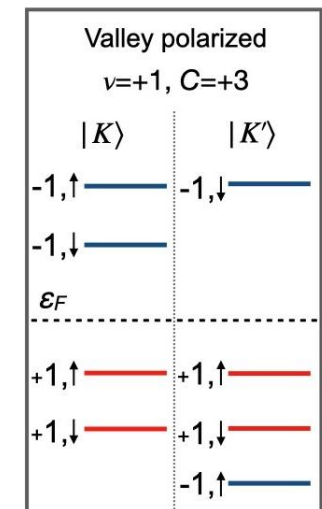
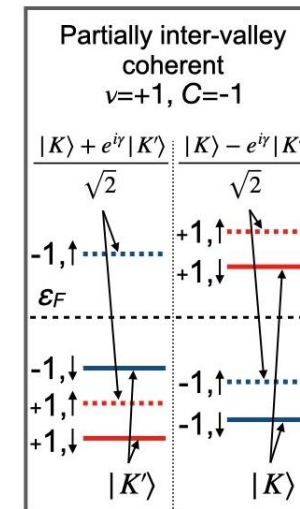
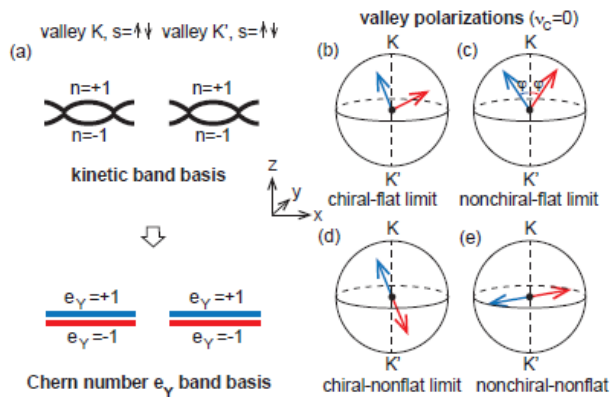
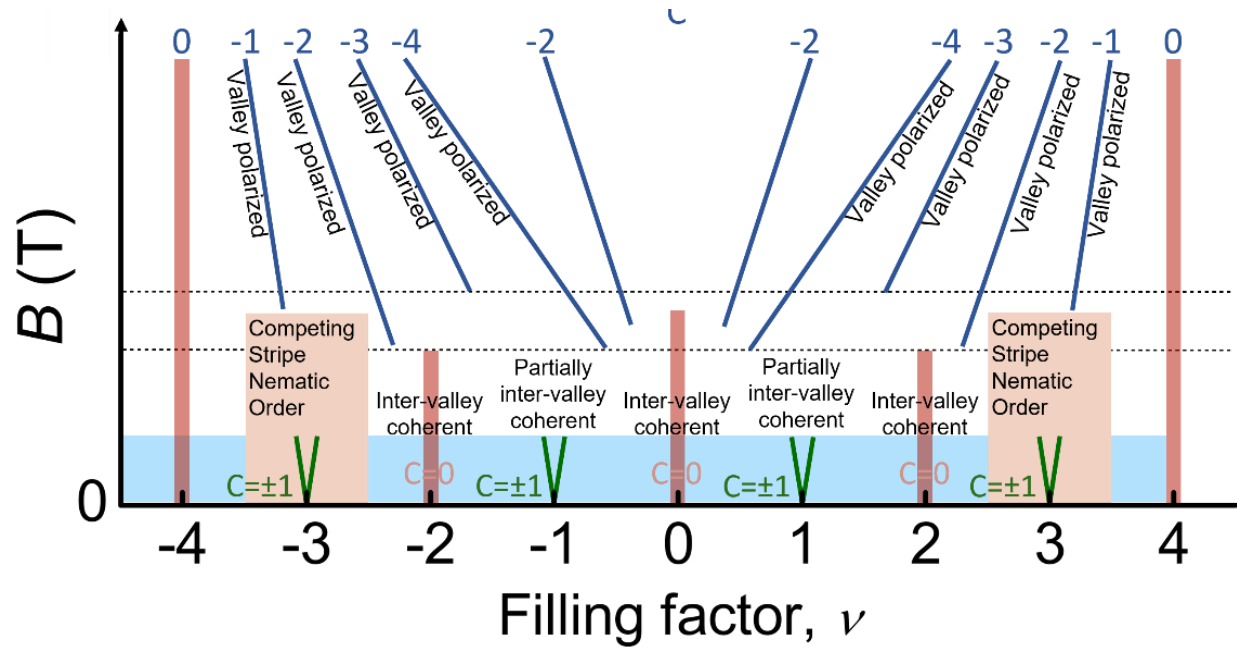
- 4 Chern bands with $C = -1$
- 4 Chern bands with $C = 1$

Vafeek group (2018).
 Bernevig group (2018).
 MacDonald group (2019).
 Fu group (2018).

$C = -1$:	$ \uparrow, K', A\rangle, \downarrow, K', A\rangle, \uparrow, K, B\rangle, \downarrow, K, B\rangle;$
$C = 1$:	$ \uparrow, K, A\rangle, \downarrow, K, A\rangle, \uparrow, K', B\rangle, \downarrow, K', B\rangle;$

Vishnawanth group (2018).
 Zaletel group (2018).
 Todadri group (2019).
 Dai group (2019).
 Balents (2019).

Theoretical B-field phase diagram of MATBG



B. Lian, ... , B. A. Bernevig, PRB 103, 205414 (2021).

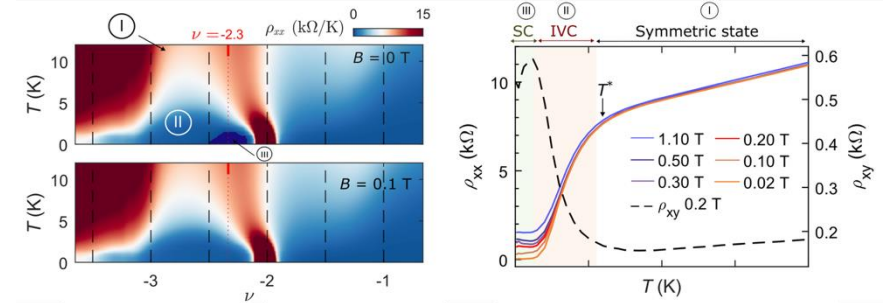
P. Stepanov, ... , A. Bernevig, DKE, PRL 127, 197701 (2021).

Ongoing research & open questions in MATBG



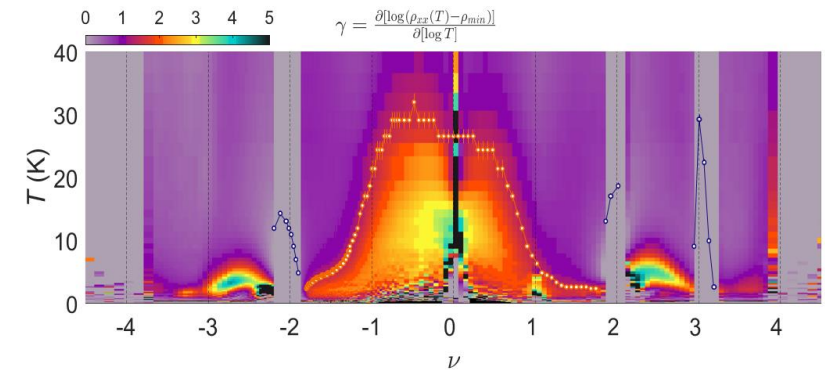
Efetov Lab

IVC and SC gaps at $\nu = -2-\delta$:



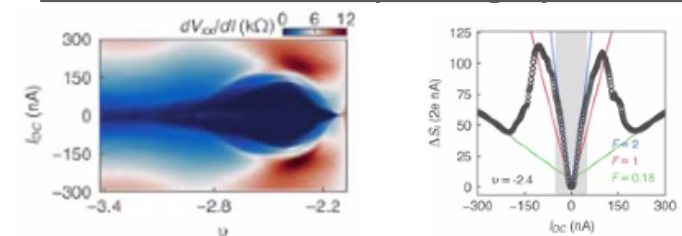
G. diBattista, ..., DKE, in preparation.

Linear R vs. T in broad density ranges:



G. diBattista, ..., DKE, in preparation.

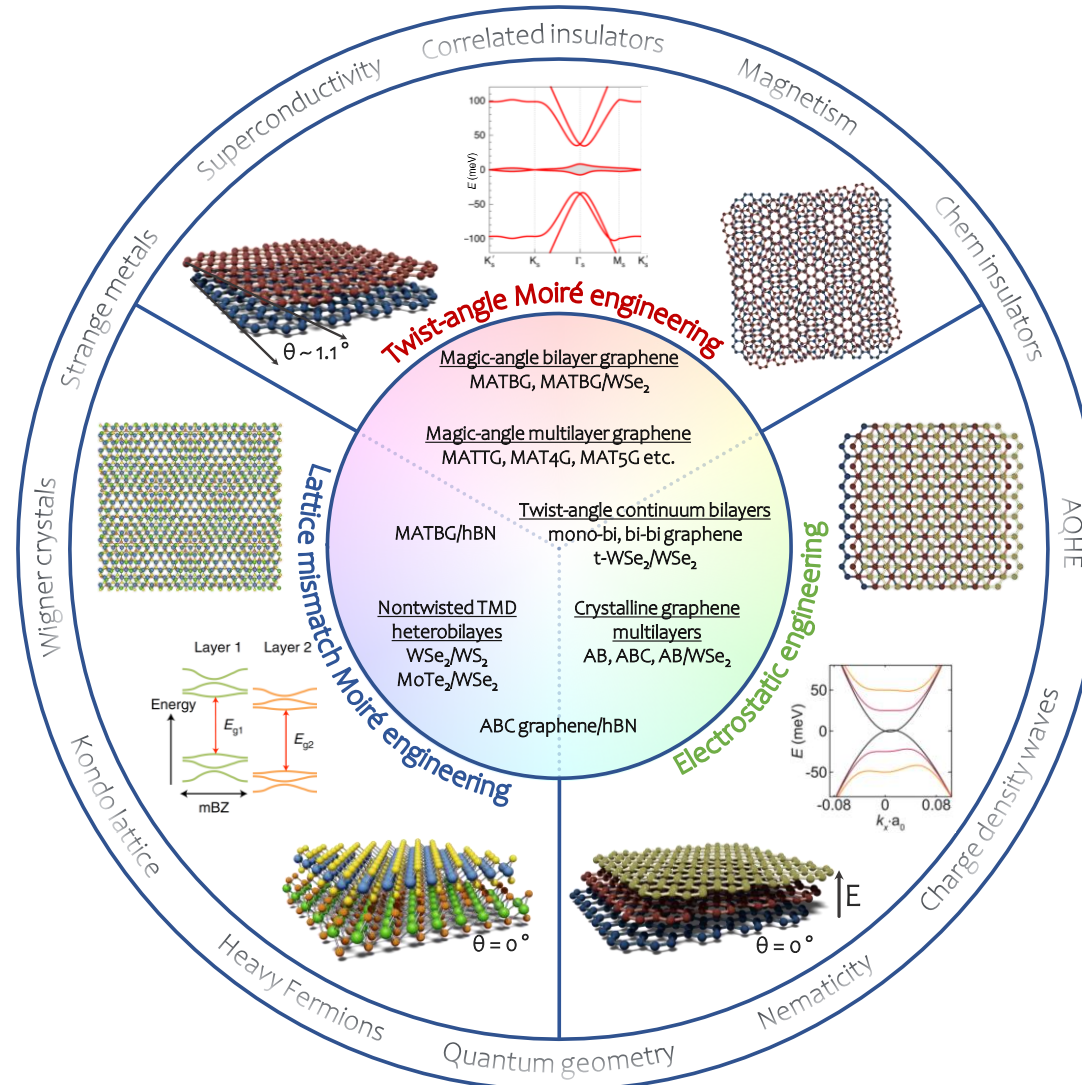
Noise reveals SC pairing symmetry:



R. Ayache, G. diBattista, ..., DKE, P. Rolleau, in preparation.

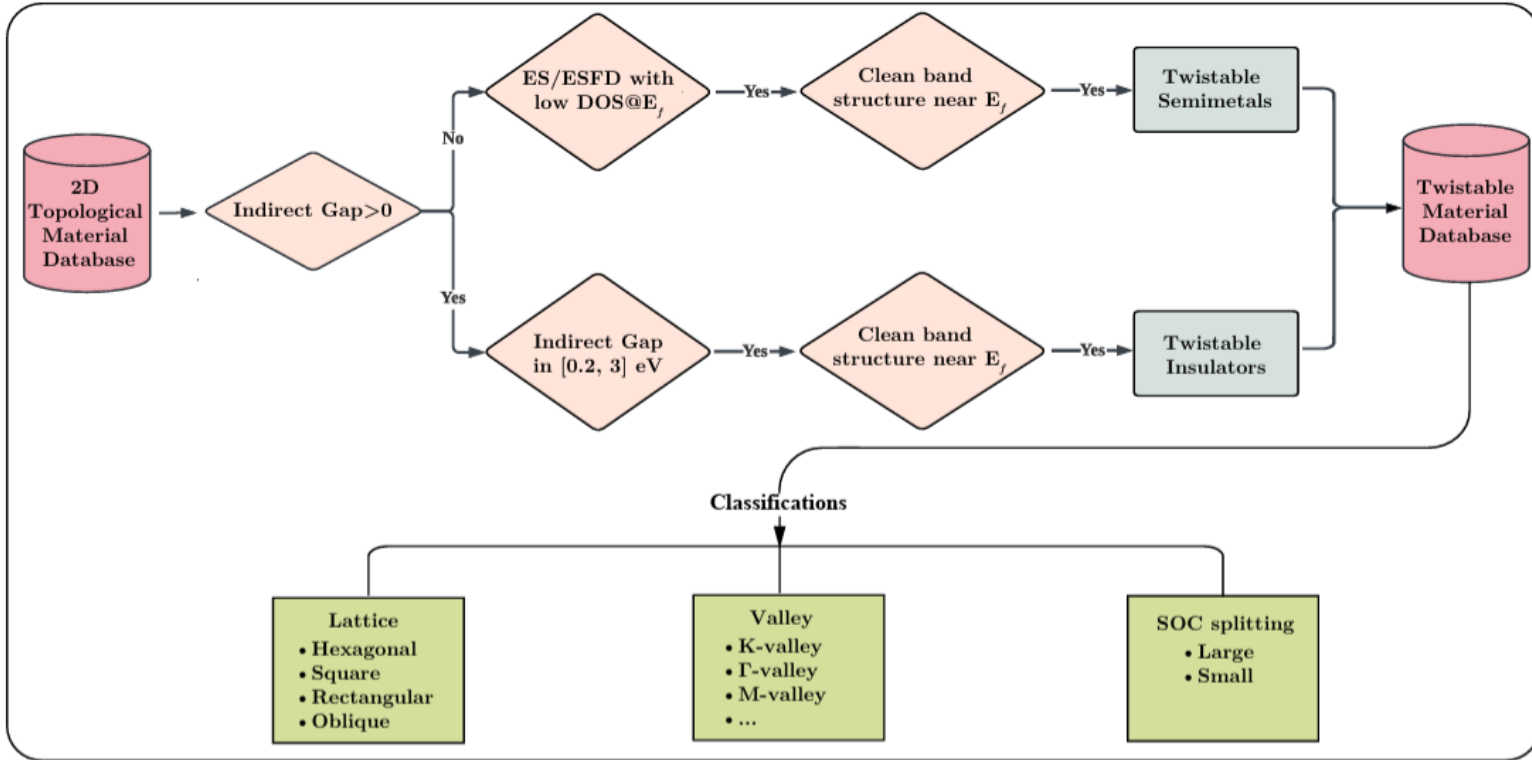
- Hierarchy of correlated insulators $\nu = 1$ vs. $\nu = 2$.
- Pseudo-gap and quantum critical point.
- Nature of the strange metal phase.
- Pairing symmetry and origin of the SC phase.
- Improved assembly of TBG.

Engineering topological flat bands in 2D materials



Engineering topological flat bands in 2D materials

Large library of twistable materials

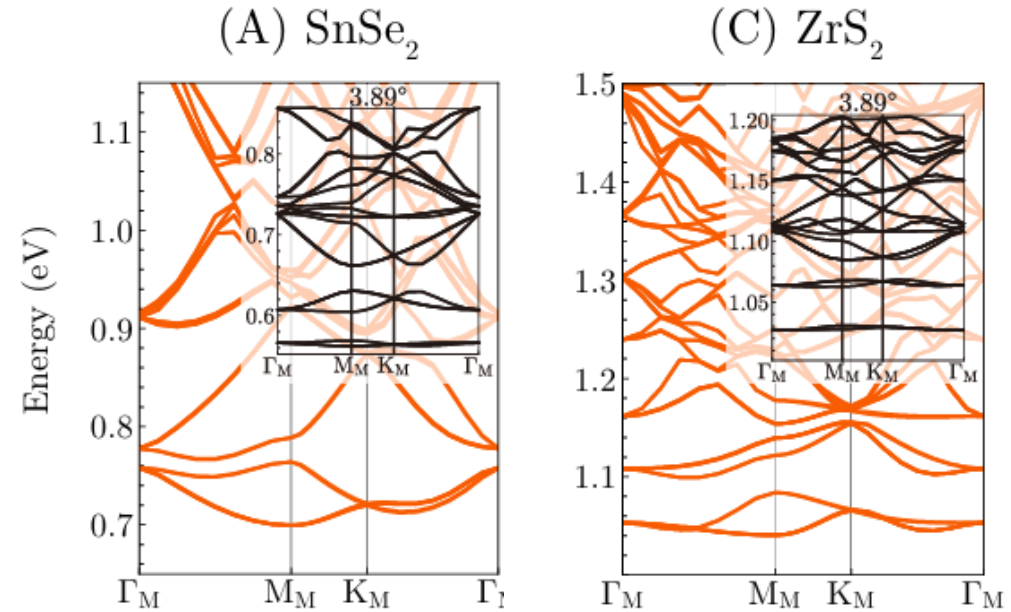
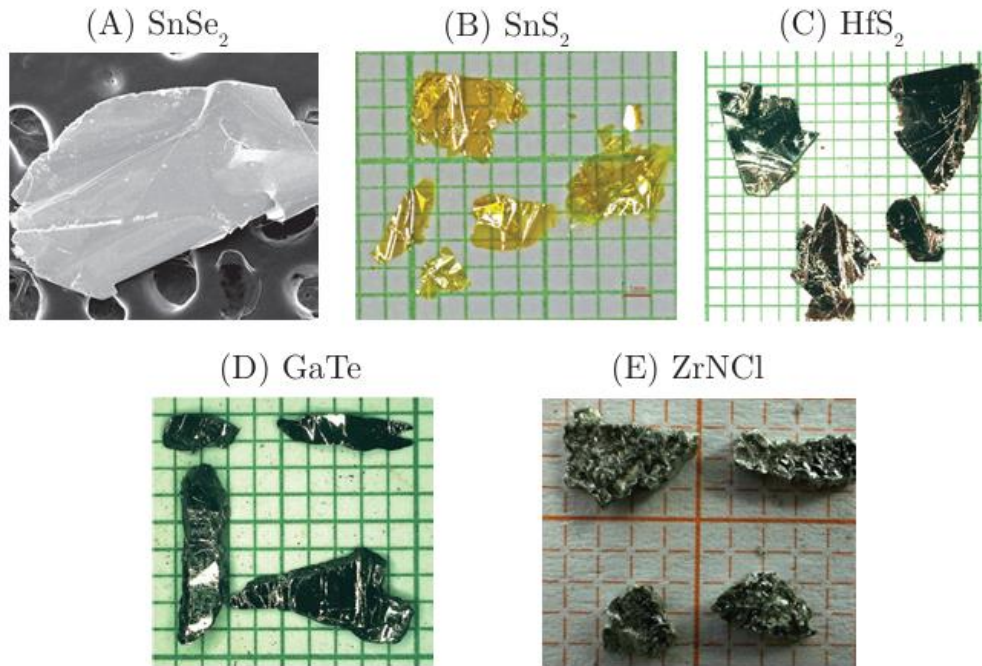


- High-throughput algorithm used to search for 2D twistable materials.
- Identification of thin film SCs that are gate tunable, clean, single crystals.
- Simple, isolated bands close to energy gap.
- Novel real and momentum space symmetries, novel interaction terms.

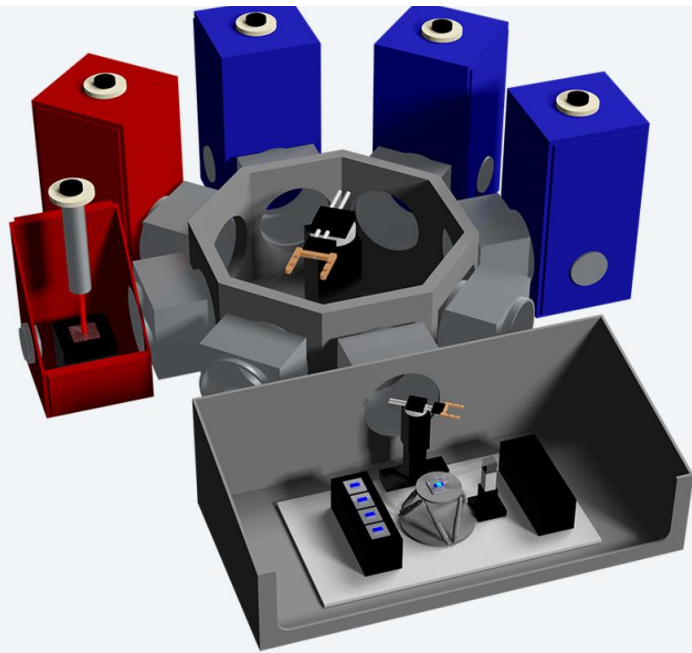
Jiang et al., Science – in press, arXiv:2411.09741 (2024).

M- and Γ - point twisted materials

nature Moiré materials based on M-point twisting



- 3 valleys vs 1-2 in conventional systems → richer physics.
- Ultra-flat bands: Better than most K-point systems → stronger correlations.
- Kagome momentum lattice → creates exotic quantum states naturally.
- New quantum phases → access to Luttinger liquids and spin liquids.



QPress is a modular system

The QPress cluster tool robotically transfers substrates through an integrated sequence of synthesis, processing, and characterization stations. This tool features three custom-built modules: an exfoliator, cataloger, and stacker, each designed for robotic control and automation. This setup enhances the efficiency and reproducibility of synthesizing 2D heterostructures.



The cluster is equipped with:

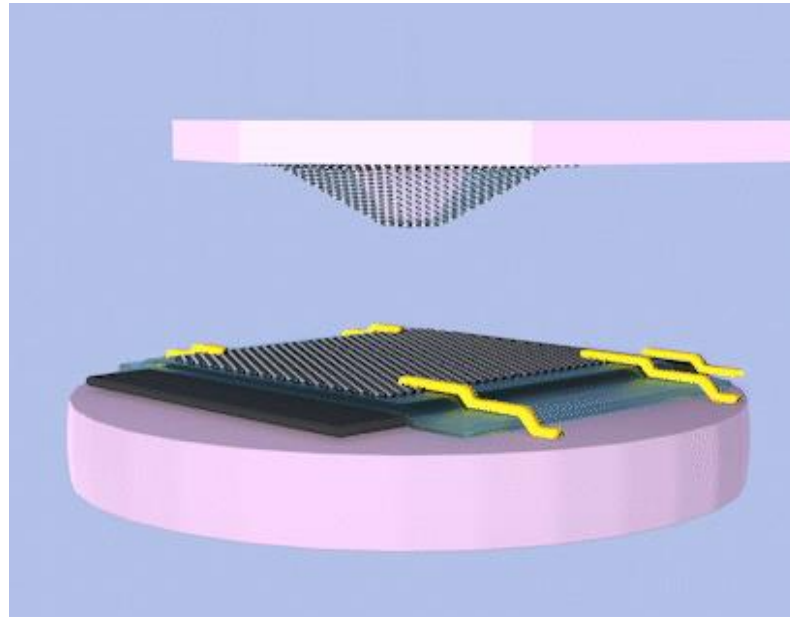
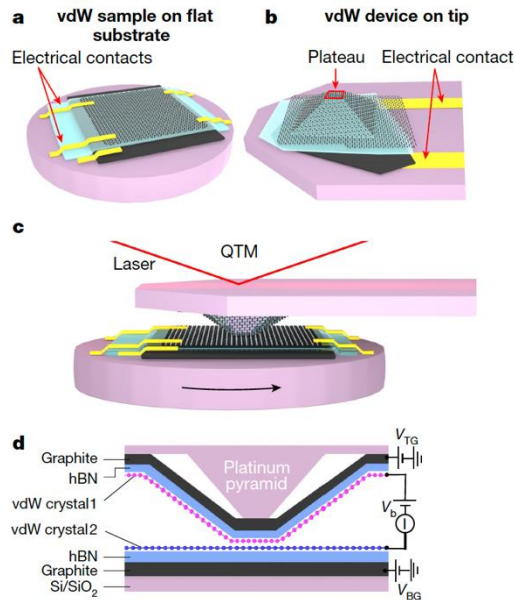
- **Sample Libraries:** These allow for the storage and retrieval of substrates and intermediate samples under vacuum conditions.
- **Deposition Methods:** Includes an electron-beam system capable of handling various target materials.
- **Pre-/post- Processing Methods:** Features vacuum/argon annealing and oxygen plasma cleaning/etching.
- **Characterization Methods:** Comprises optical microscopy, Raman spectroscopy, photoluminescence spectroscopy (PL), and atomic force microscopy (AFM).



→ Introducing advances in automation and AI in sample preparation, characterization and analysis.

→ Fully automated, AI driven cluster tools are currently built in many places including Brookhaven etc.

Quantum Twisting Microscope (QTM)



- Simultaneous preparation and direct measurement of the electronic properties of the moiré hetero-structure.
- Dynamic twist angle control → fast, homogeneous and reproducible.
- k-resolution through twist angle → mapping of bands and collective modes.

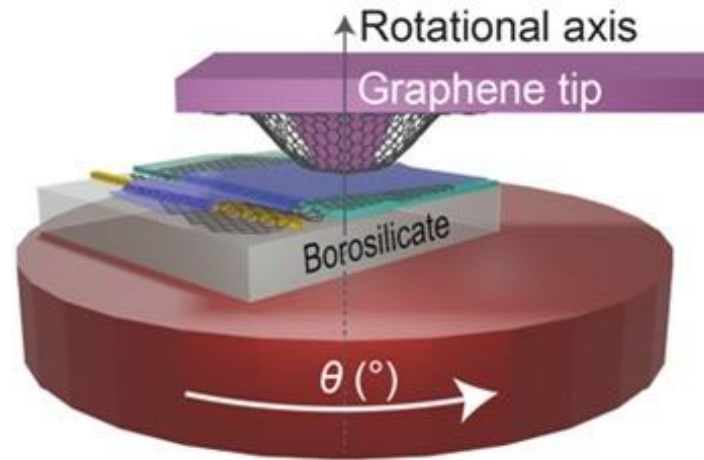
Quantum Twisting Microscope (QTM)

ARPES:



Momentum-resolved
electronic states

QTM:



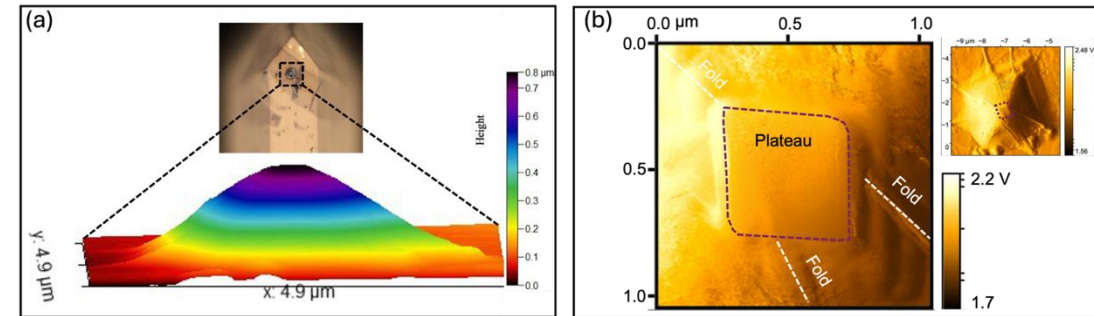
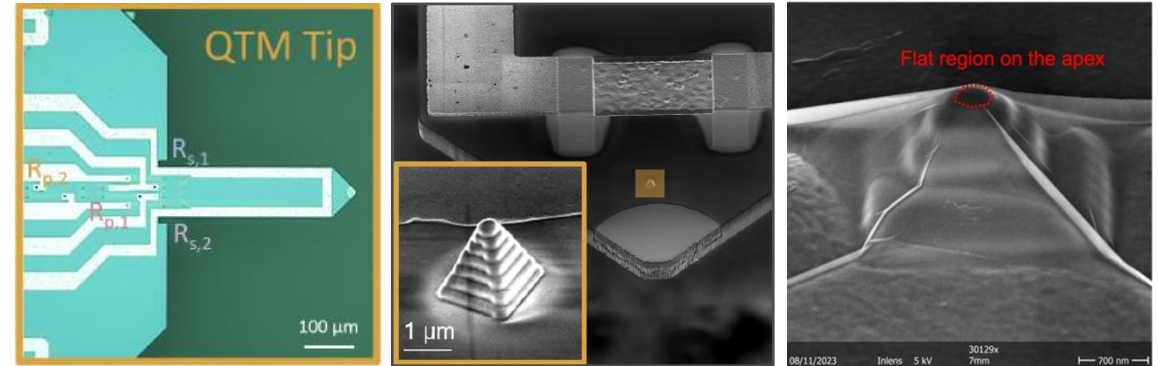
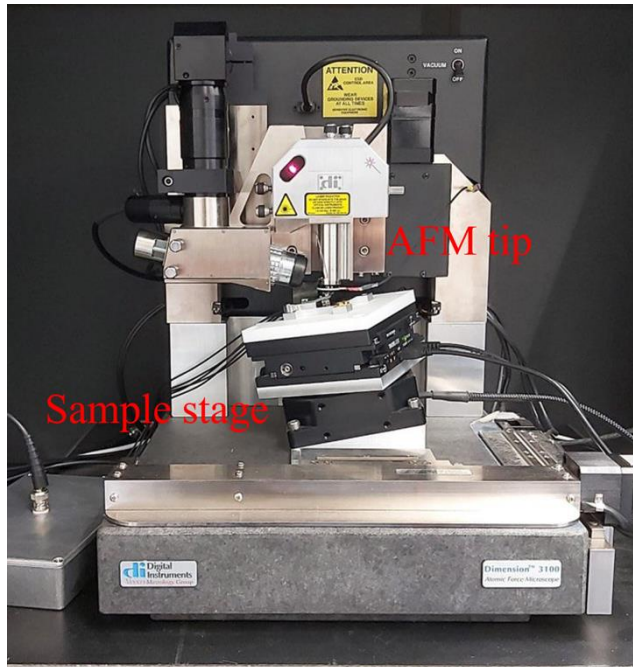
Bridging the gap between ARPES and STM

- Compatible with mK temperatures and high B-fields.
- Ultra-high energy resolution $< 100\mu\text{eV}$, limited only by noise and temperature.
- Allows imaging above Fermi energy.
- Compatible with encapsulated and top gated devices.

STM:



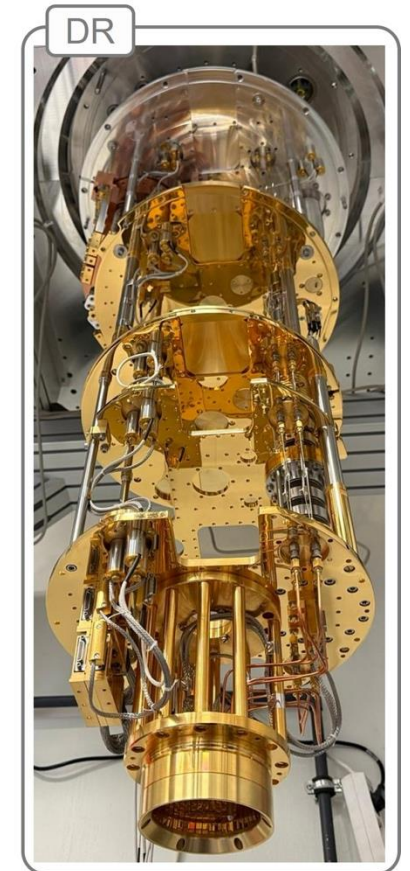
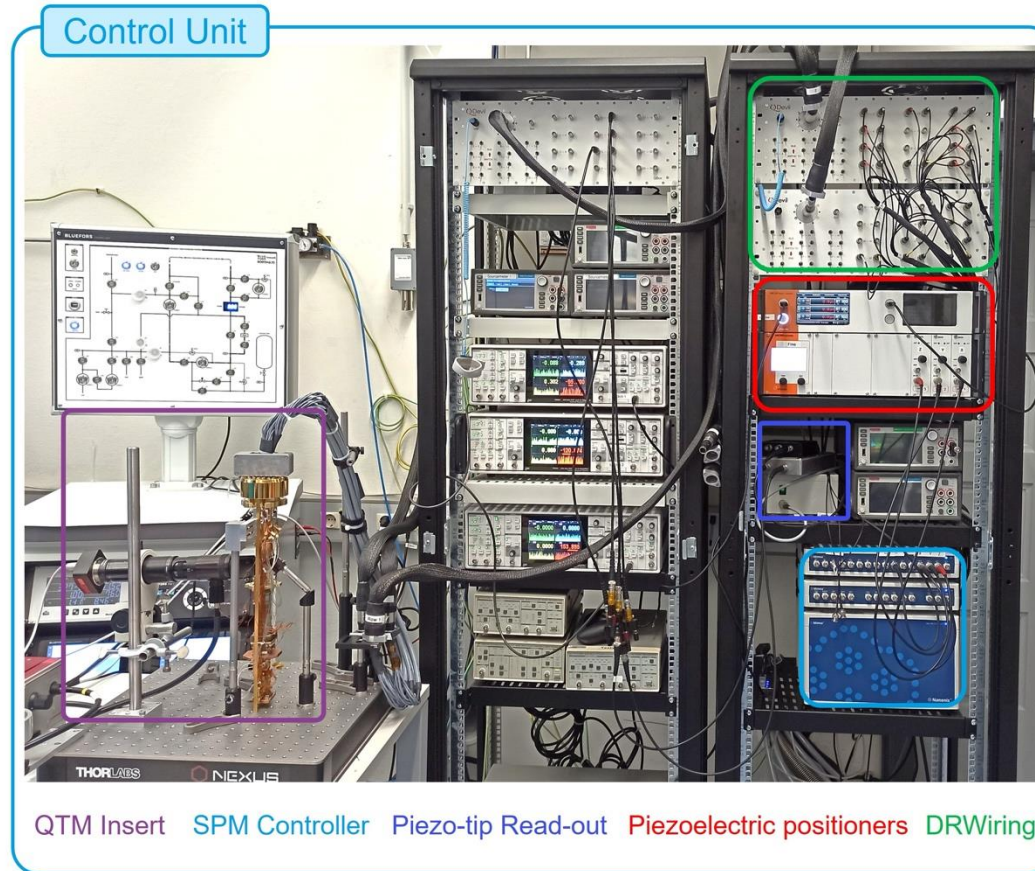
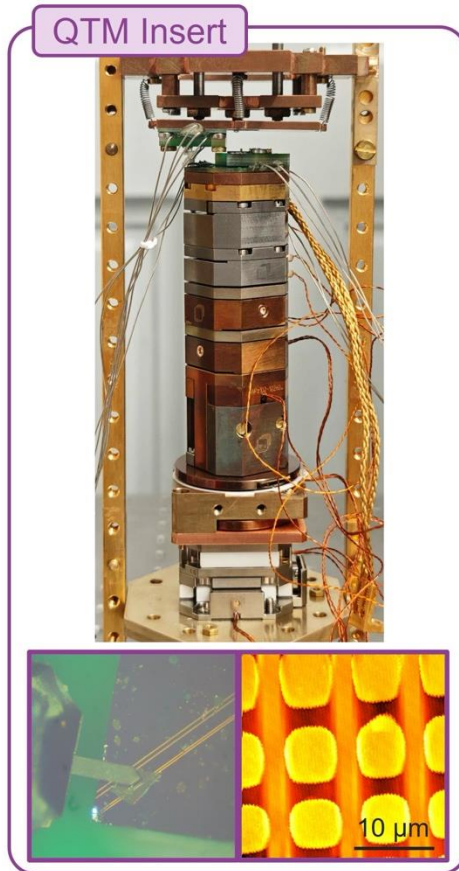
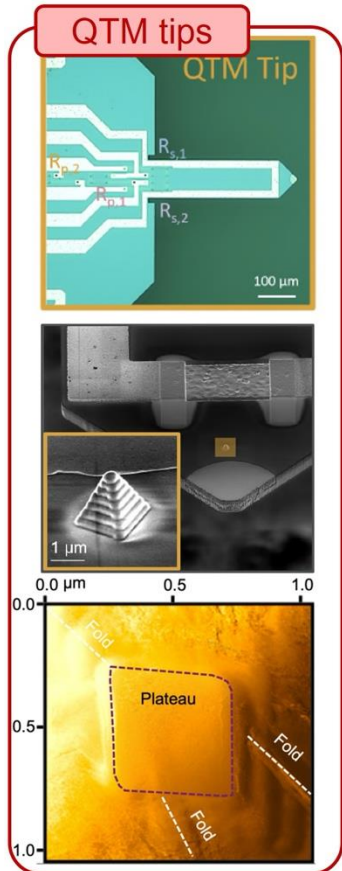
Atomic-scale spatial
resolution



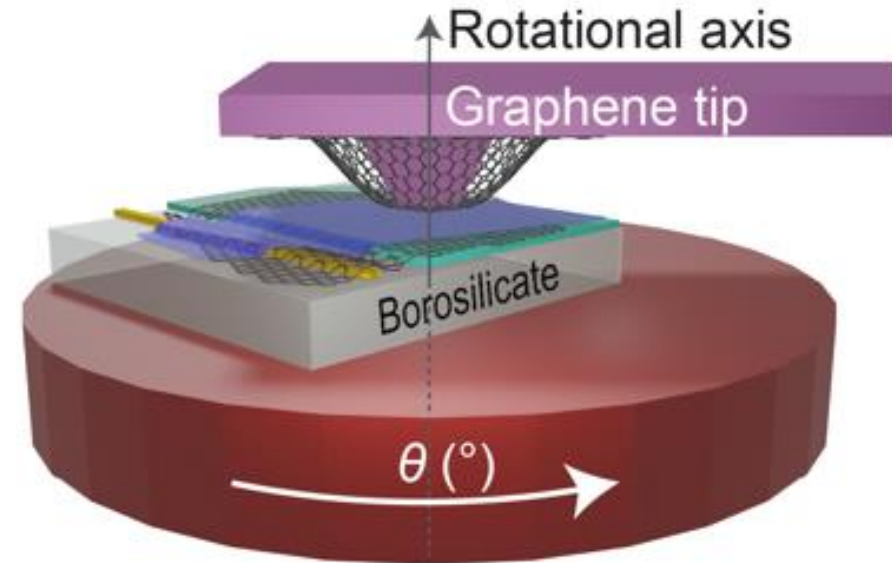
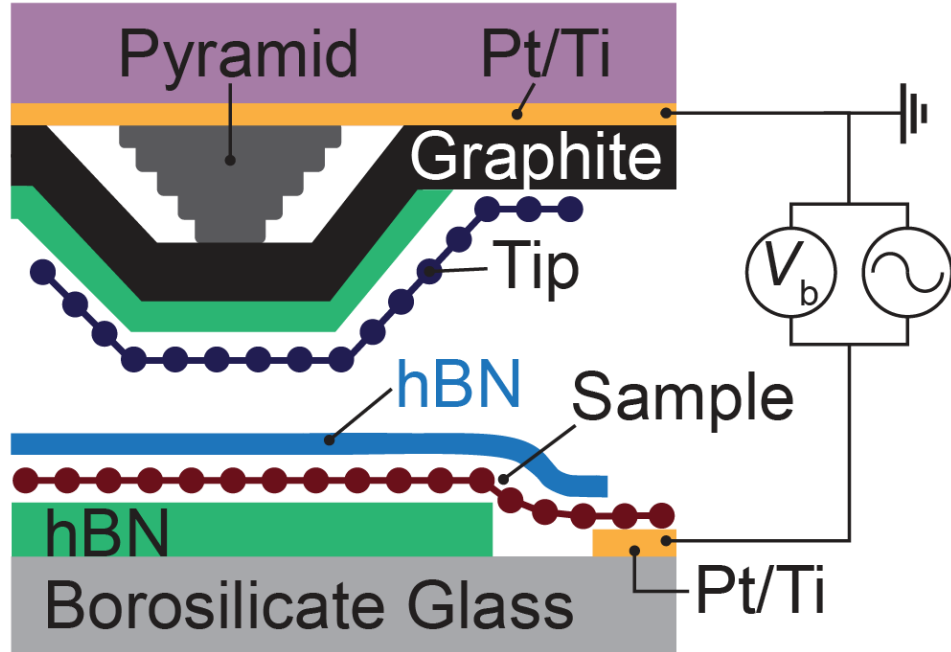
- Modified Dimension 3100 AFM set up.
- Sample stage is inclined at $\sim 11^\circ$.

- Home made AFM tips with FIB deposited pyramids, with flat apex $\sim 200\text{nm}$.
- Self-sensing piezo-resistive cantilevers.

Dilution Refrigerator for LT-QTM

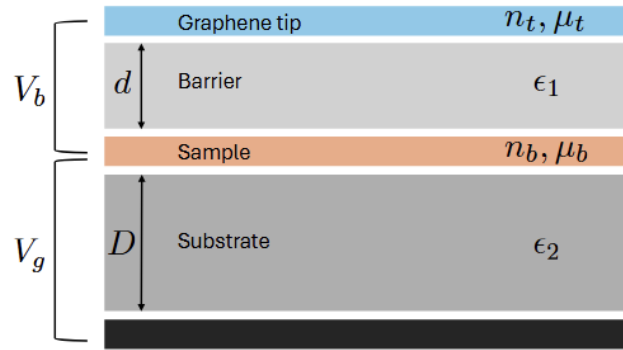


Tunnelling measurement scheme



- Graphene coated tip.
- 1-3 layer hBN covered graphene.
- I/V and dI/dV vs. bias voltage V_b tunneling.

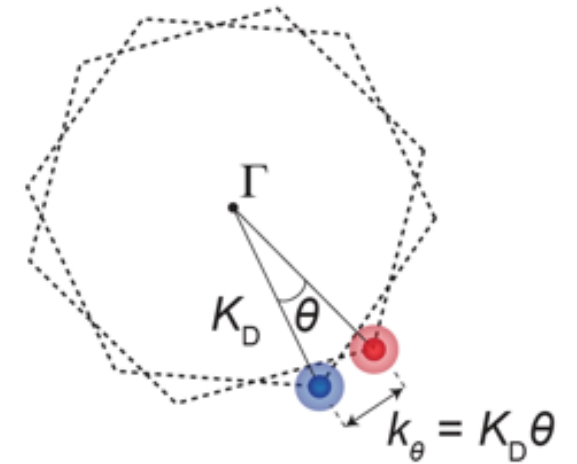
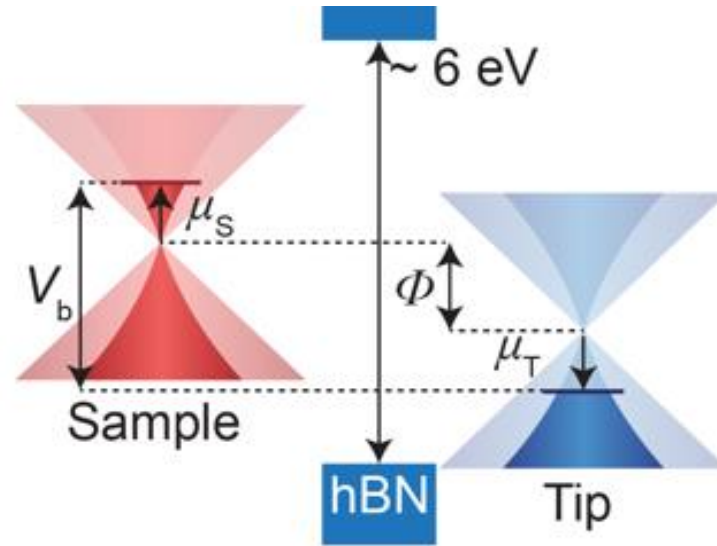
Twist-angle dependent tunnelling scheme



$$-\epsilon_1 E_1 = e n_t$$

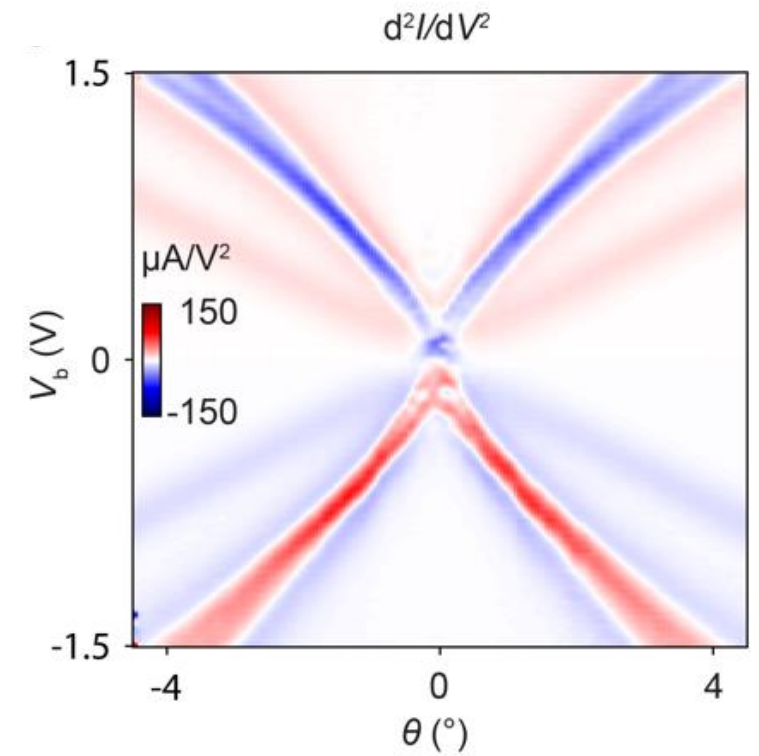
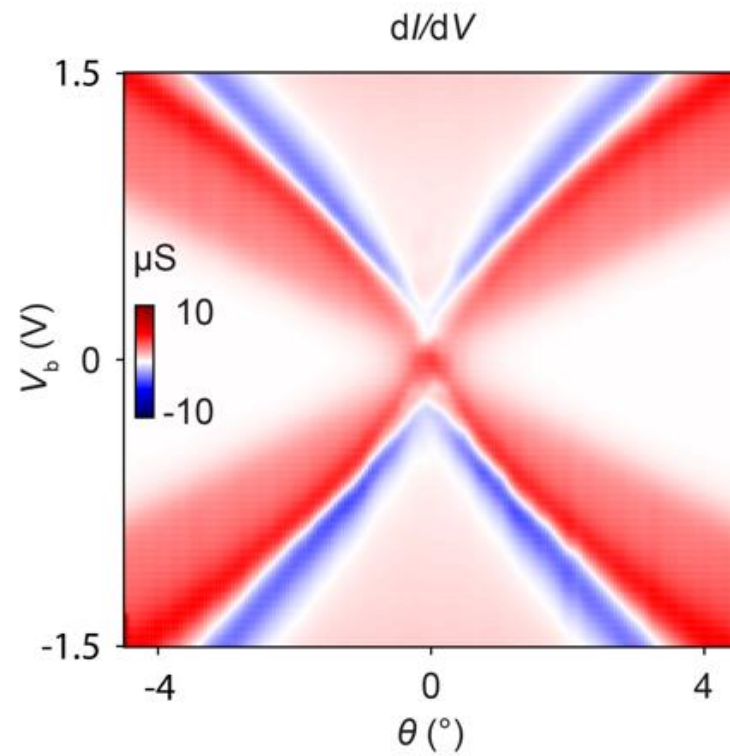
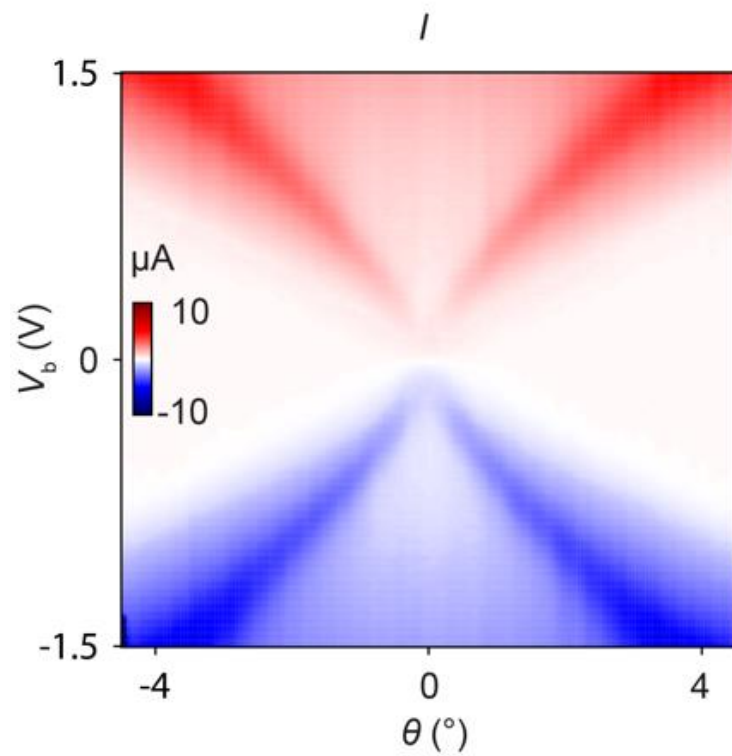
$$e V_b = e E_1 d + \mu_b(n_b) - \mu_t(n_t)$$

$$\epsilon_1 E_1 - \epsilon_2 E_2 = e n_b, \quad E_2 = V_g / D$$

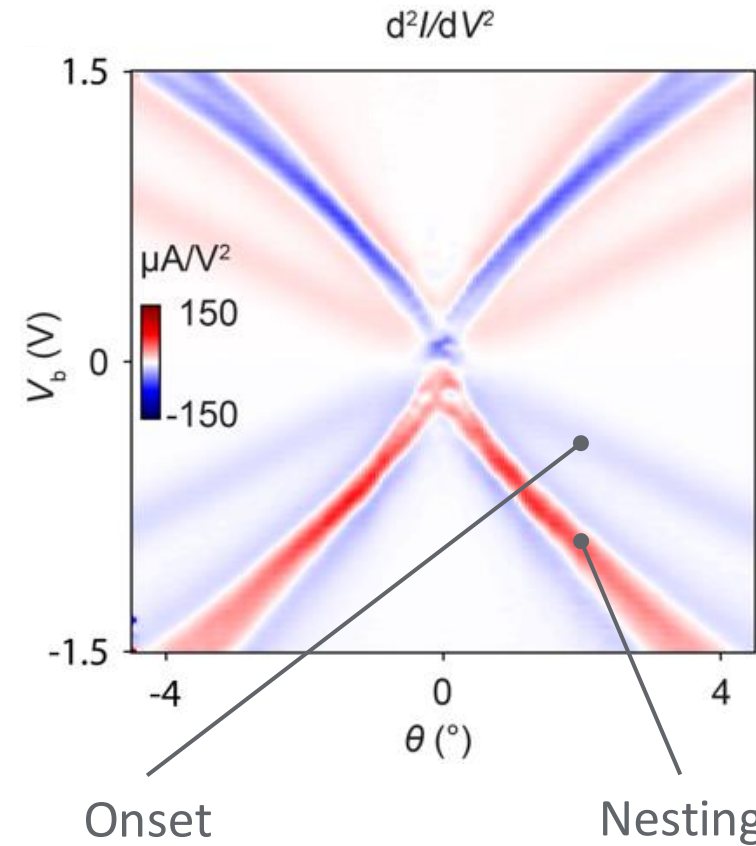
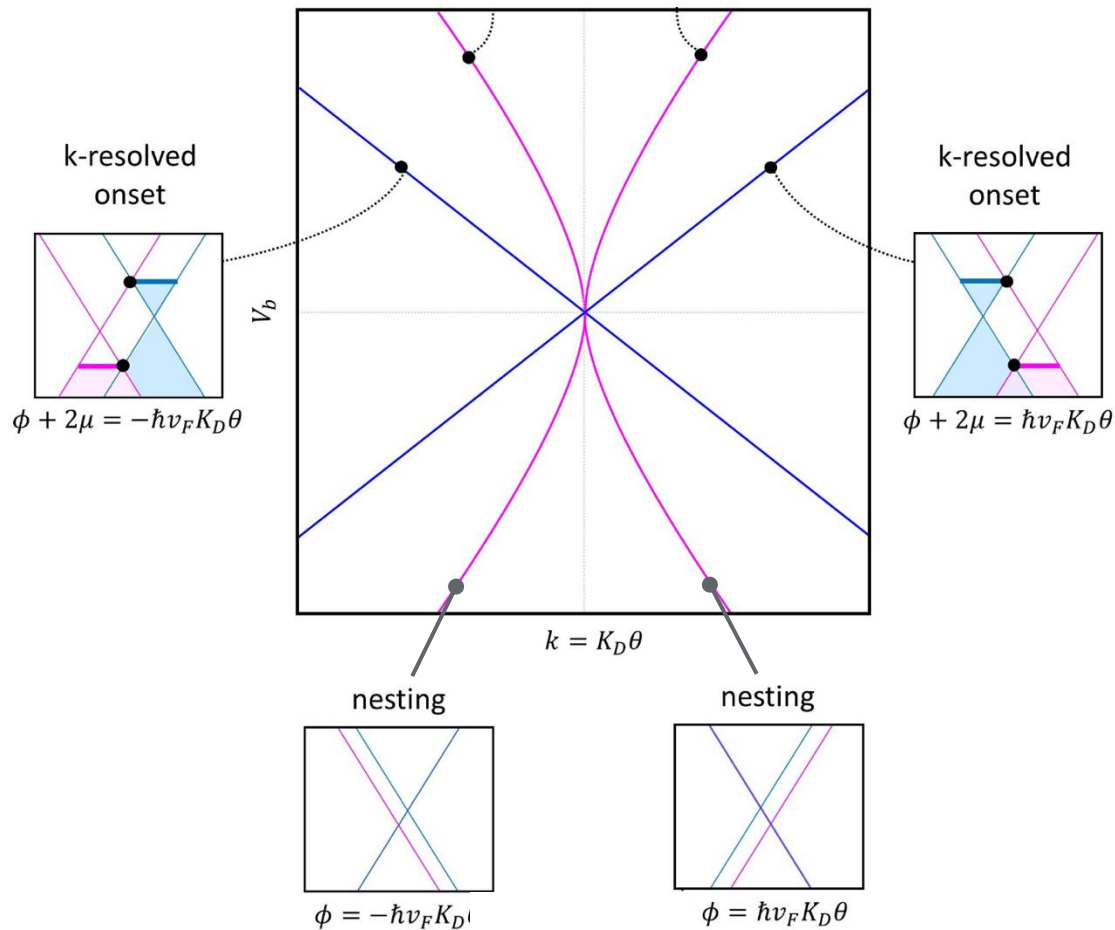


- Energy resolution \rightarrow voltage bias V_b shift symmetrically the chemical potential μ of graphene layers.
- k-space resolution \rightarrow twist-angle θ translates into k-space rotation $k_\theta = K_D \theta$.

SLG/hBN/SLG tunnelling spectra

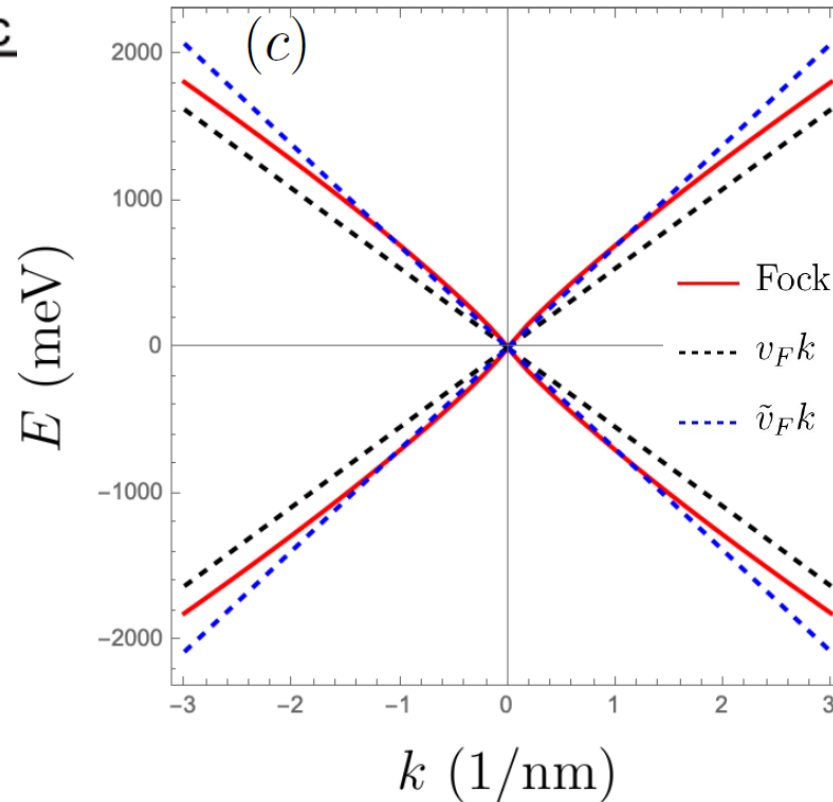
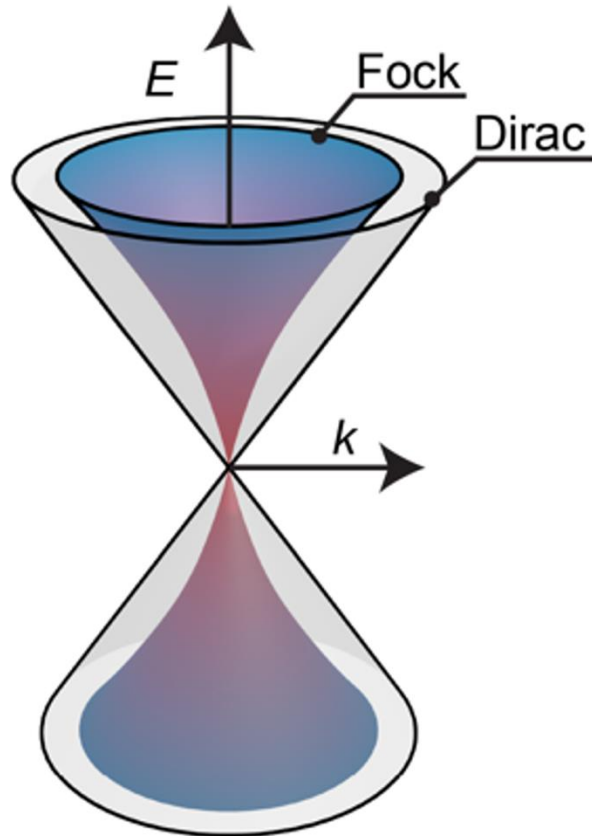


Onset and nesting conditions



$$V_b = \pm \hbar v_F K_D \theta \quad \Phi = \pm \hbar v_F K_D \theta$$

Electron-electron renormalized Dirac cones



- Dirac $\rightarrow E = \hbar v_F k$

Typically $v_F \sim 1.05 \times 10^6$ m/s

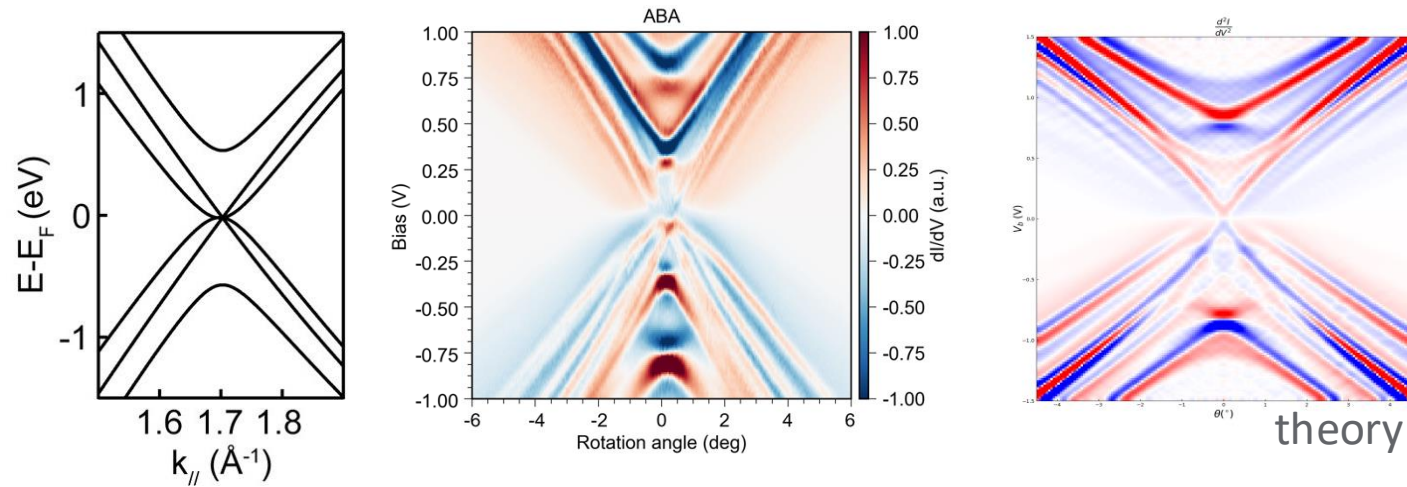
- Fock $\rightarrow E = \pm \hbar v_F^0 k \left(1 + \frac{\alpha}{4} \ln \left(\frac{\Lambda}{k} \right) + \frac{\alpha}{4} \right)$

Typically $v_F^0 \sim 0.85 \times 10^6$ m/s

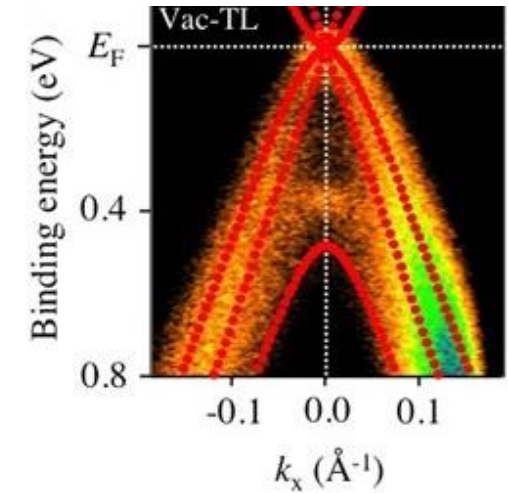
$\alpha \sim 0.05 - 1$ – graphene's fine structure constant \rightarrow e-e interaction strength.

SLG/hBN/ABC trilayer tunneling spectroscopy with D

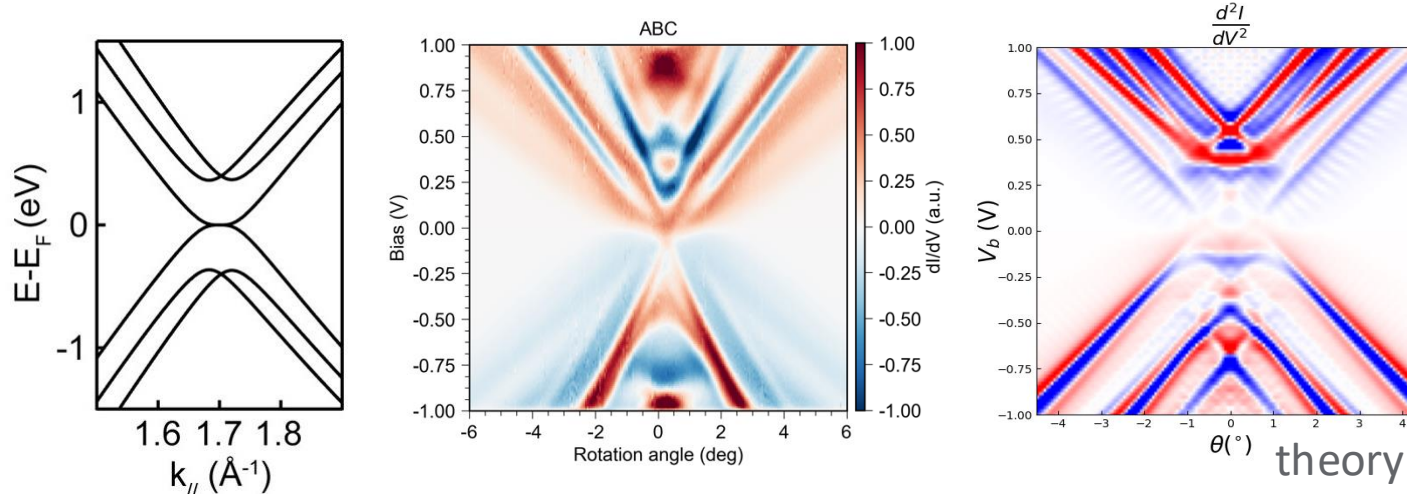
ABA trilayer graphene QTM:



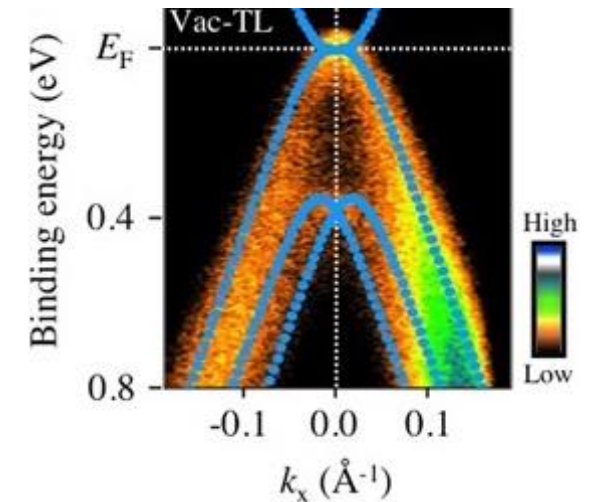
ABA ARPES:



ABC trilayer graphene QTM:



ABC ARPES:



Next steps for QTM

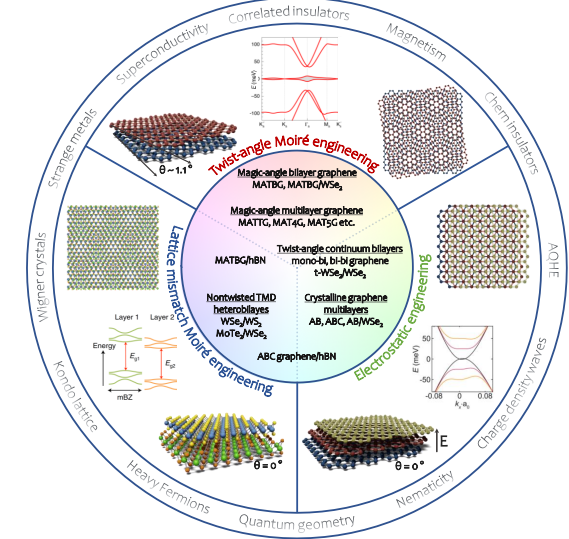
→ Explore twist-angle dependent phase-diagrams of library of 2D materials.

→ Map SC order parameter & spectral diffusion in strange metal phase of MATBG.

→ Probe ABC graphene under displacement field, including spectral functions of FCI states.

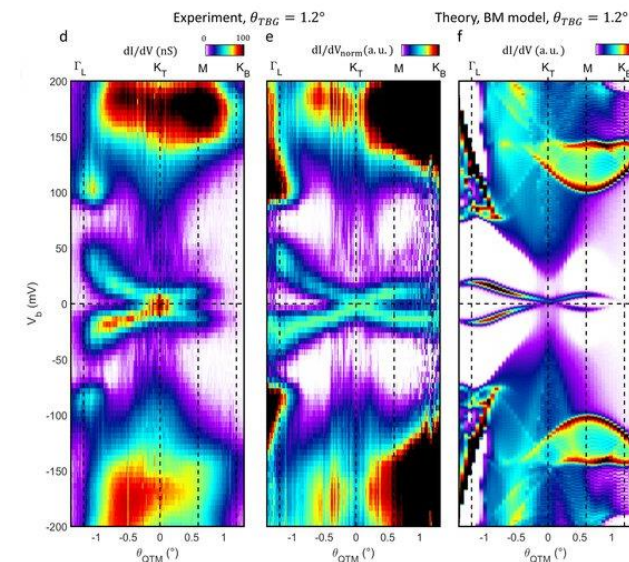
→ Use phase-sensitive QTM tunnelling to interferometrically couple to topological edge states.

Library of moiré materials:



A. Bernevig, DKE, Physics Today, 77 (4), 38 (2024).

Mapping TBG spectra:



Ilani group (2025).



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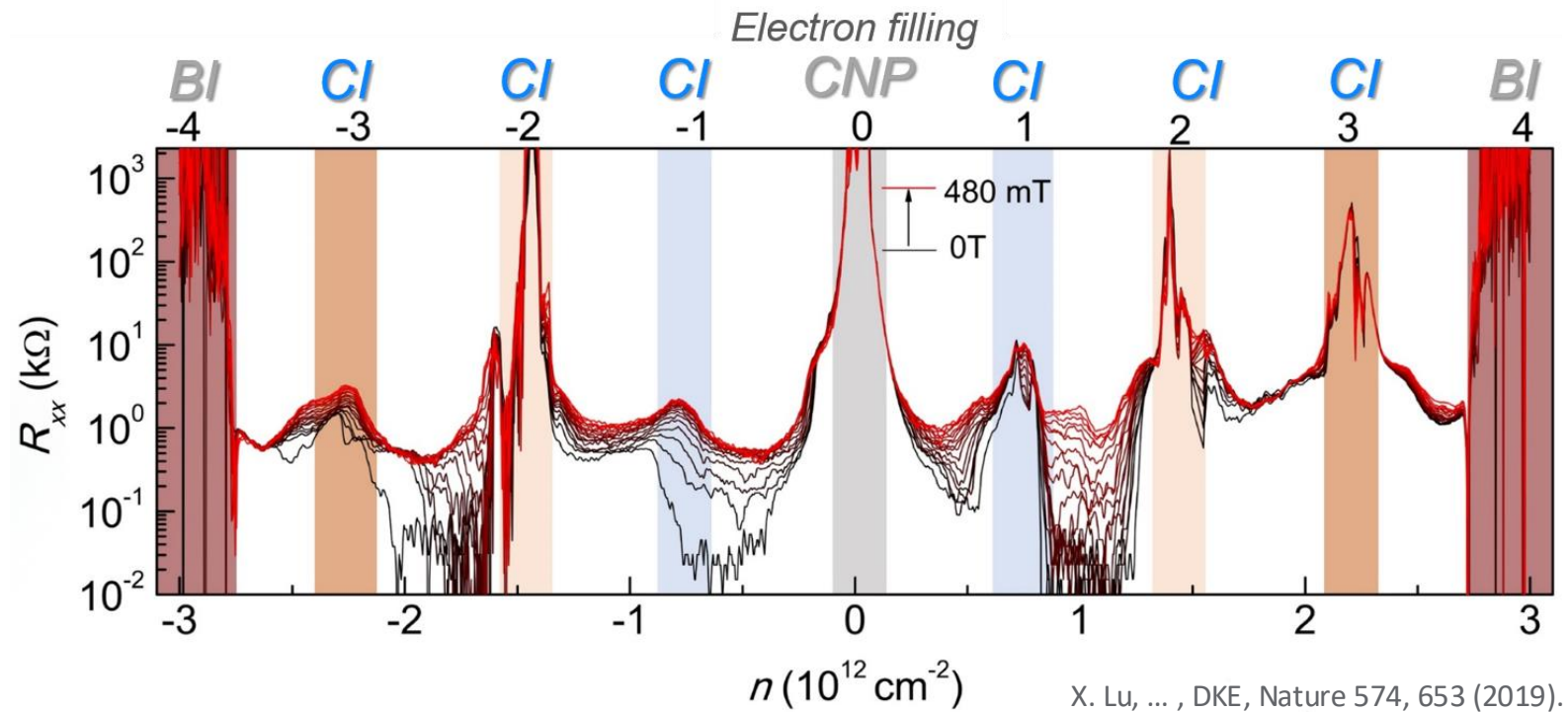


Efetov Lab
Chair of Quantum Materials

Thank you for your attention!

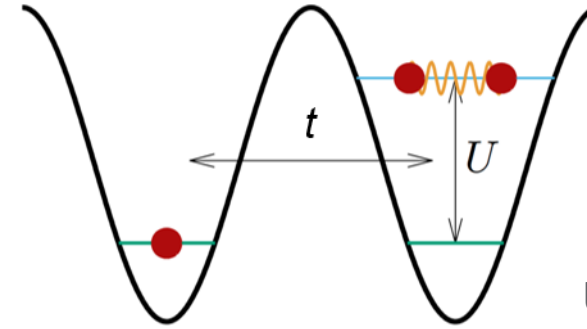


Correlated insulators



Symmetry broken correlated insulators at all integer fillings $\nu = 0, \pm 1, \pm 2, \pm 3 e/uc$

Mott insulator picture



U – onsite energy (Coulomb)

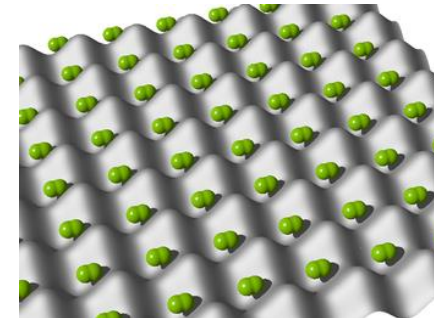
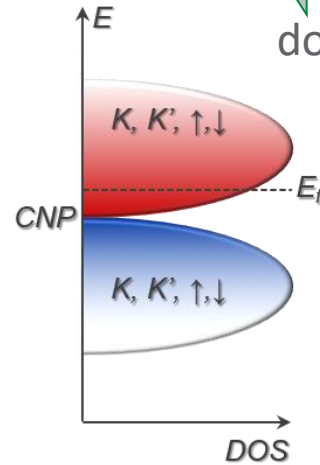
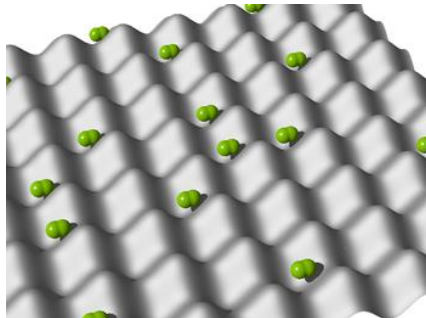
$$U = e^2 \theta / (4\pi\epsilon_0 \kappa a)$$

$$H = -t \sum_{i,j,\sigma} c_{i,\sigma}^\dagger c_{j,\sigma} + U \sum_i n_{i,\uparrow} n_{i,\downarrow}$$

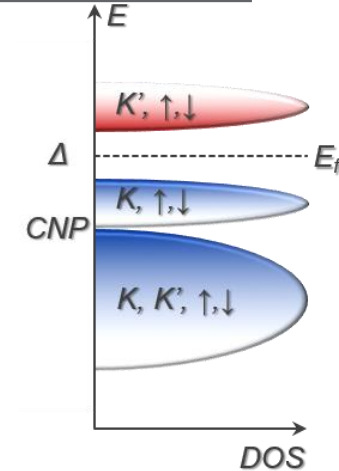
partial filling - correlated metal:



integer filling – Mott insulator:



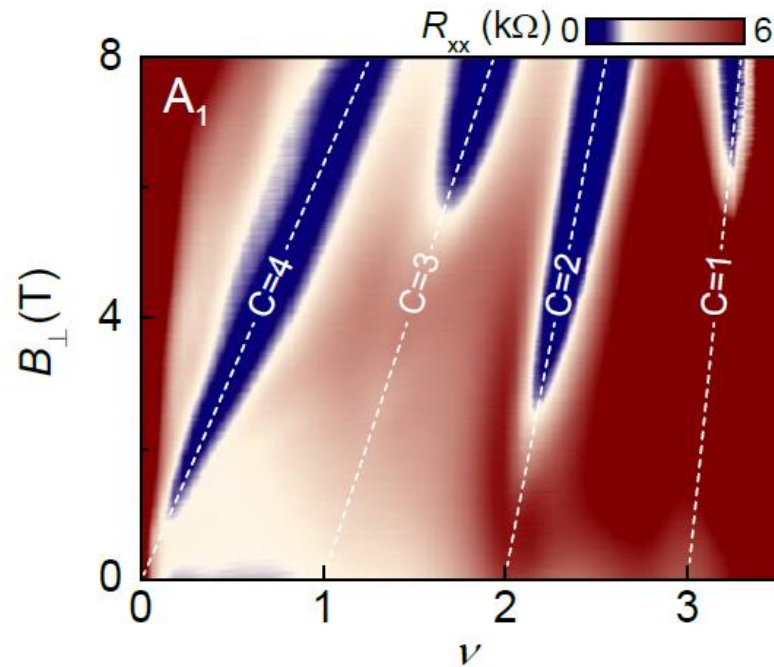
$U/t \gg 1$



SU(4) spin/valley symmetry breaking

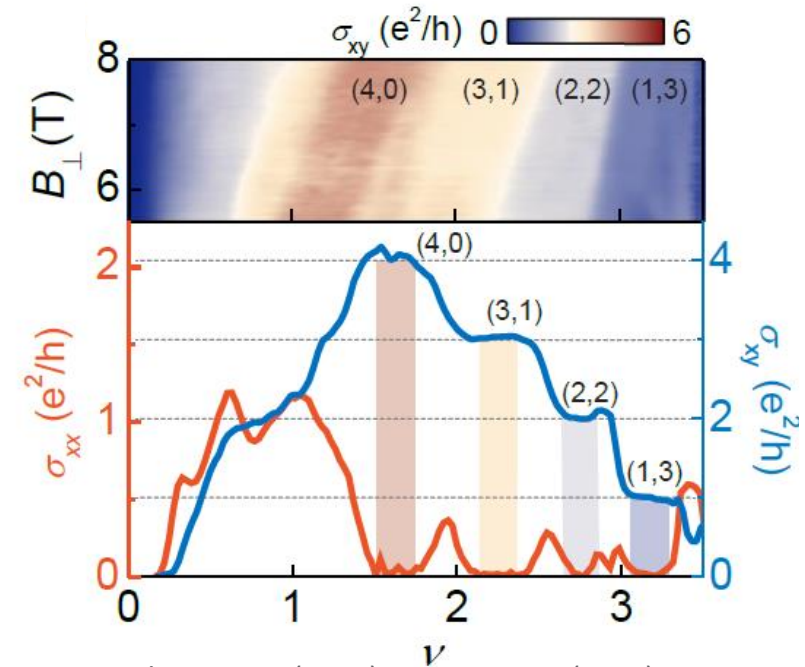
Correlated Chern insulators in B-field

Chern insulators in B-field - Streda Formula:



I. Das, X. Lu, ... , DKE, Nature Physics 17, 710 (2021).

Quantized Hall conductance:



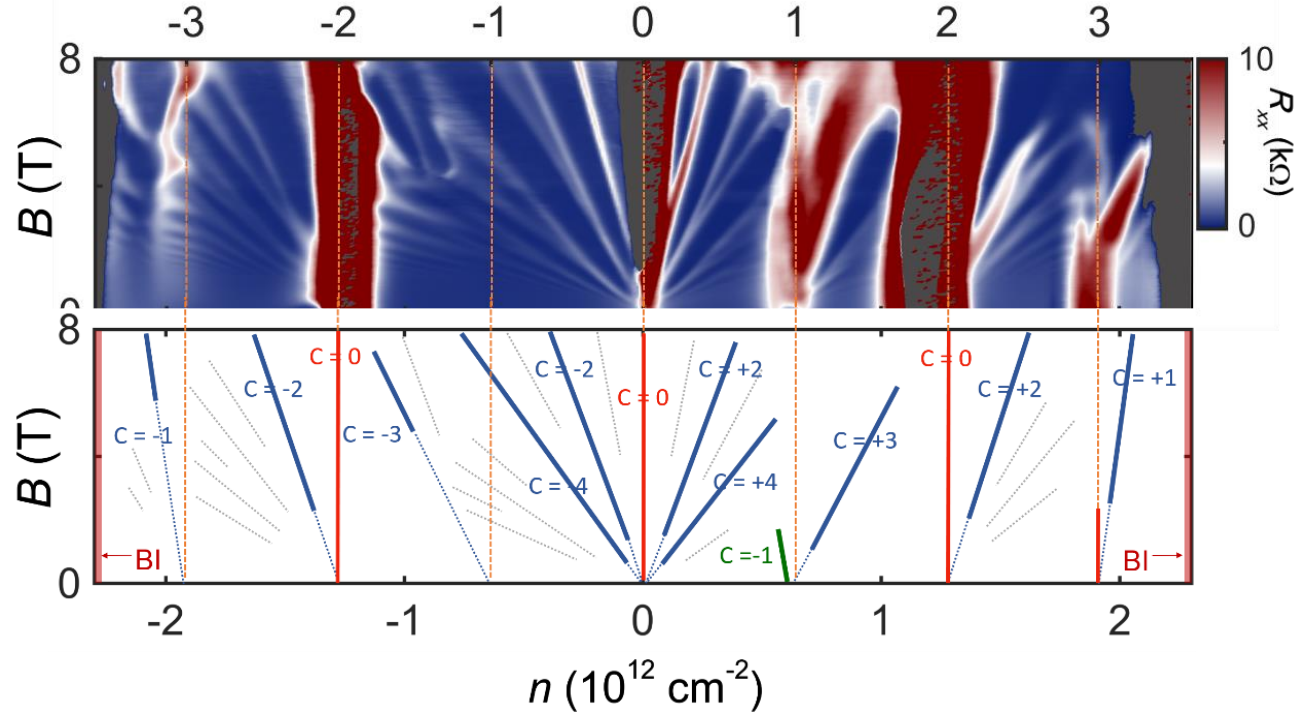
Yazdani group, (2020); Young group, (2020).
Nadj-Perge group, (2020); Andrei group, (2020).
Jarillo-Herrero group, (2020).

Energy gaps: CCI (1meV) >> LL (0.1meV)

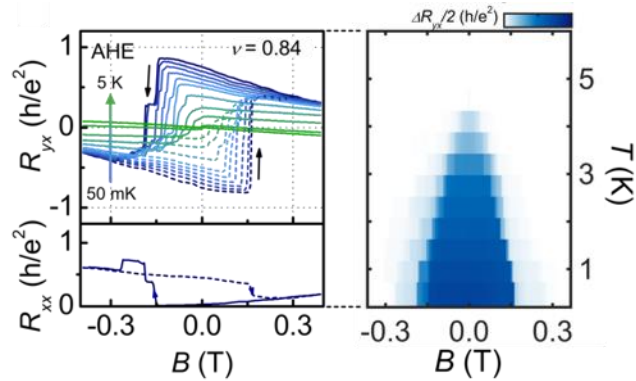
Quantization field: CCI (0.3T) << LL (3T)

STM: interaction induced gaps show spectral broadening

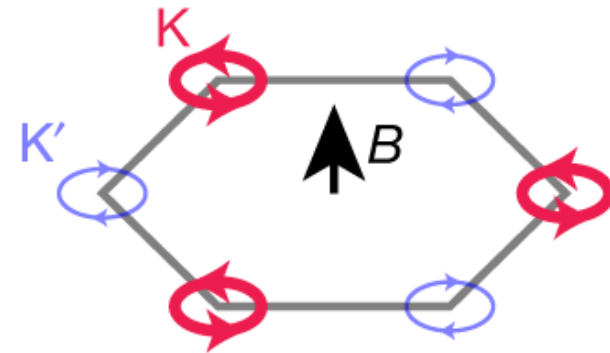
Orbital magnetism at zero B-field



Hysteretic B-field dependence:

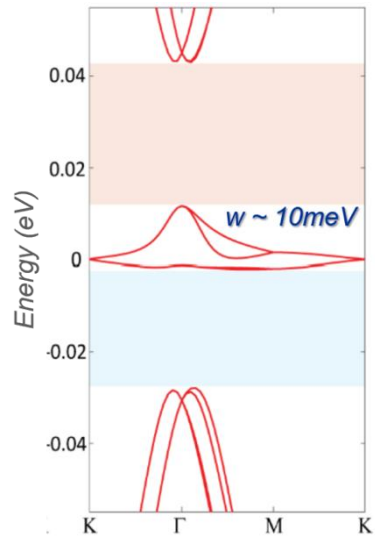


Orbital Magnetism → valley polarization:

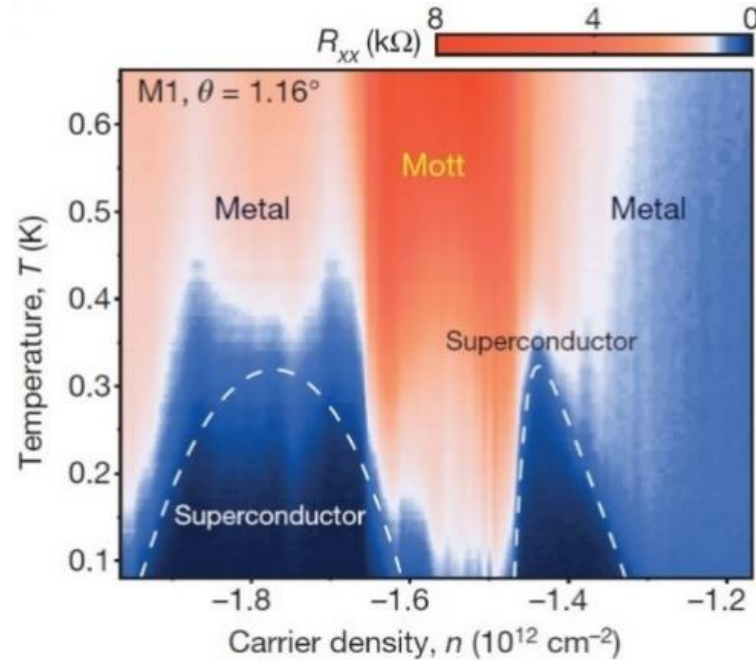


Unconventional SC in MATBG?

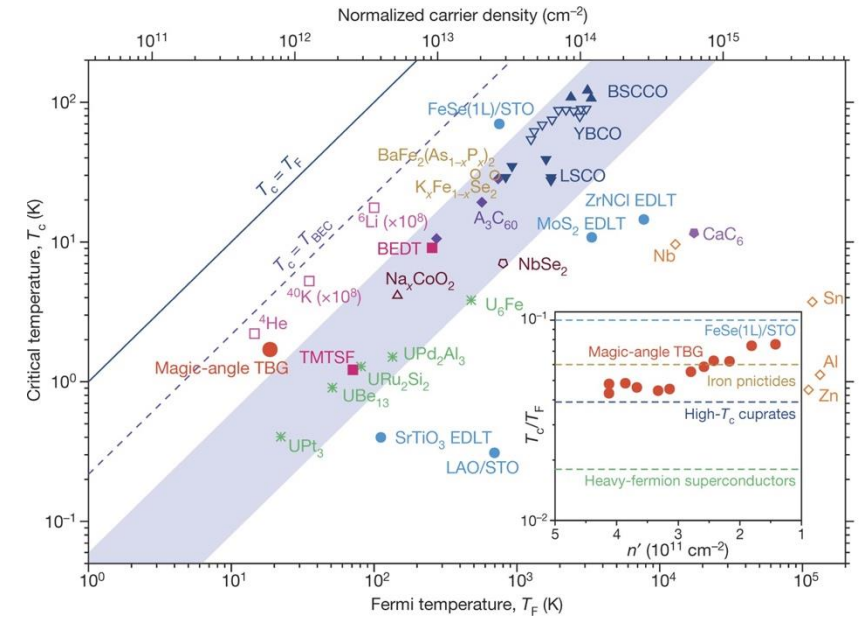
Flat bands:



Phase diagram:



Uemura plot:



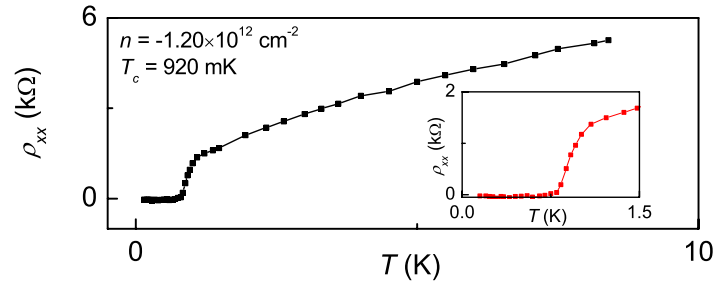
H. Yoo, ..., E. Kaxiras, P. Kim, *Nat. Mat.* **18**, 448 (2019).

Y. Cao, ..., P. Jarillo-Herrero, *Nature* **556**, 43–50 (2018).

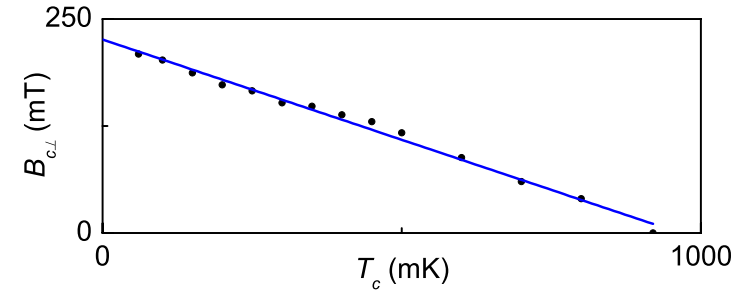
- Similar phase diagram to the cuprates.
- Record strong coupling – defined by $T_c/T_f \sim 0.1$.
- Record low carrier density of any superconductor.
- Proximity to CI states – non e-ph mechanism?

Characterization of the SC state

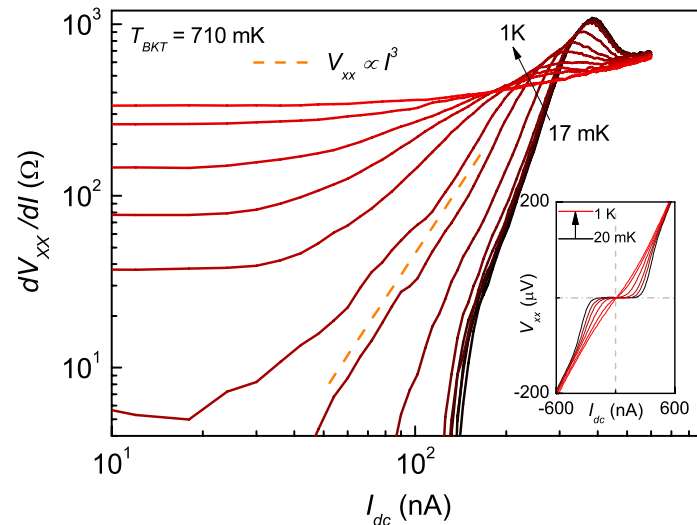
Critical temperature T_c :



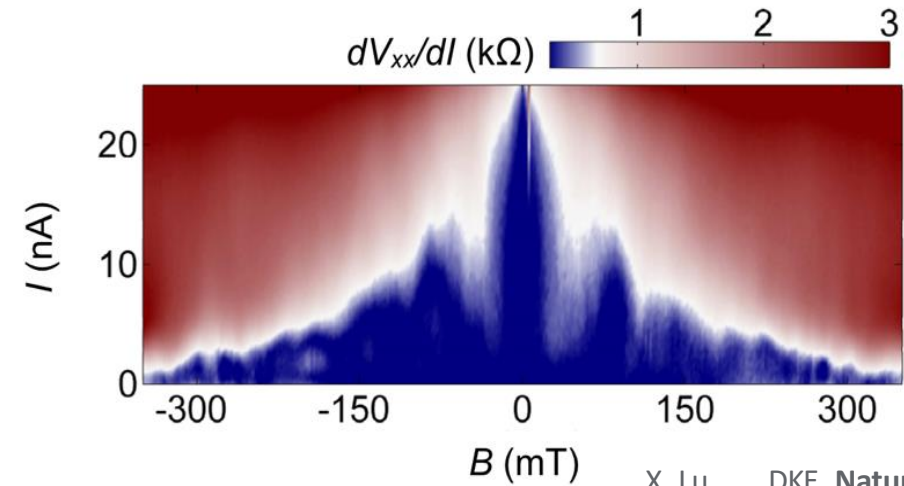
Critical B-field B_{c2} :



Critical current I_c :



Fraunhofer interference (disorder):

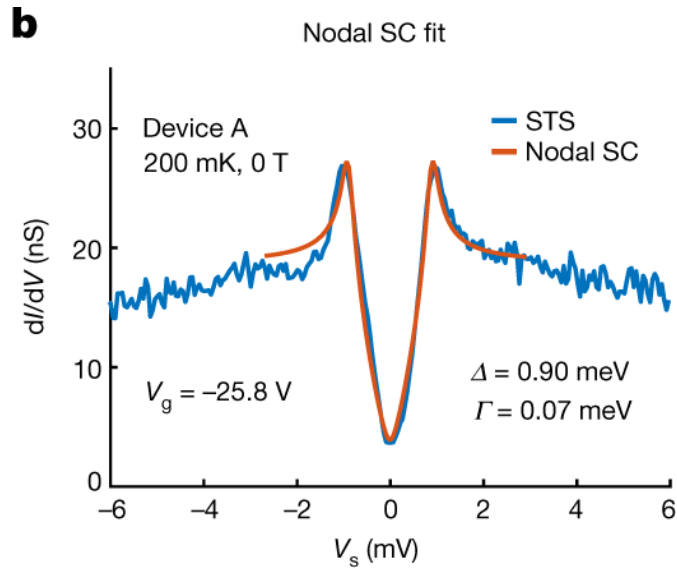


X. Lu, ... , DKE, Nature 574, 653 (2019).

Consistent with GL and BKT $\rightarrow T_c \sim 1\text{K}, H_c \sim 100\text{mT}, I_c \sim 10\text{nA}, \xi \sim 50\text{nm}$

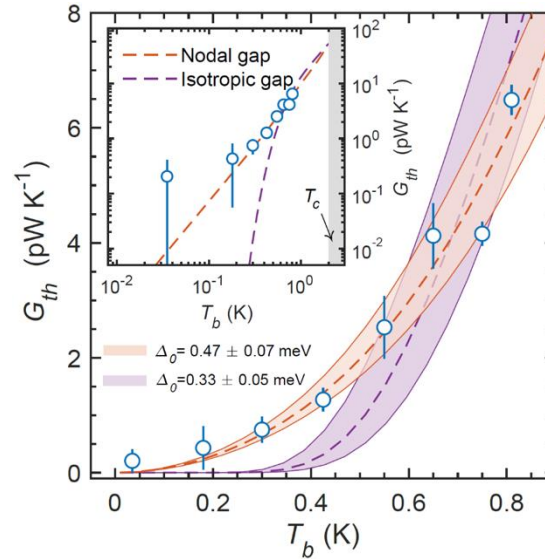
Nodal SC pairing mechanism?

STM tunneling spectroscopy:



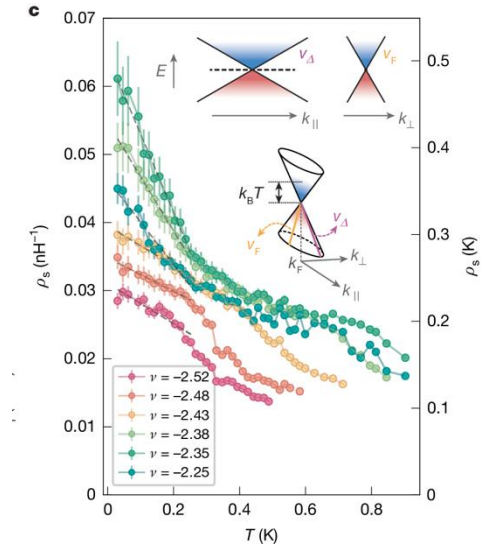
- Observation of V – shaped gaps.

T-dep. thermal conductivity:



- Power-law T-dependence of thermal conductivity.

T-dep. superfluid stiffness:



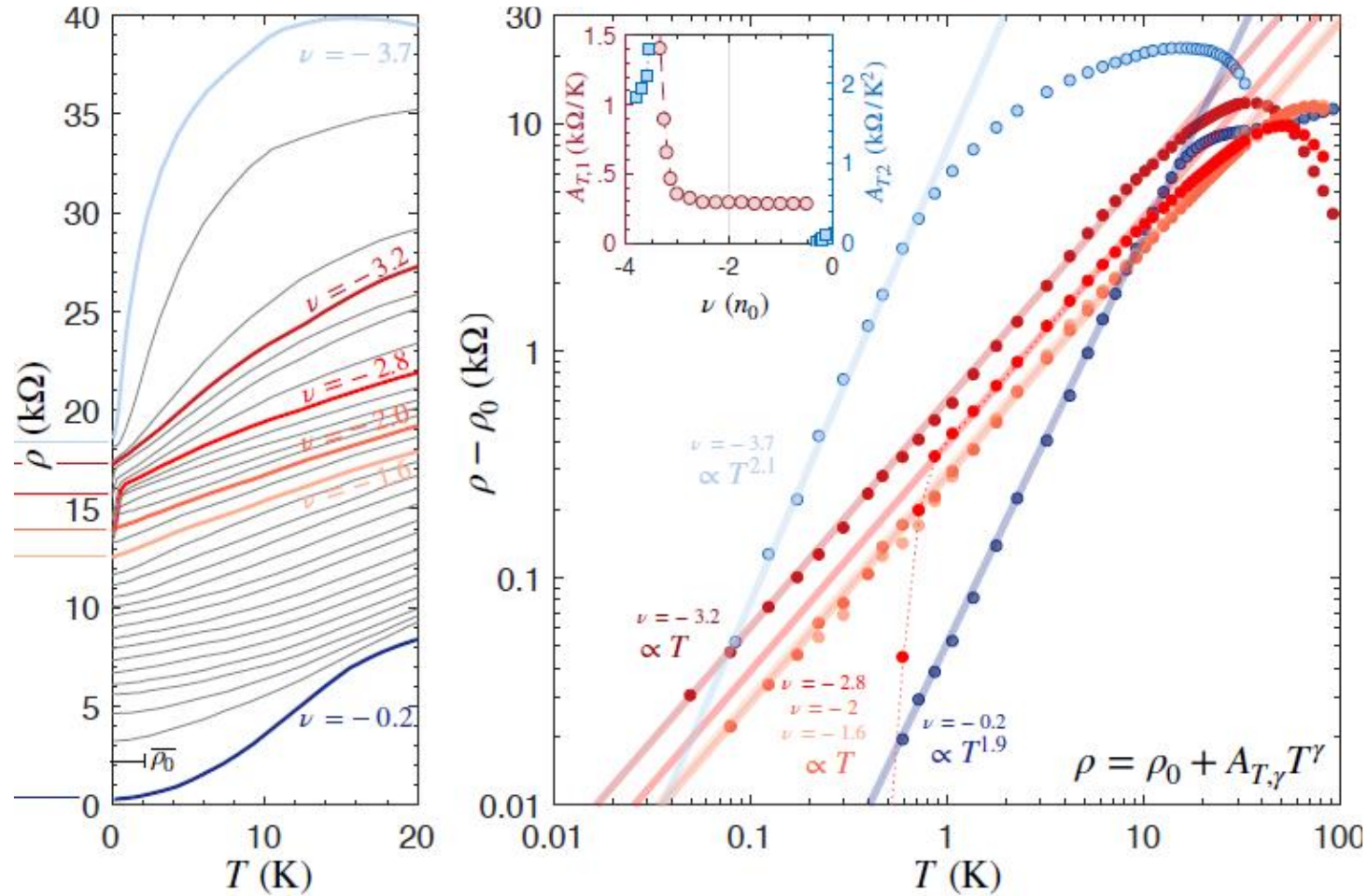
- Linear T-dependence of superfluid stiffness.

M. Oh, ... , Ali Yazdani, **Nature** **600**, 240–245 (2021).
H. Kim, ... , Stevan Nadj-Perge, **Nature** **606**, 494–500 (2022).

G. Di Battista, ... , K. C. Fong, DKE, **Nano Letters** **22**, 16 (2022).

M. Tanaka , ... , W. D. Oliver, **Nature** **638**, 99–105 (2025).
A. Banerjee, ... , P. Kim, **Nature** **638**, 93–98 (2025).

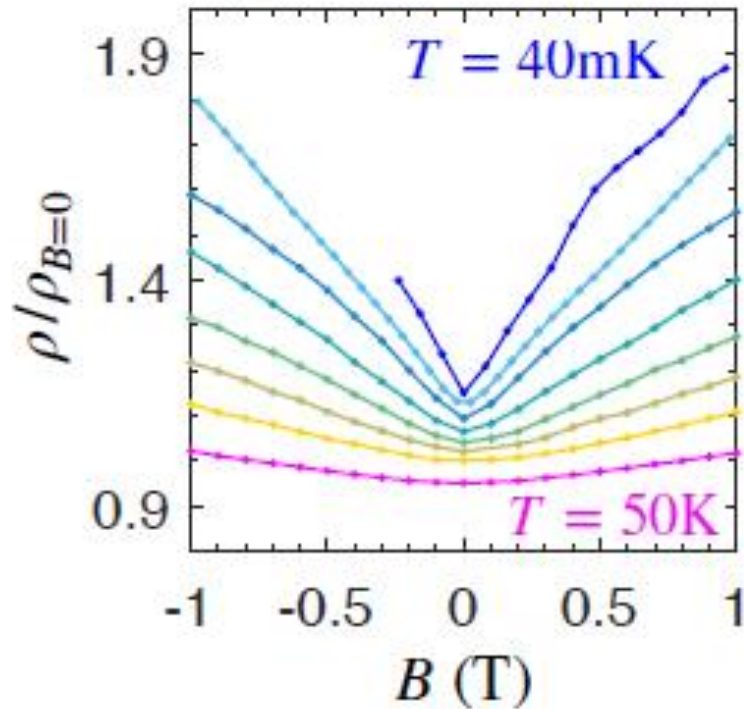
Linear T-dependent resistivity



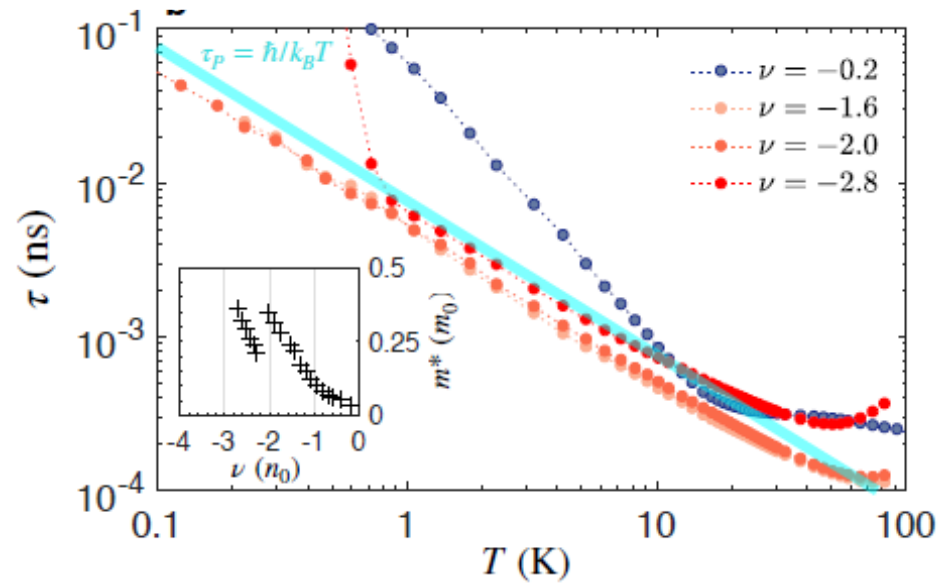
→ Linear R vs. T over 3 orders and down to T=40mK

Linear B-dependence and Planckian scattering rate

R vs. B-dependence:



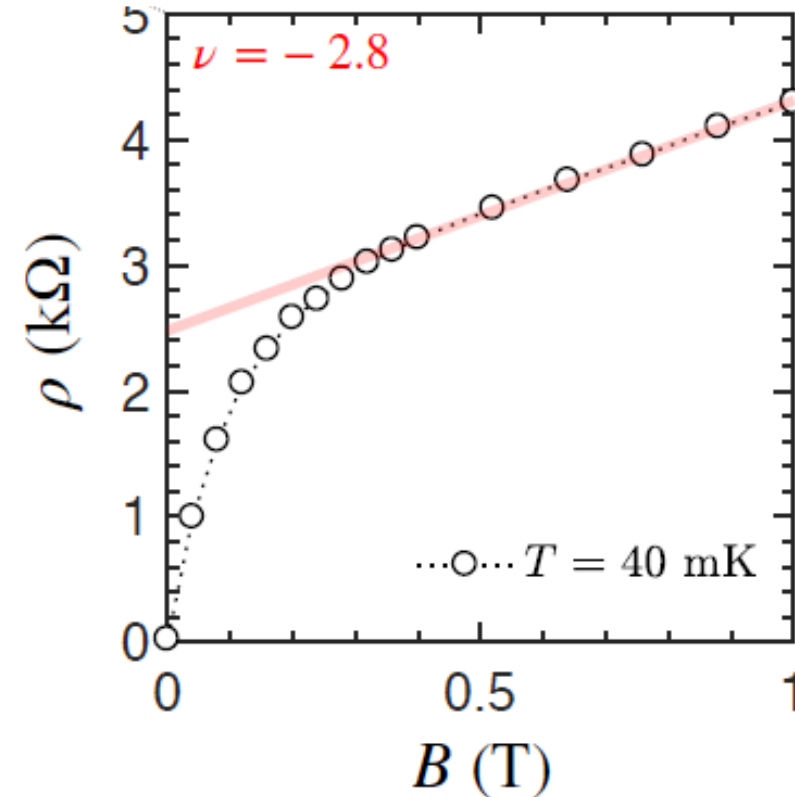
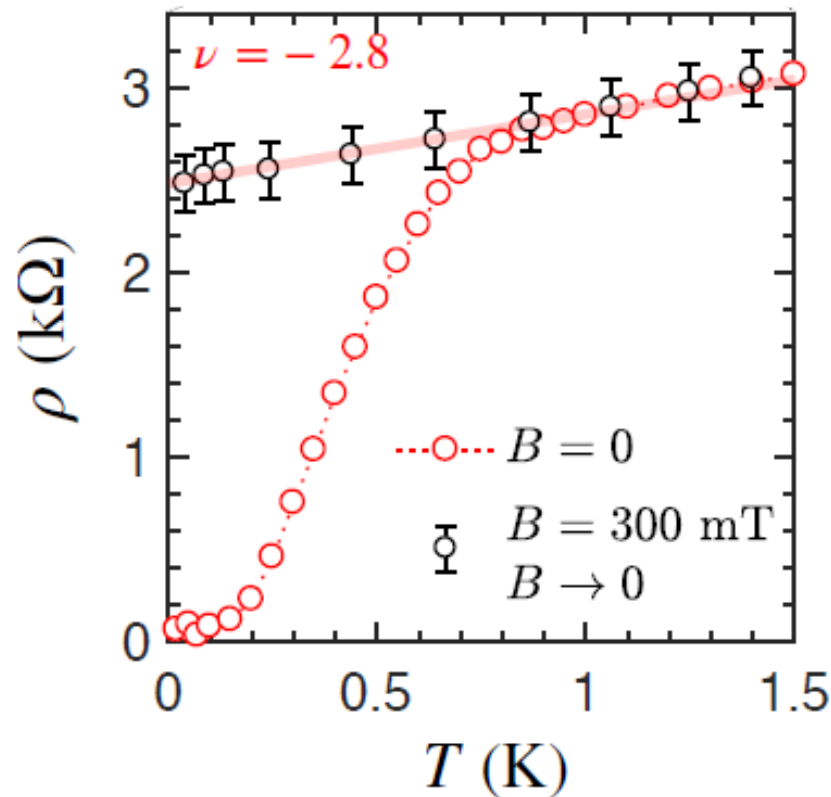
Planckian scattering rates:



$$\tau \sim \tau_P = \hbar/k_B T$$

→ Ranges of linear T- and B-dependence and Planckian scattering rate coincide

Strange metal - parent state of the SC state



- Density ranges of linear T- and B-dependence coincide
- Energy scales of linear behavior in T and B coincide



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Farbübersicht



LMU Grün



Schwarz



Weiss



Akzent Blau



Akzent Cyan



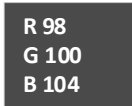
Akzent Violett



Akzent Rot



Akzent Orange



Sekundär
Dunkelgrau



Sekundär
Mittelgrau



Sekundär
Hellgrau



Sekundär
Lichtgrau



 <p>European Research Council</p>	 <p>European Innovation Council</p>	 <p>DFG</p>
 <p>Gottfried Wilhelm Leibniz-Preis</p>	 <p>Munich Quantum Valley</p>	 <p>MCQST</p>